

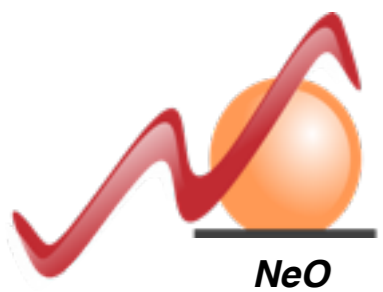


# Ultrafast Dynamics and Non-linear Light Emission from Metallic Nanoparticles

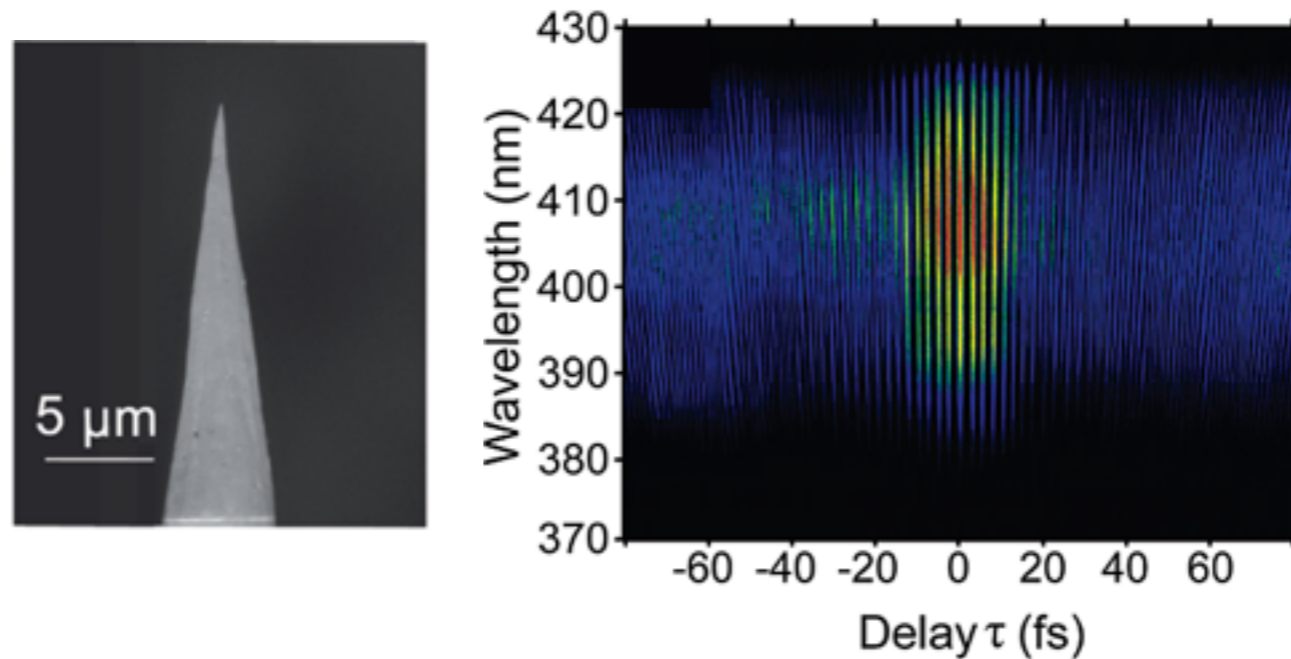
Arnaud Arbouet

Groupe NeO - *Nano-Optique et Nanomatériaux pour l'Optique*

CEMES - CNRS



## Plasmonics → Manipulation of light absorption at nanometer scale



Anderson et al  
*Nanoletters*, 10, 2519 **2010**

Light-Matter coherent coupling is **short-lived**

Central applications of plasmonics nanostructures involve **products of plasmon relaxation**

*Hot electrons*

*Heat*

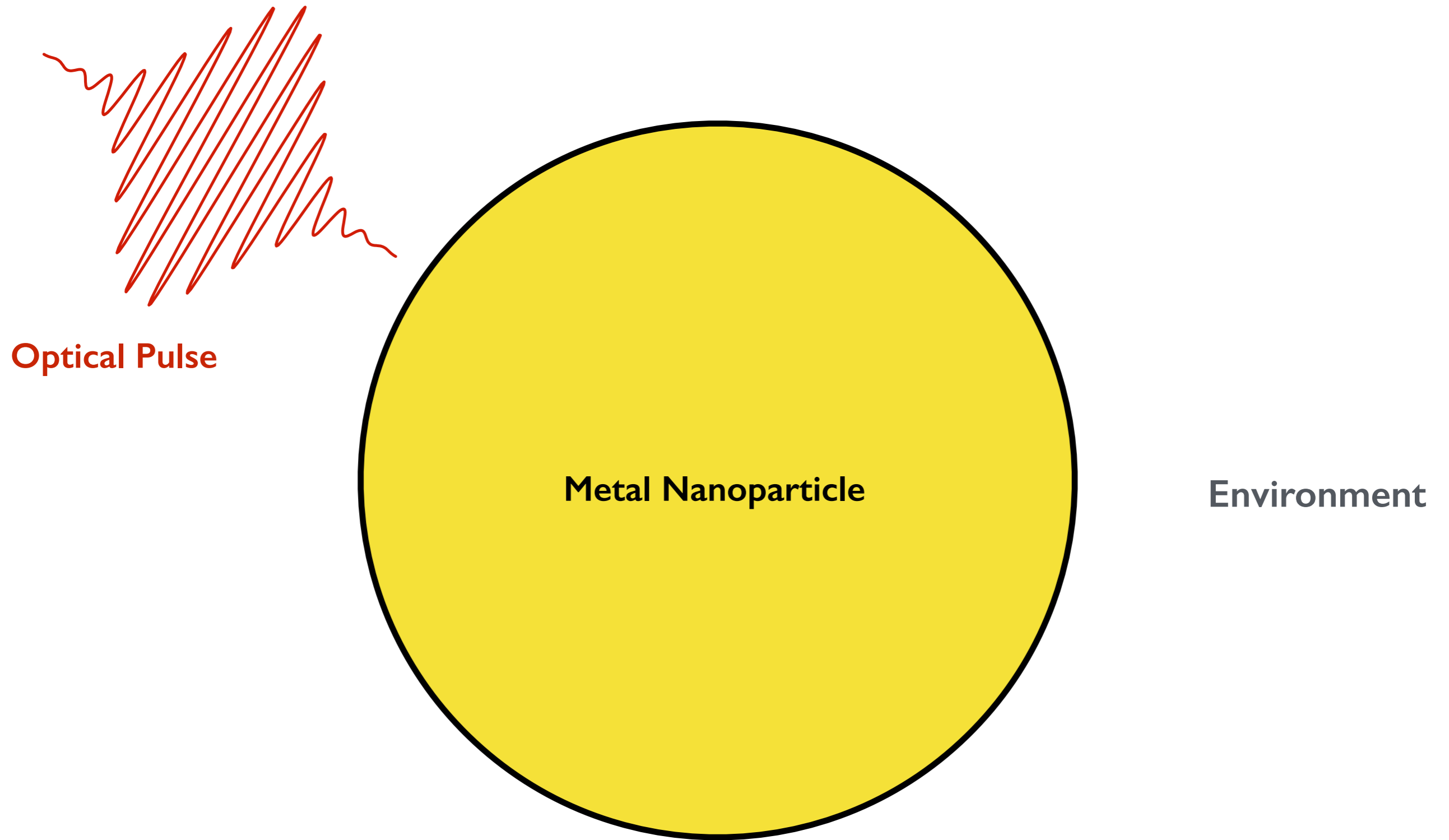
Brongersma et al, *Nature Nanotech.*, 9, 25, **2015**

Huang & EL-Sayed, *J. Adv. Res.*, 1, 13, **2010**

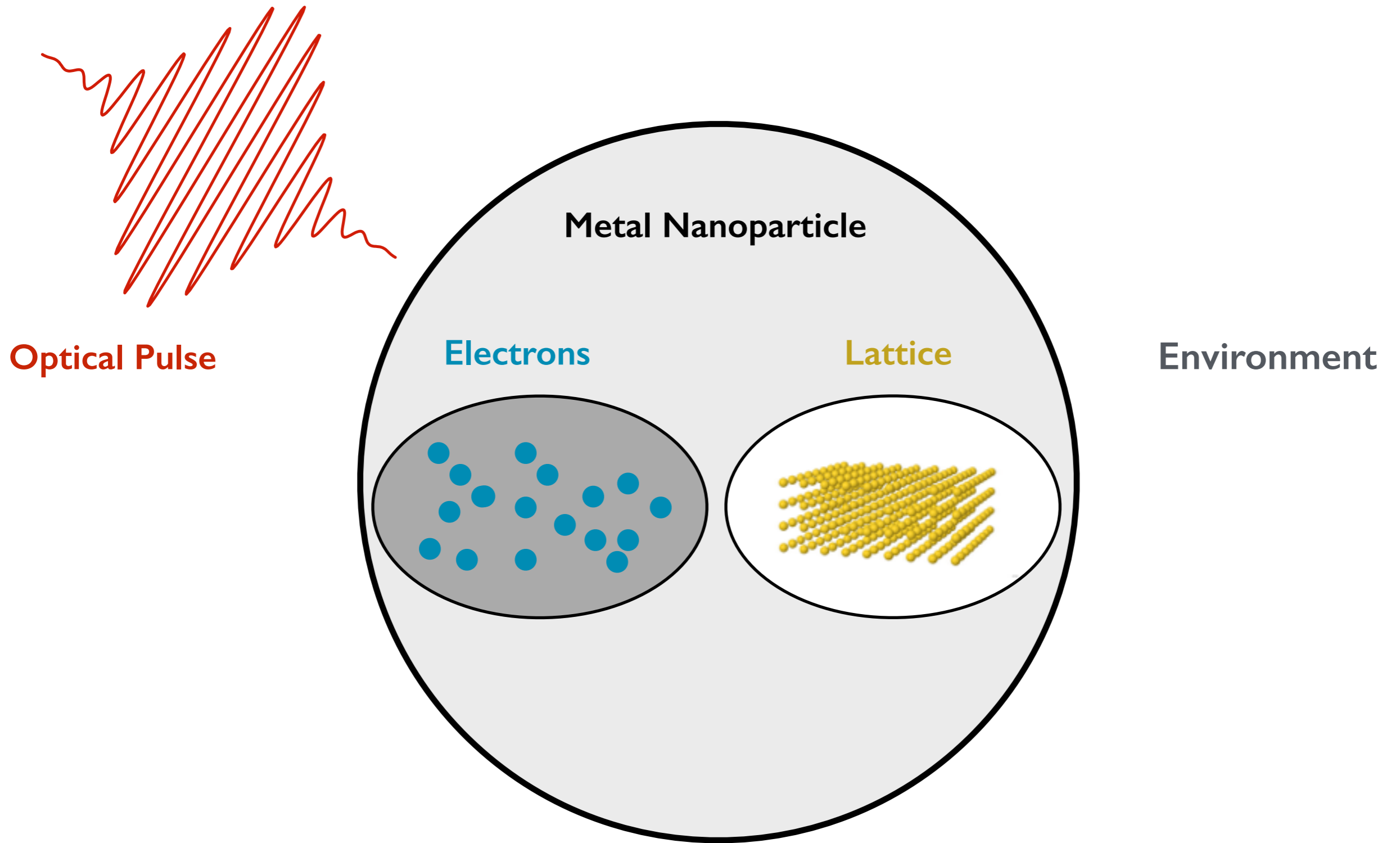
To optimize and even control → Need to know relaxation processes and relevant timescales

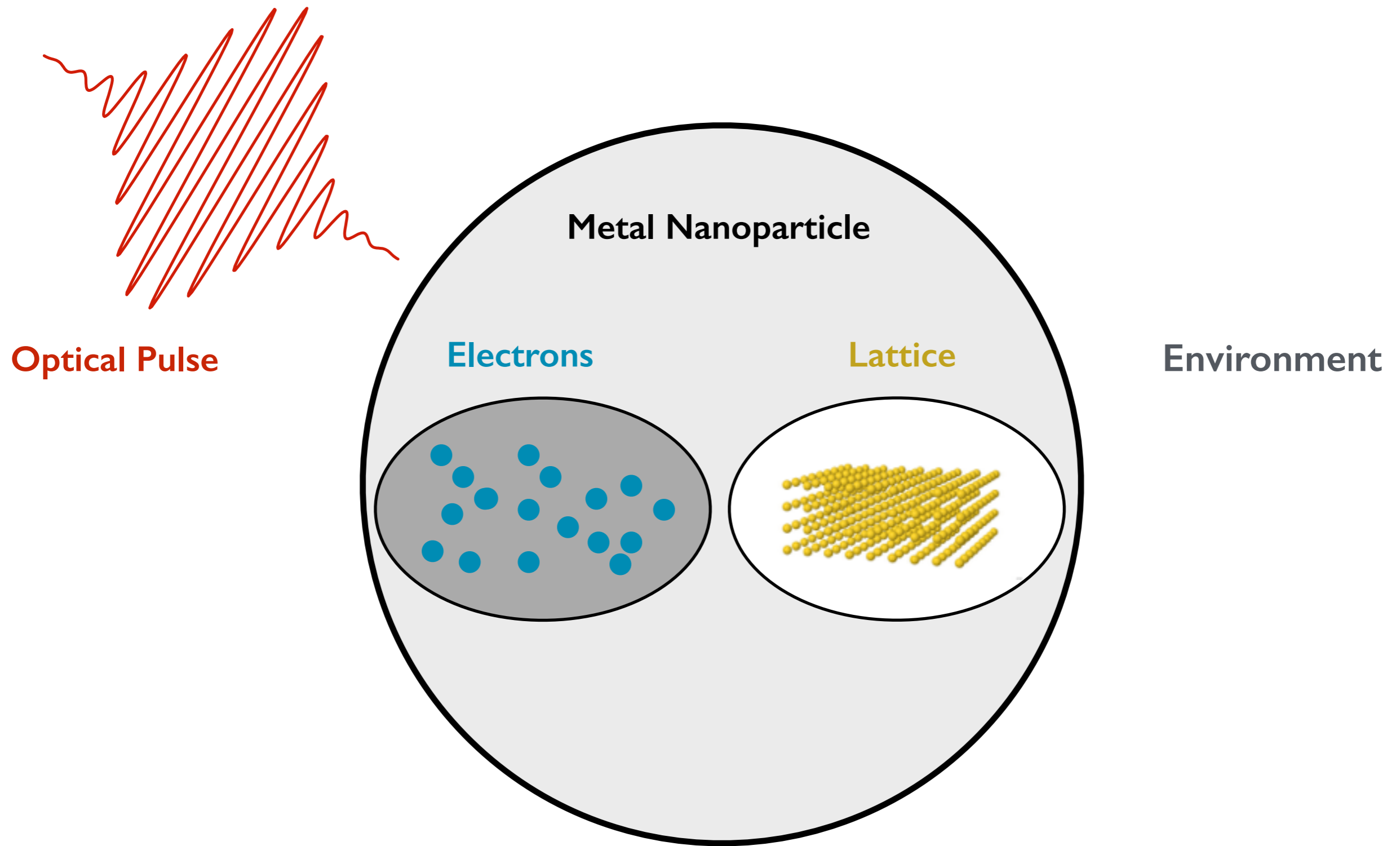
# Introduction

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# Introduction



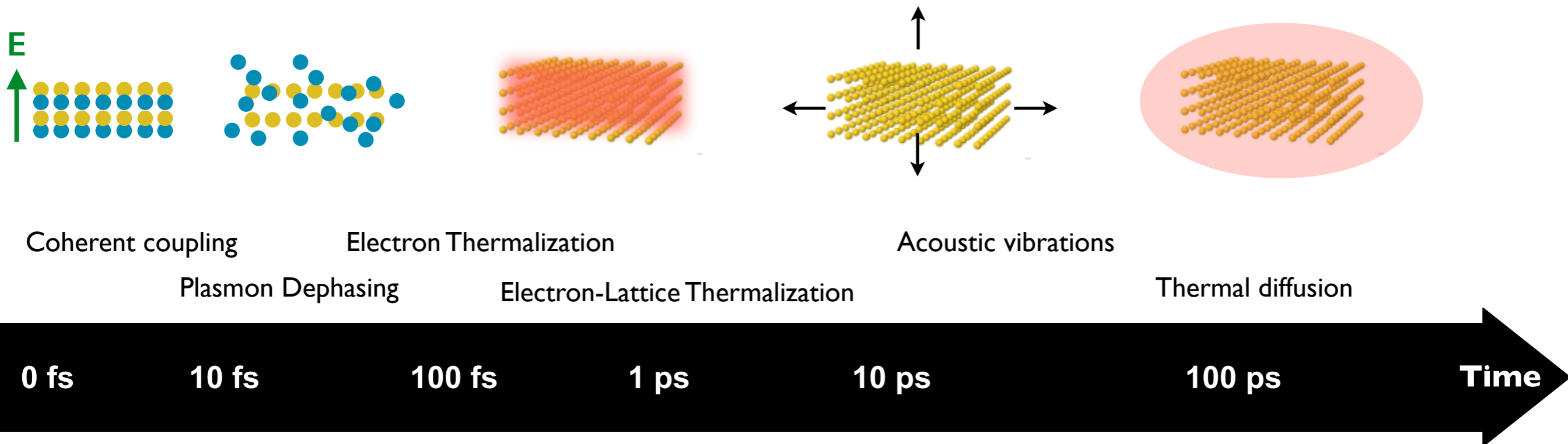
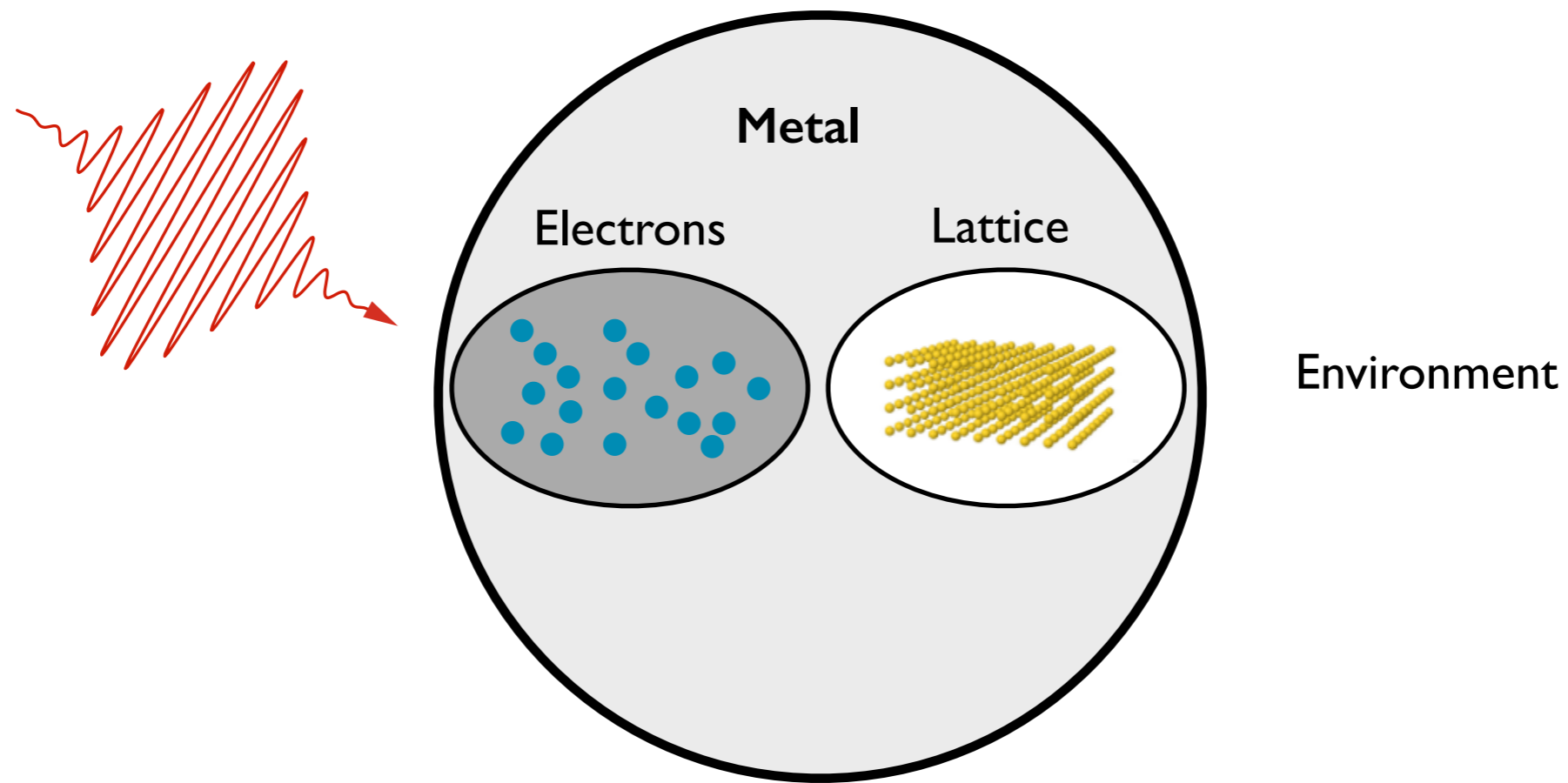


**Relaxation processes in metallic nanostructures ?**

**Timescales ?**

**Size & Shape effects ?**

# Ultrafast dynamics of metallic Nanostructures



# Outline

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Electronic and Optical Properties of Metallic Nanostructures

Light-Matter Coherent Coupling

Femtosecond Pump-Probe spectroscopy

Ultrafast electronic dynamics in metallic nanostructures

Two-Photon Photoluminescence

Acoustic Vibrations

# Electronic and Optical Properties of Metallic Nanostructures

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# Optics of Metals - The Drude Model

The properties of **metals** are mainly governed by **free electrons**

Free electrons can be described by the **Drude Model**

$$m_e \frac{\partial^2 \mathbf{r}}{\partial t^2} + m_e \gamma \frac{\partial \mathbf{r}}{\partial t} = e \mathbf{E}_0 e^{-i\omega t}$$

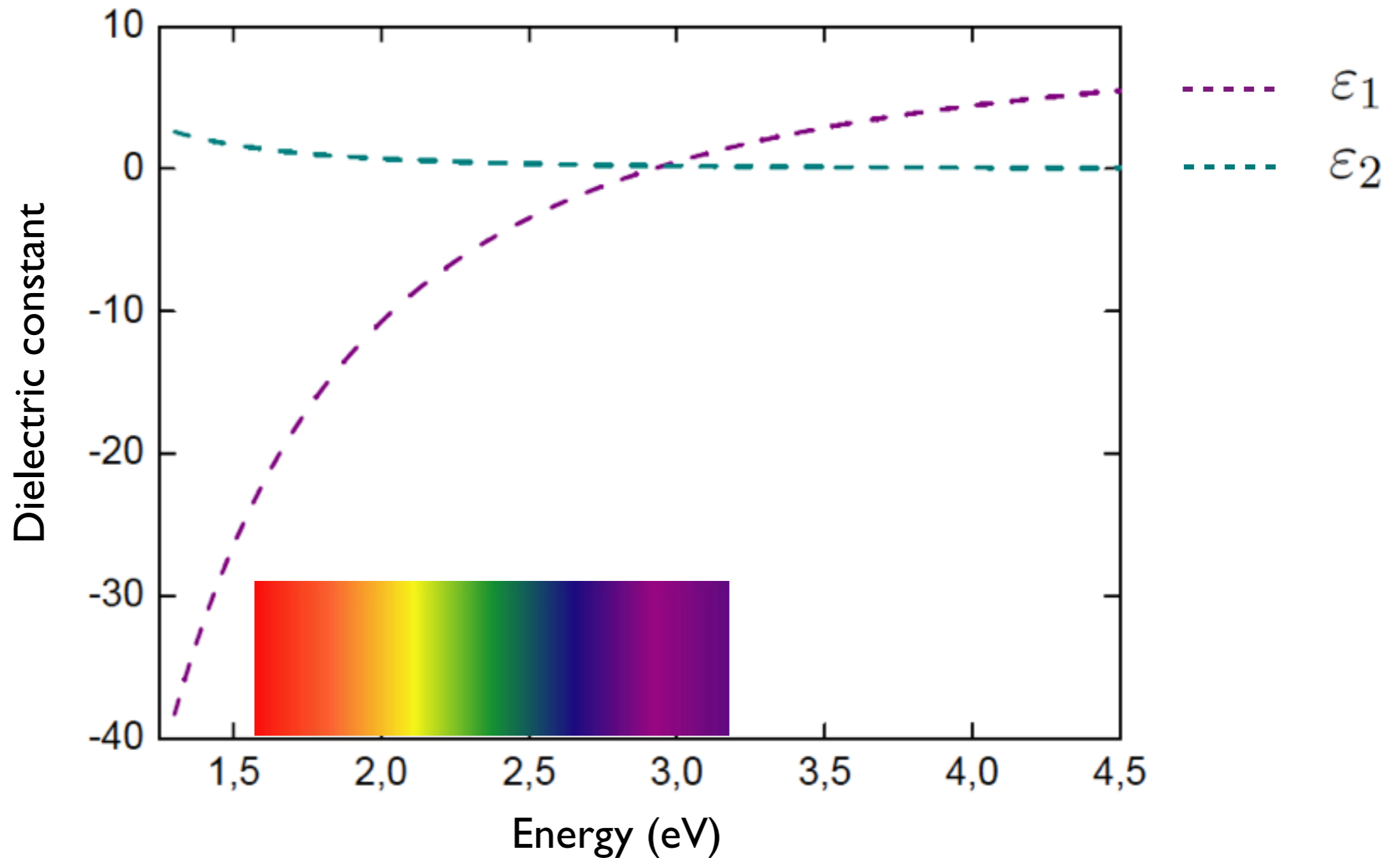
Electromagnetic response of a **Material** captured in its **Dielectric constant**

$$\epsilon_{Drude} = \epsilon_1 + i \epsilon_2 = 1 - \frac{\omega_P^2}{\omega^2 + i\gamma\omega}$$

**Gold** :  $\gamma_{\text{bulk}} = 70 \text{ meV}$  → Collision Time =  $1/\gamma_{\text{bulk}} \sim 10 \text{ fs}$

**Silver** :  $\gamma_{\text{bulk}} = 20 \text{ meV}$  → Collision Time  $\sim 30 \text{ fs}$

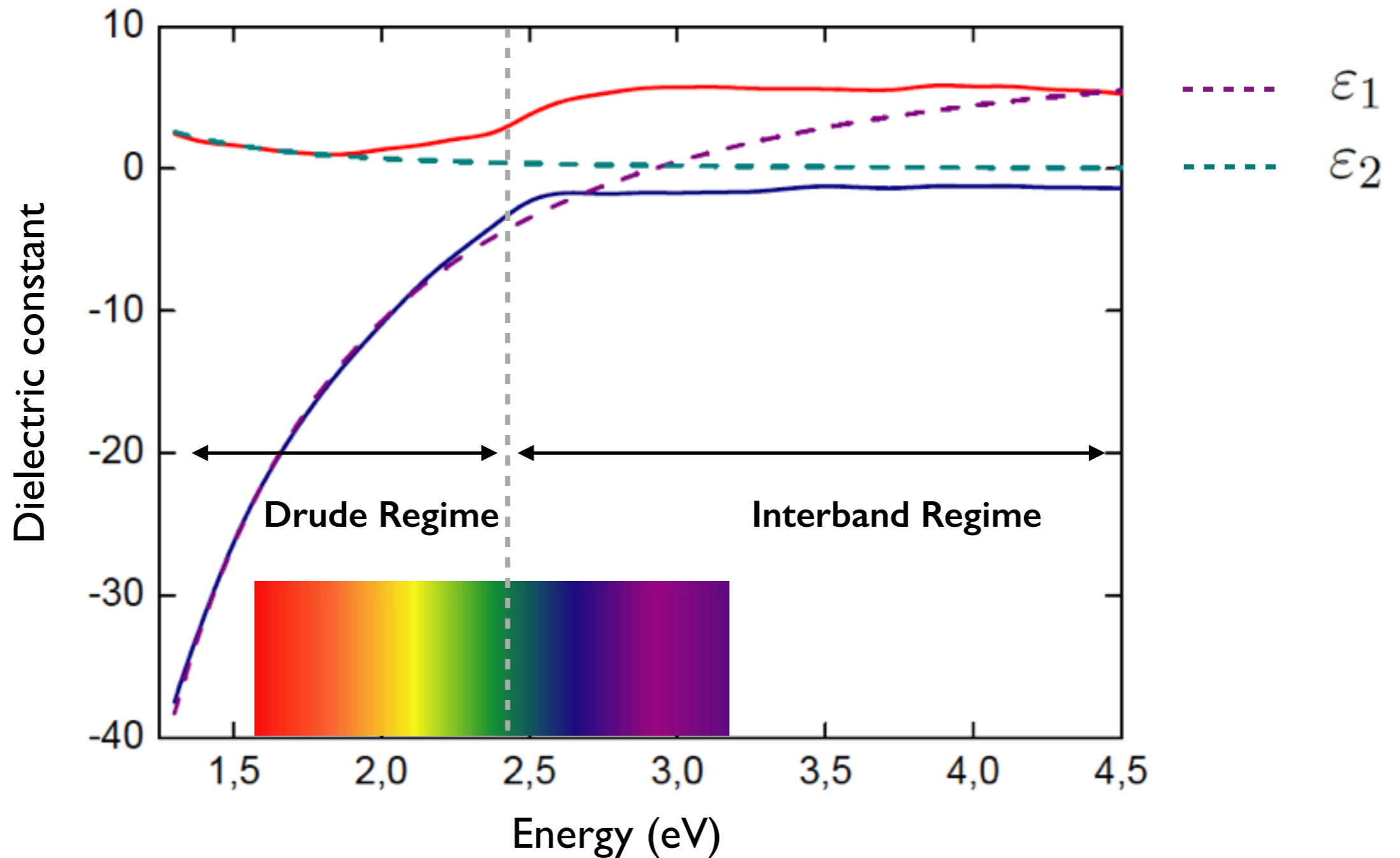
## Drude model with values for Gold



**Negative dielectric constant → Metals reflect light !**

**Noble metals: same conduction electrons but different colors ?**

## Drude model with values for Gold



Interband Transition threshold in Noble metals : **Cu : 2.15 eV - Au : 2.4 eV - Ag : 4 eV**

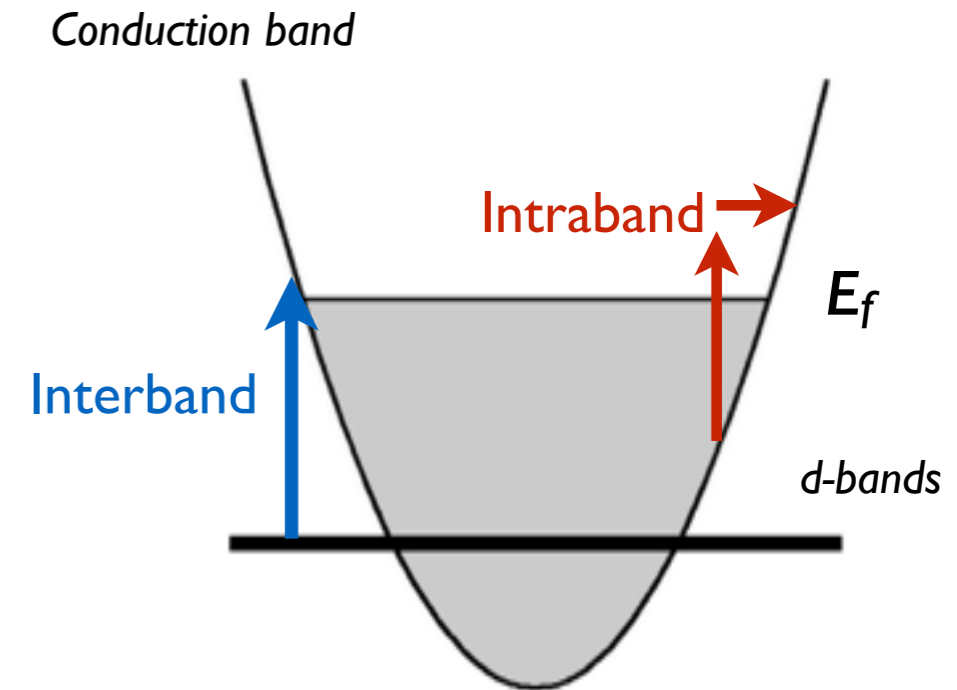
Different values  $\rightarrow$  Different colors !

# Optics of Metals - The dielectric Constant

**Noble metals (Ag, Au, ....)**

Flat d-bands + quasi-free conduction electrons

Interband transition threshold :  $\hbar\Omega_{ib} = 2.4 \text{ eV}$  for Au



**Dielectric constant:**

$$\epsilon_{bulk}(\omega) = \epsilon_1(\omega) + i\epsilon_2(\omega) = \epsilon^{ib}(\omega) - \frac{\omega_P^2}{\omega(\omega + i\gamma_D)}$$

**Interband**  
bound electrons

**Intraband**  
Free electrons

**Metal nanoparticles with sizes  $> 2 \text{ nm}$  :**  $250 < N_{at} < 10^6$

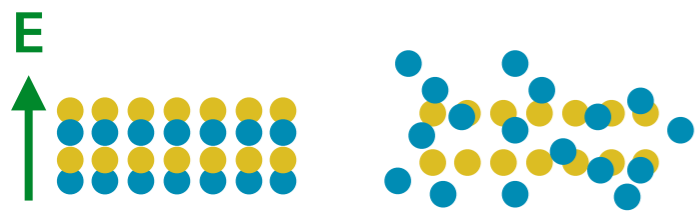
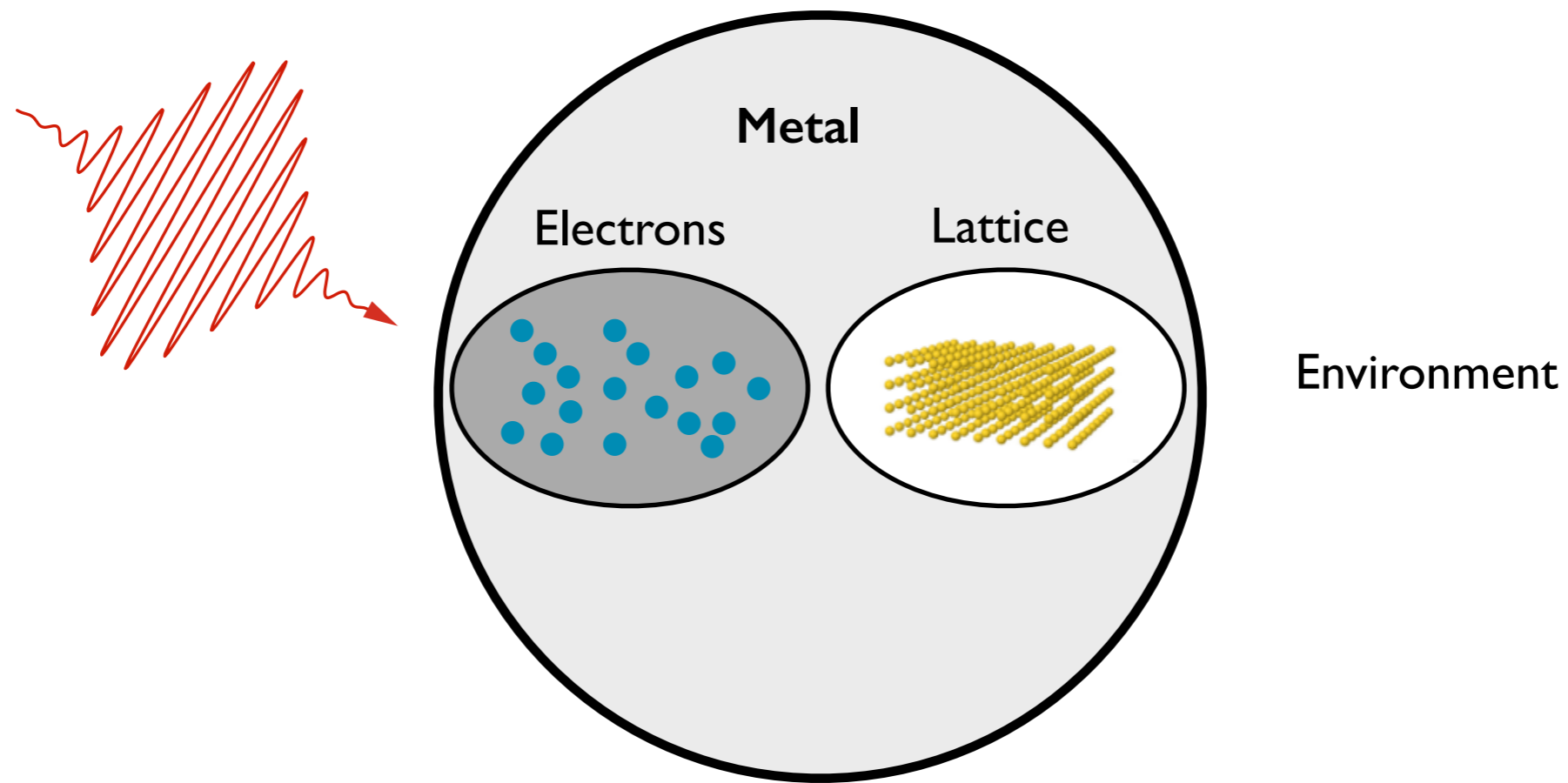
-  $\epsilon^{ib}$  unchanged

- confinement :  $\nearrow$  scattering with surfaces  $\Rightarrow$  increase in  $\gamma_D$

# Light-Matter Coherent Coupling

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# Ultrafast dynamics of metallic Nanostructures



Coherent coupling

Plasmon Dephasing

0 fs

10 fs

100 fs

1 ps

10 ps

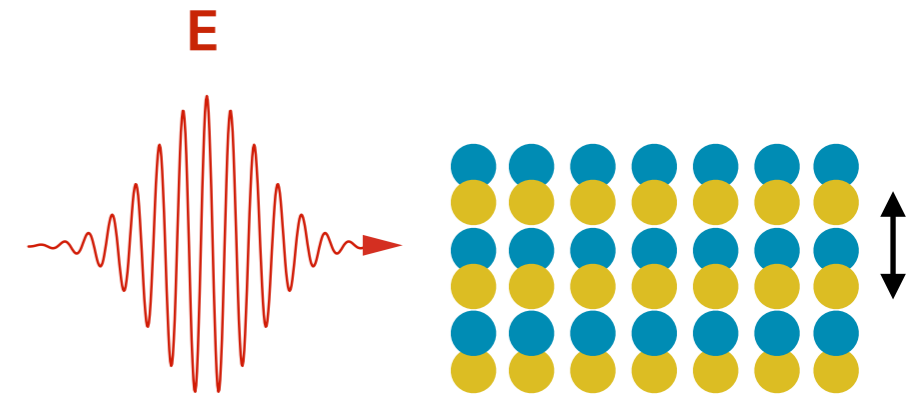
100 ps

Time

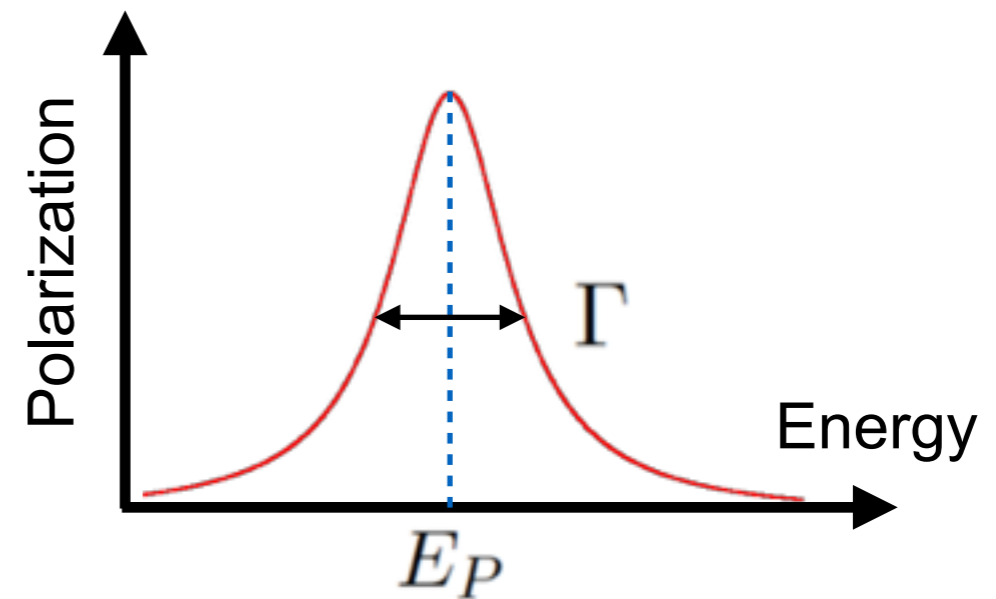
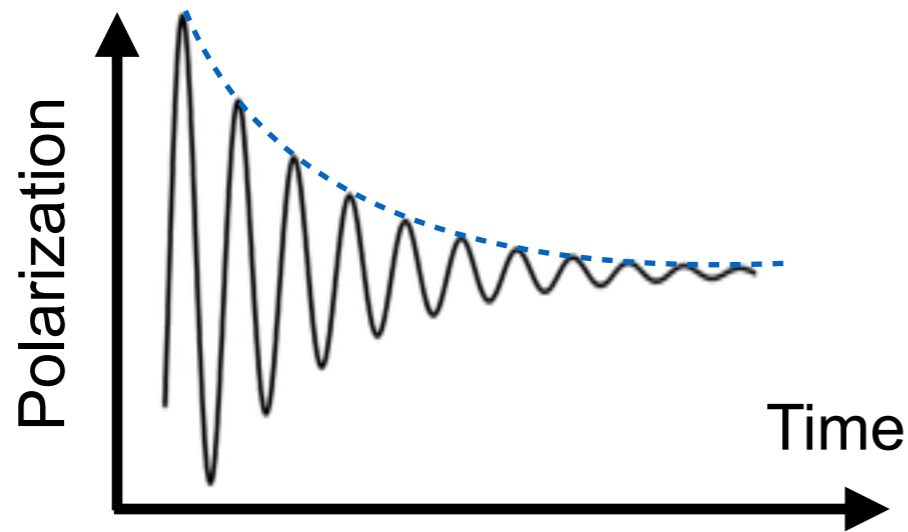
# Surface Plasmon Quality factor and Dephasing time

Interaction of incident EM wave and MNP is initially coherent

→ Phase relation between incident wave and electron gas density wave



Localized Surface Plasmon = Damped harmonic oscillators



Quality factor  $Q$  → Number of plasmon oscillations before damping

$$Q = \frac{E_P}{\Gamma}$$

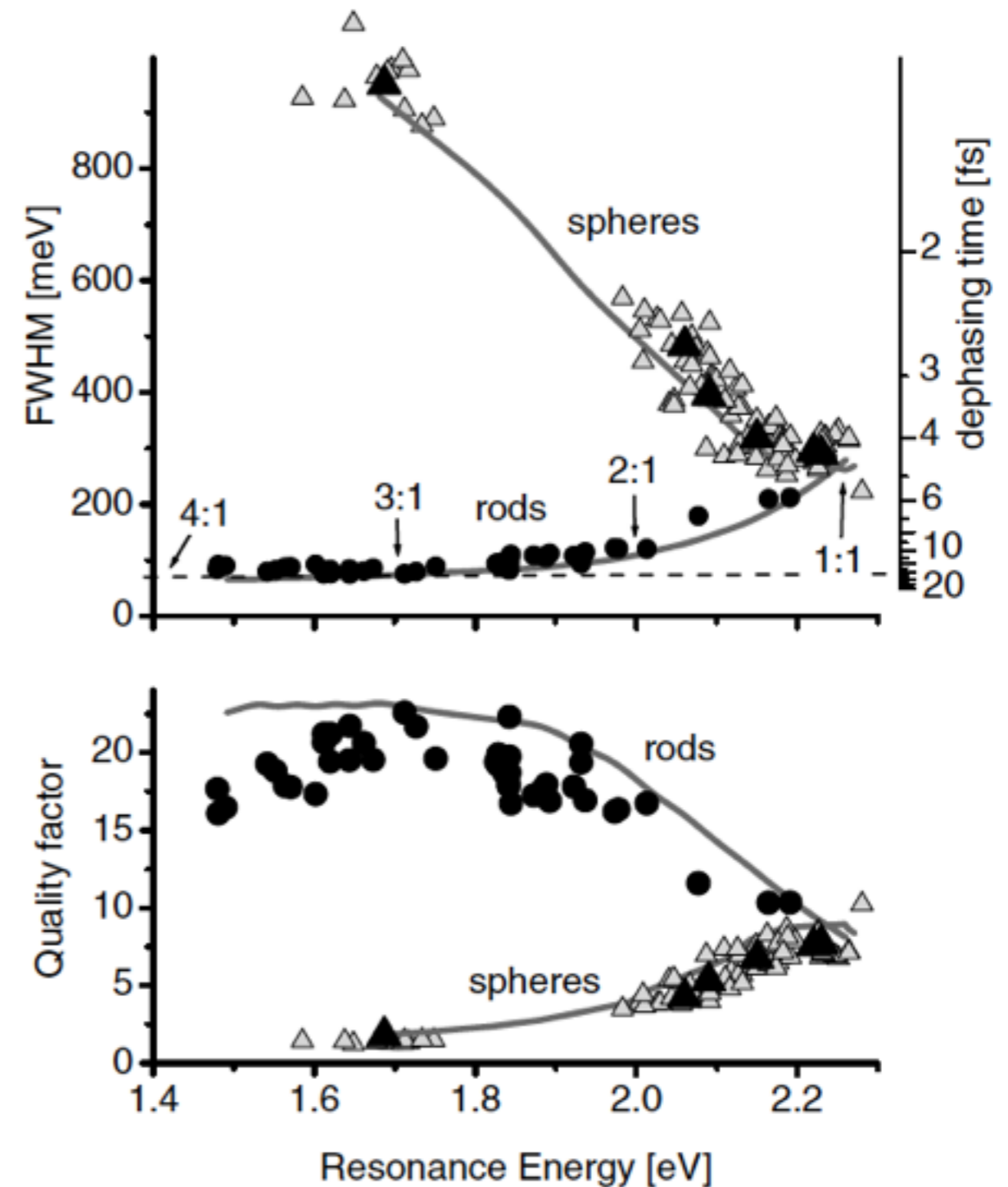
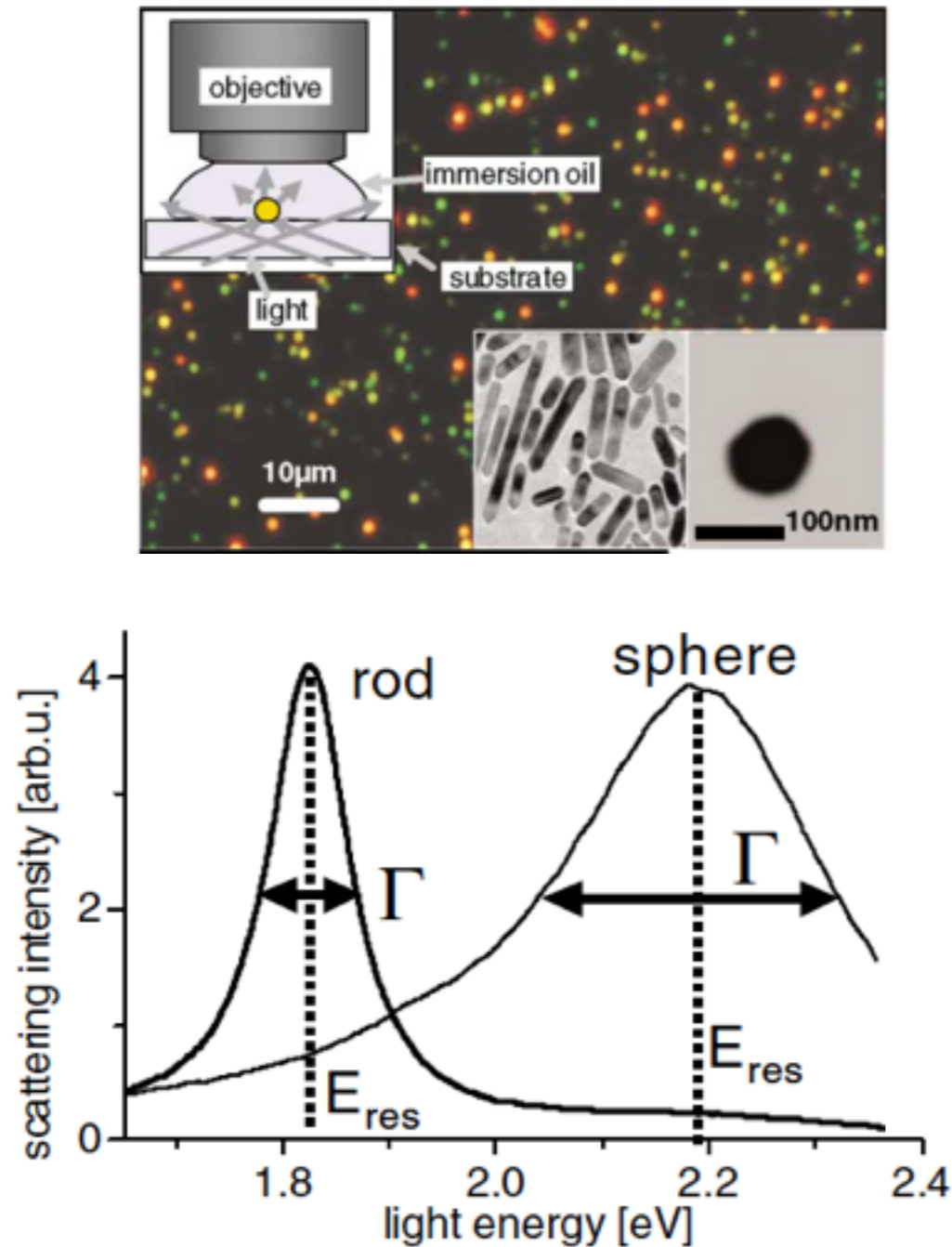
$$T_2 = \frac{2\hbar}{\Gamma}$$

To get rid of inhomogeneous broadening → Spectroscopy of individual particles

# Frequency-Resolved study of Surface Plasmon Dephasing time

## Dark-Field Optical spectroscopy on individual nano-objects

Sönnichsen et al, *PRL*, 88, 077402, 2002



→ Surface Plasmon dephasing Time  $\propto$  1-20 fs

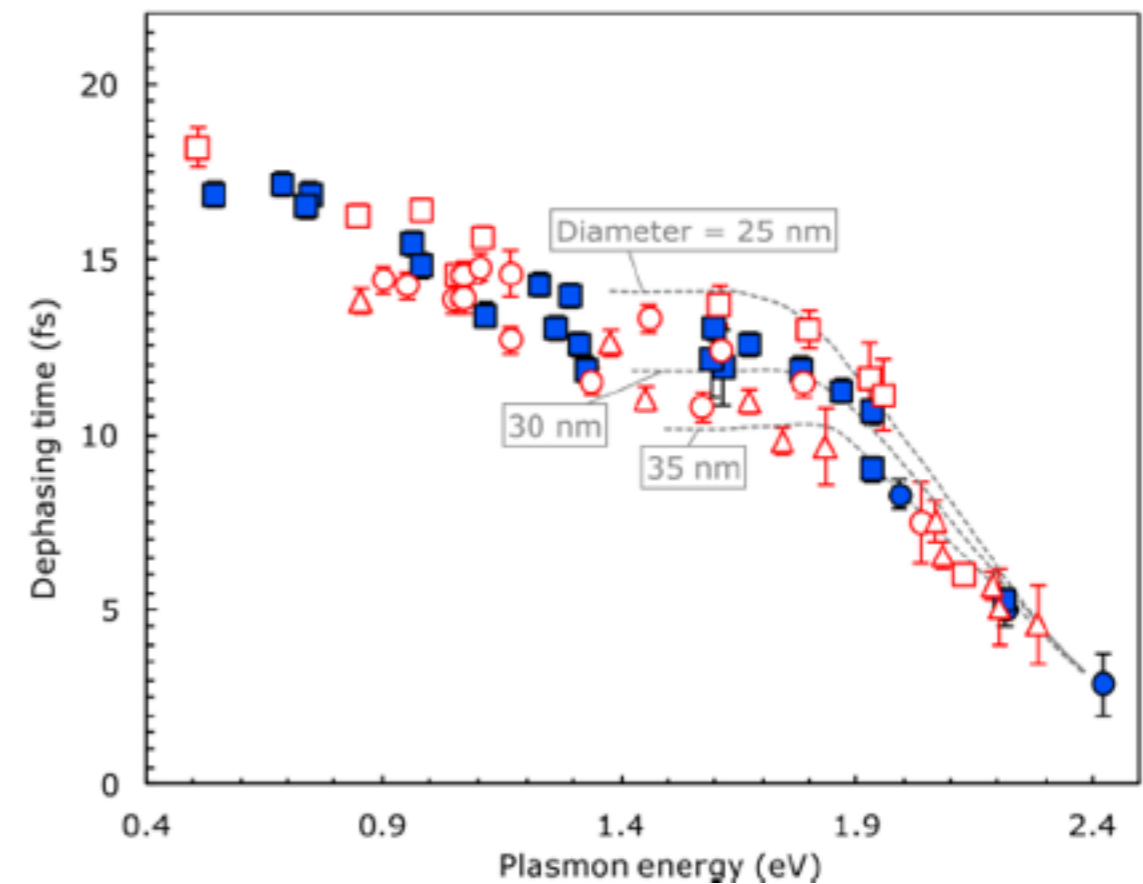
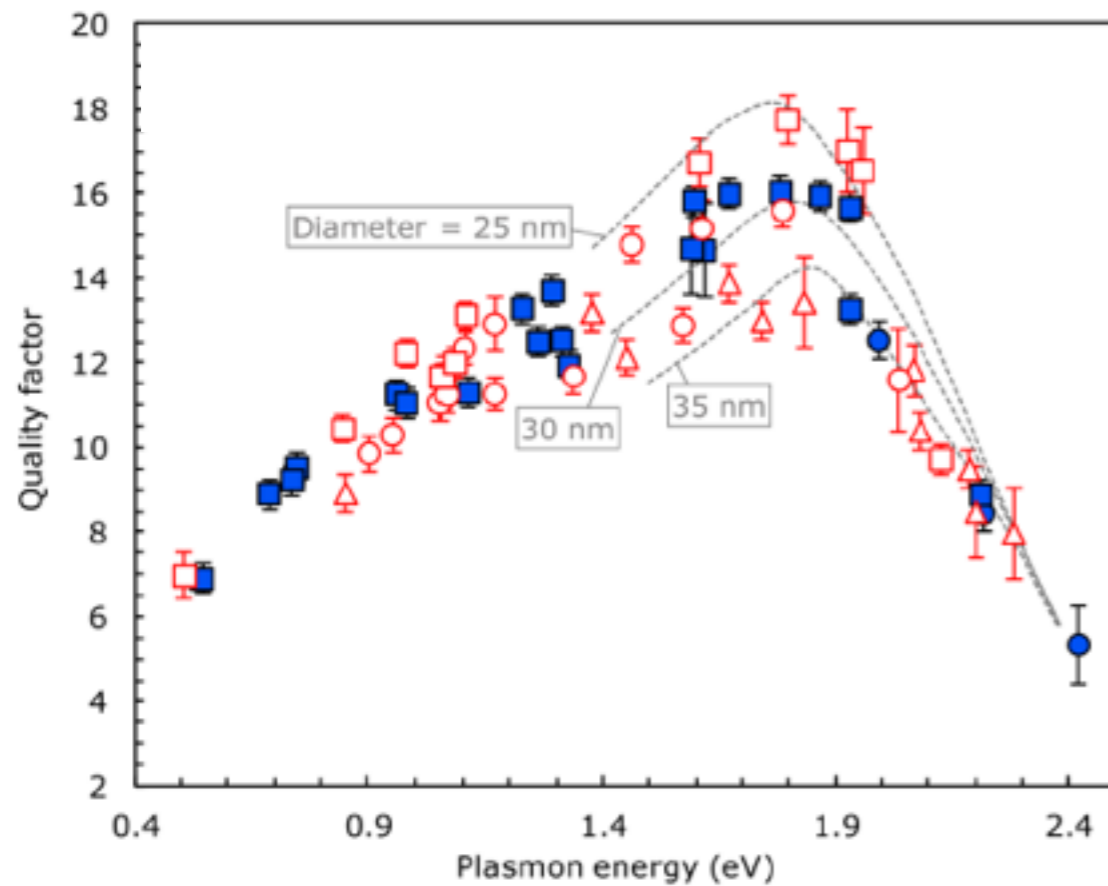
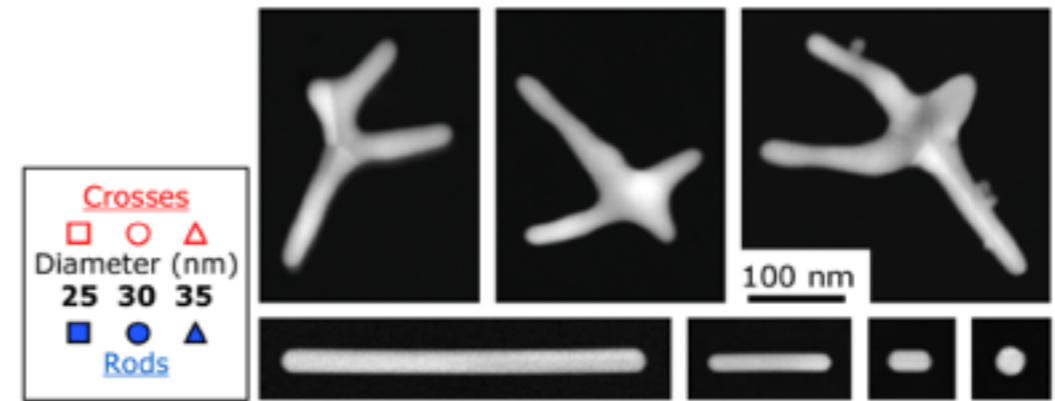
→ Smaller dephasing rate away from Interband Transitions and for small volumes



Measuring Plasmon line width in (S)TEMs → Highly monochromatic electron beam

Mono- $\lambda$  FEI Titan Schottky, 70 meV FWHM

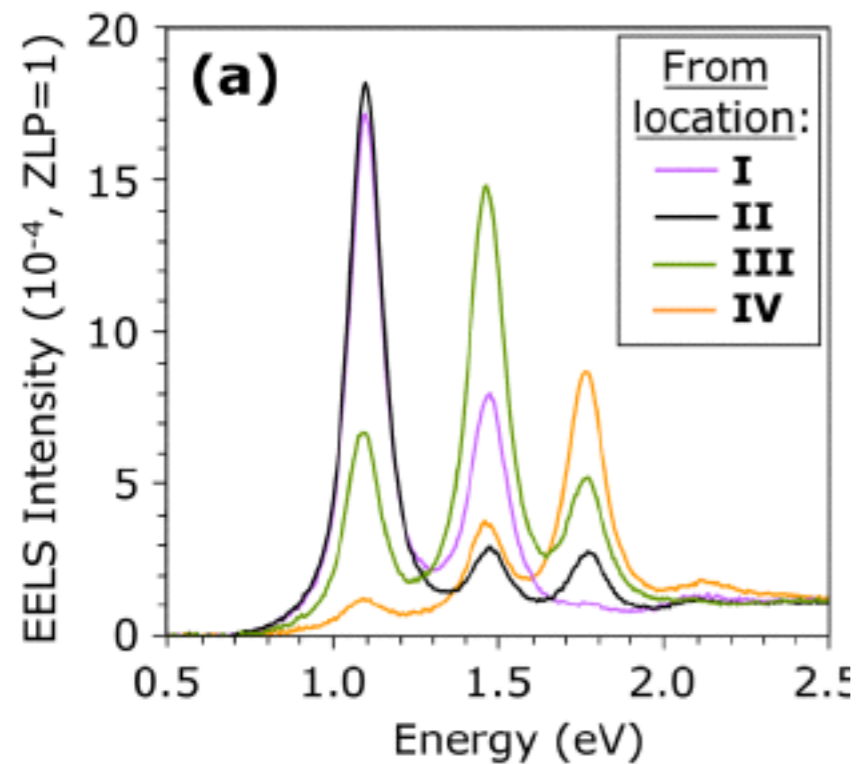
M. Bosman, IMRE, Singapore



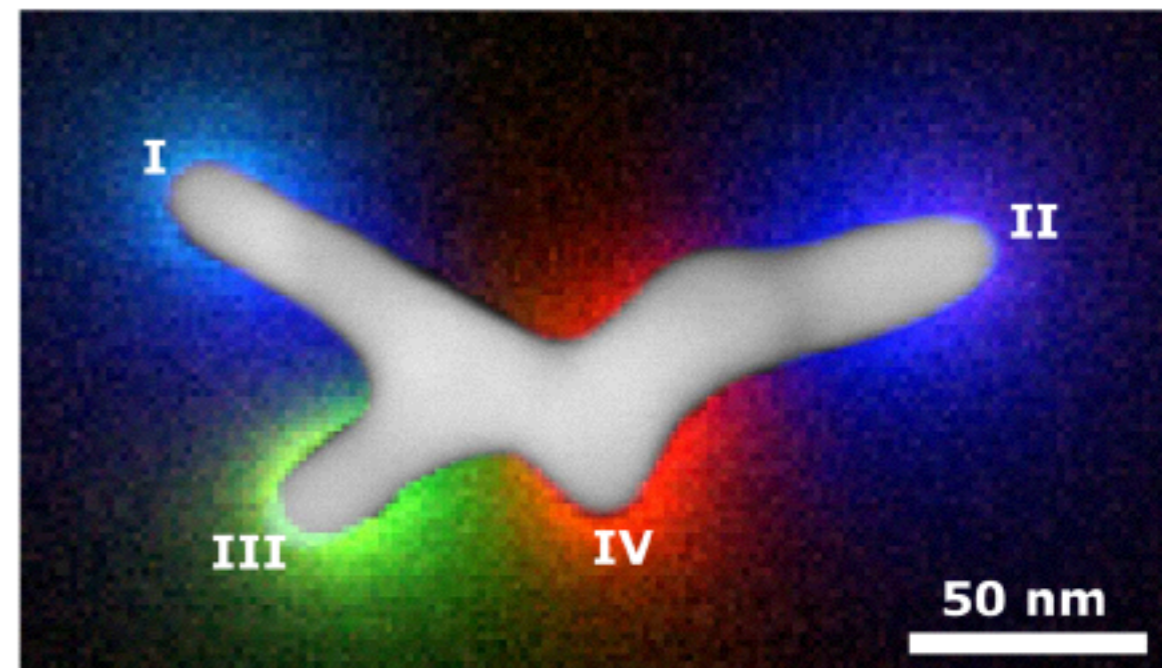
→ Surface Plasmon Damping depends on plasmon Energy not particle Shape !

# Spatially-Resolved Measurement of Surface Plasmon Dephasing

High monochromaticity + Spatial Resolution



Q-factor		$T_2$ (fs)
12.4 $\pm 0.36$	Blue	14.8 $\pm 0.40$
14.8 $\pm 0.33$	Green	13.4 $\pm 0.32$
15.0 $\pm 0.20$	Red	11.2 $\pm 0.22$



→ Surface Plasmon Damping mapped within a nanostructure

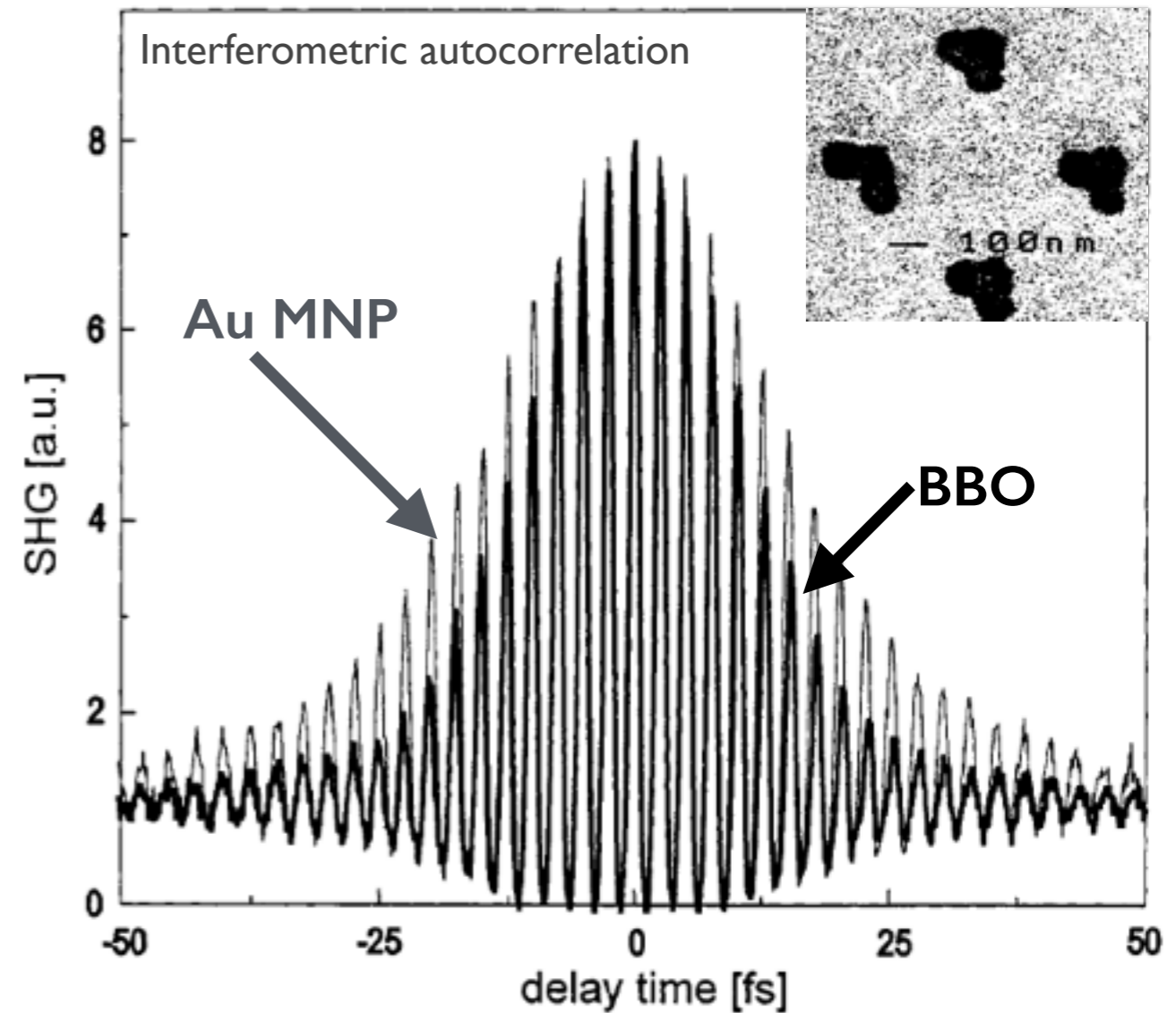
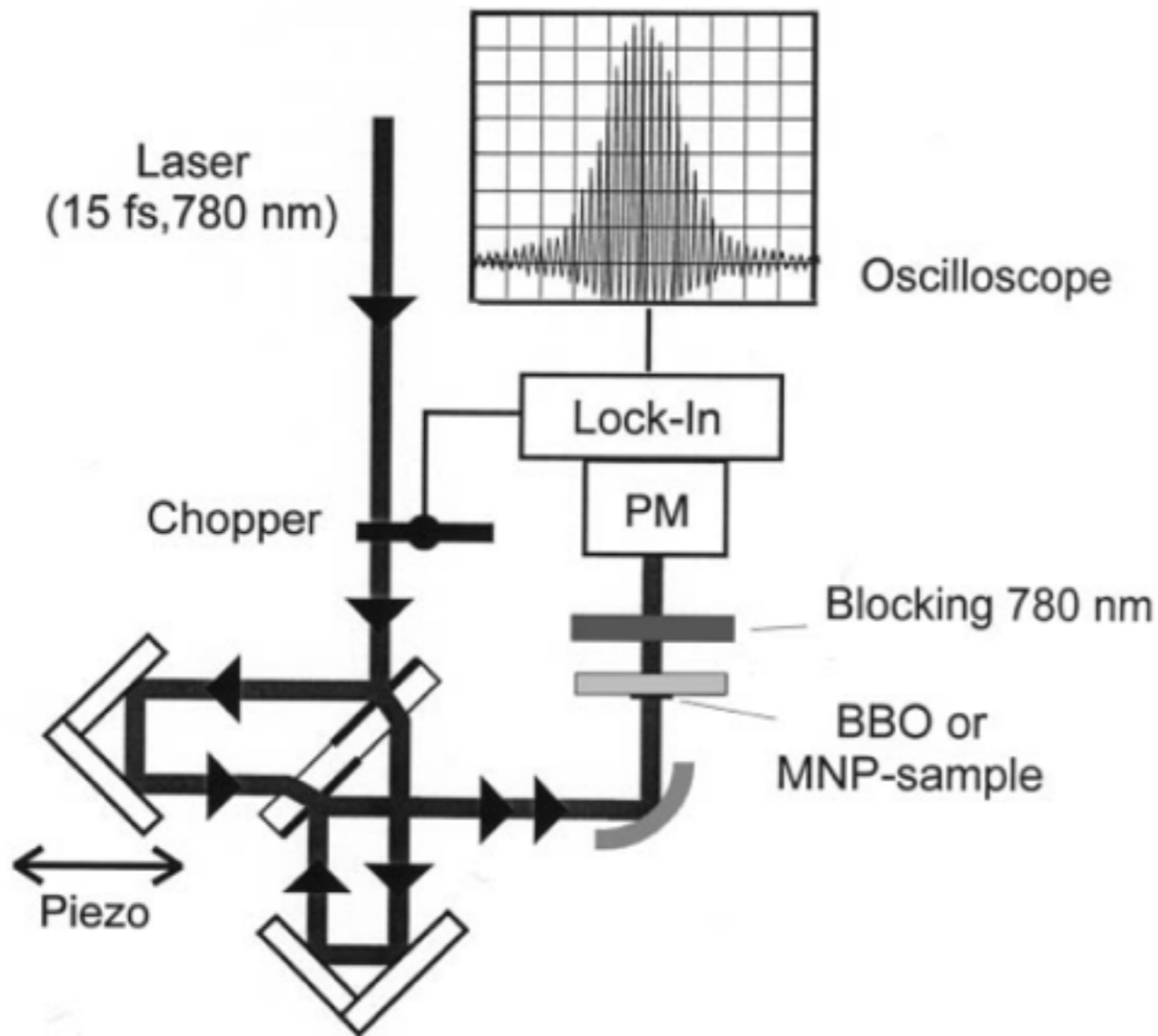
# Time-Resolved Measurement of Surface Plasmon Damping using SHG

Time-Resolved studies of plasmon dephasing require ultrashort pulses ( $< 15$  fs)

**SHG** Lambrecht et al, Appl. Phys. B 68, 419–423, **1999**

**THG** Lambrecht et al, Phys. Rev. Lett., 83, 4421, **1999**

**FROG:** Anderson et al, *Nanoletters*, 10, 2519 **2010**



→ Surface Plasmon dephasing Time: 6 fs (Au) 7 fs (Ag)

# Femtosecond Pump-Probe Spectroscopy

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# Principle of pump-probe experiments

✓ Reproducible process



Pump  
pulse



time

# Principle of pump-probe experiments

✓ Reproducible process



Pump  
pulse



time

# Principle of pump-probe experiments

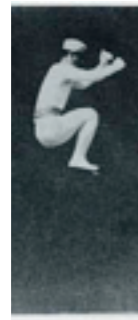
✓ Reproducible process



Pump pulse



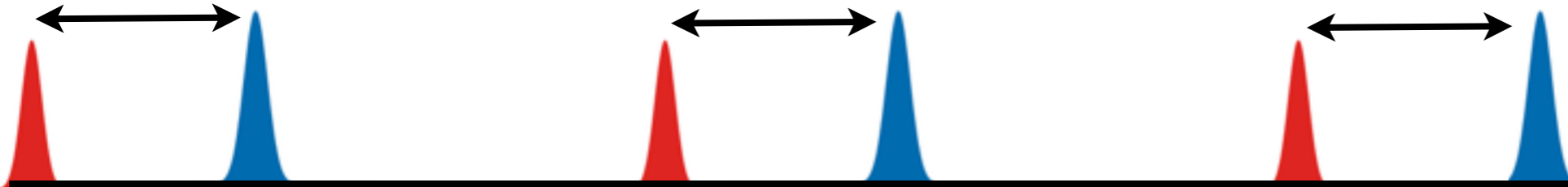
time



$\Delta t$

$\Delta t$

$\Delta t$



Probe pulse

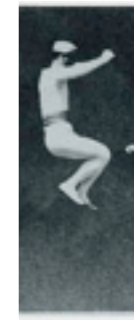
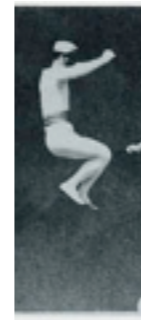
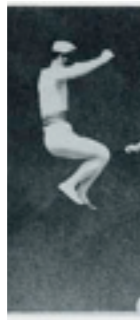
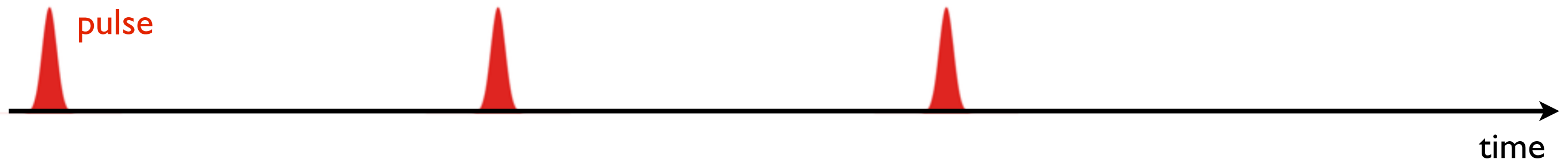
time

# Principle of pump-probe experiments

✓ Reproducible process



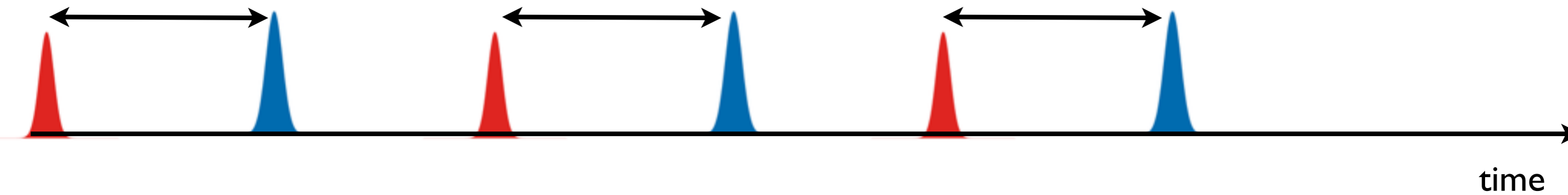
Pump  
pulse



$\Delta t'$

$\Delta t'$

$\Delta t'$



time

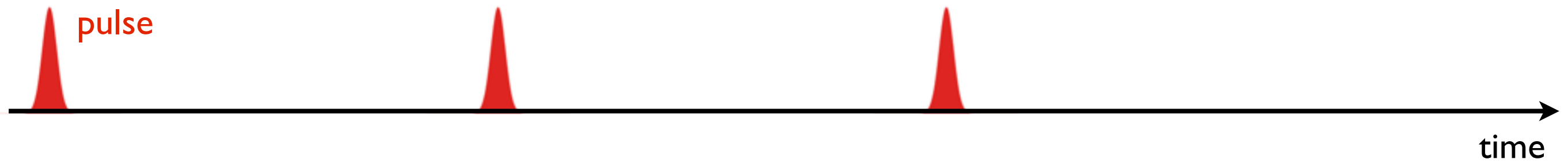


# Principle of pump-probe experiments

✓ Reproducible process



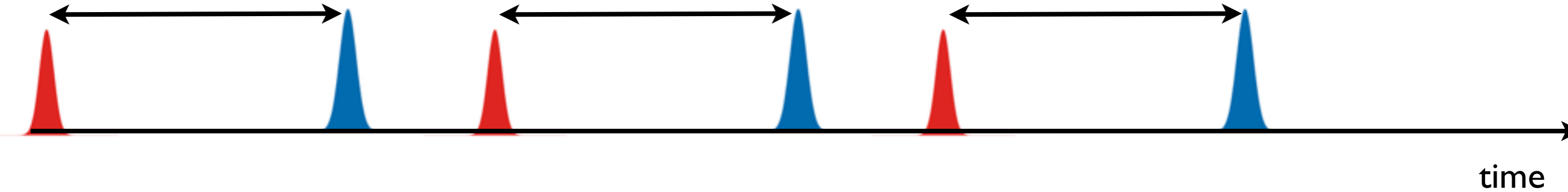
Pump  
pulse



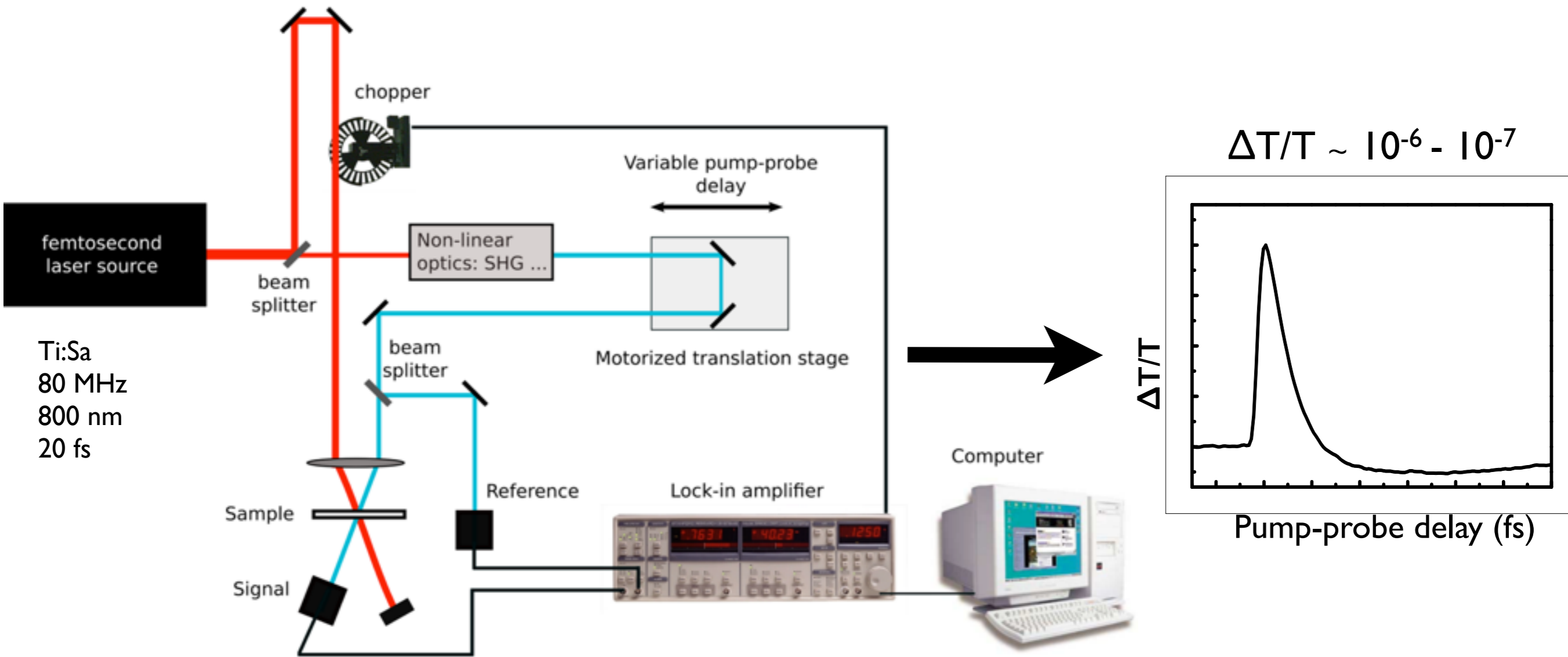
$\Delta t''$

$\Delta t''$

$\Delta t''$



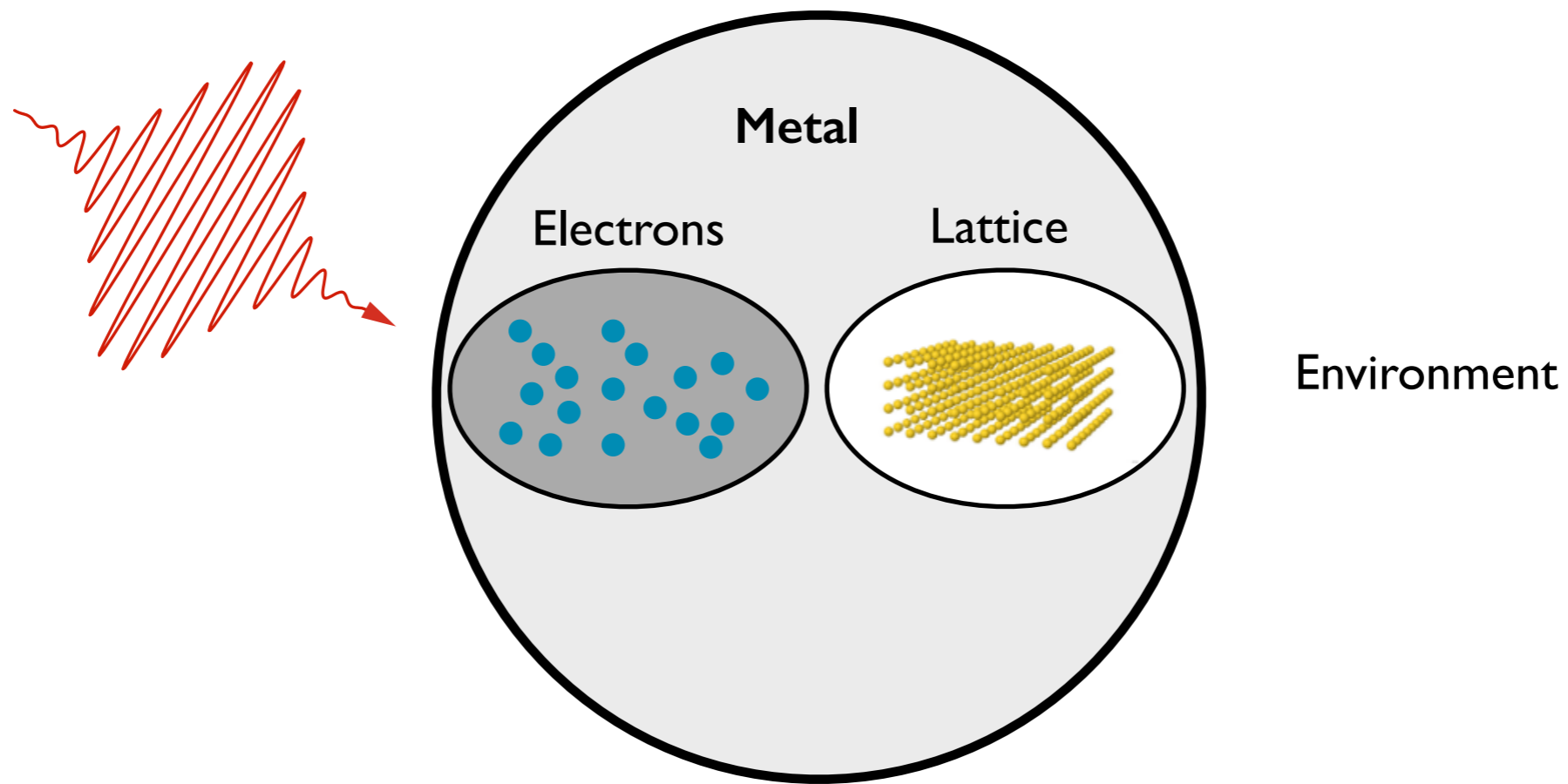
# Femtosecond Pump-Probe Spectroscopy



# Ultrafast Electron Dynamics

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# Ultrafast dynamics of metallic Nanostructures



Electron Thermalization

Electron-Lattice Thermalization

0 fs

10 fs

100 fs

1 ps

10 ps

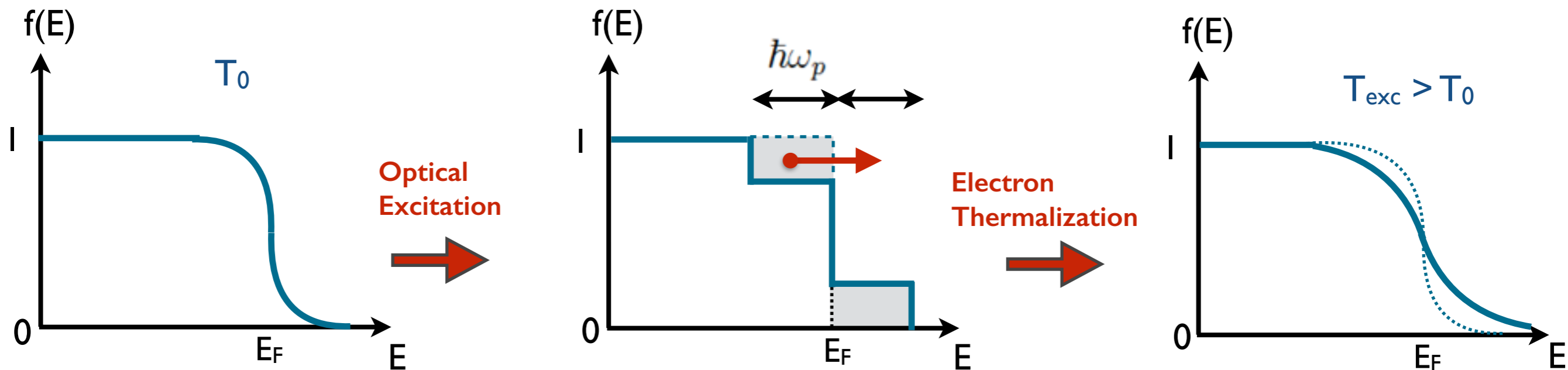
100 ps

Time

# Electron-electron Thermalization in Noble Metal Nanoparticles

The dephasing of the plasmon ( $\sim 10$  fs) yields an ensemble of electron-hole pairs

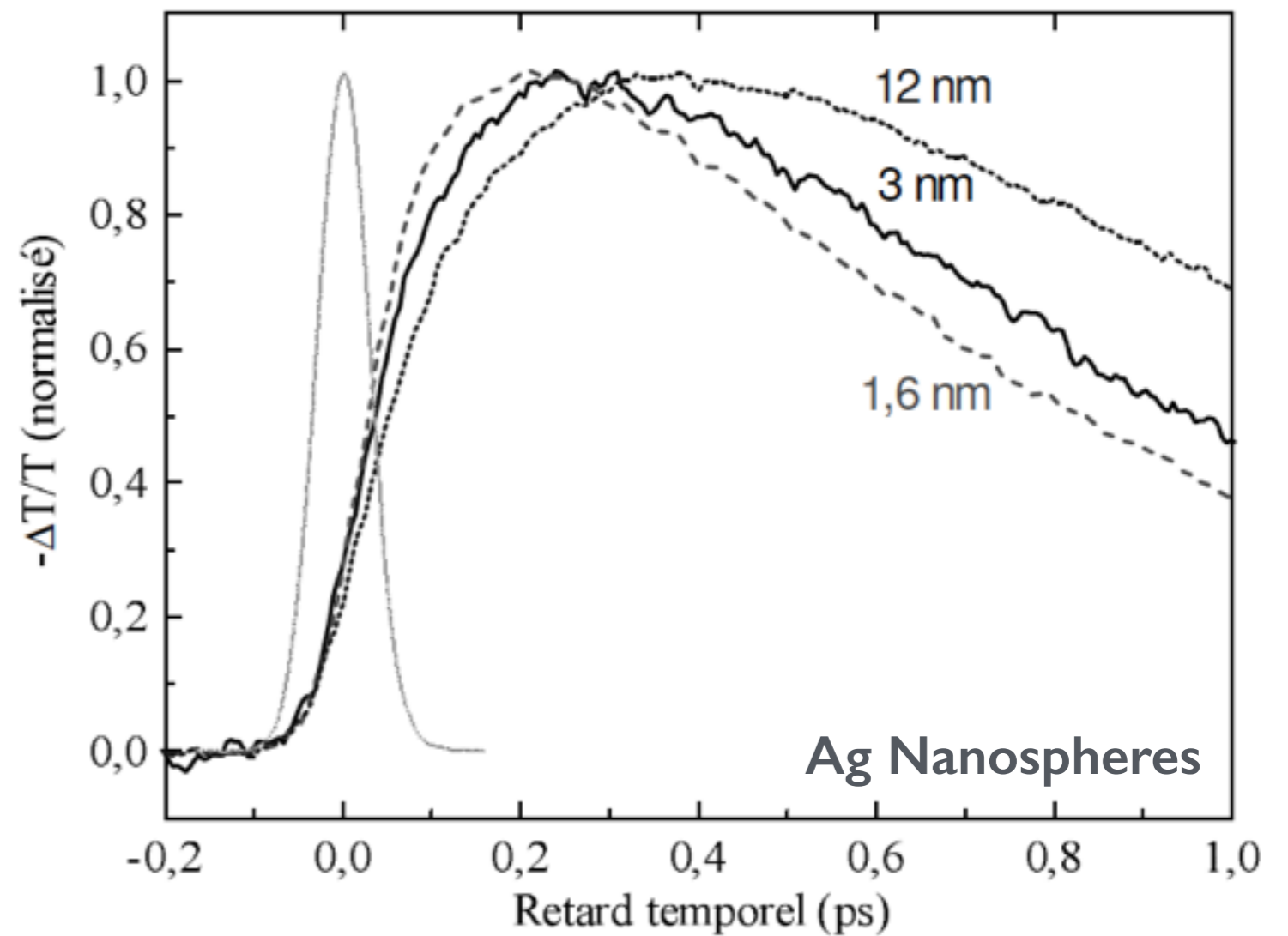
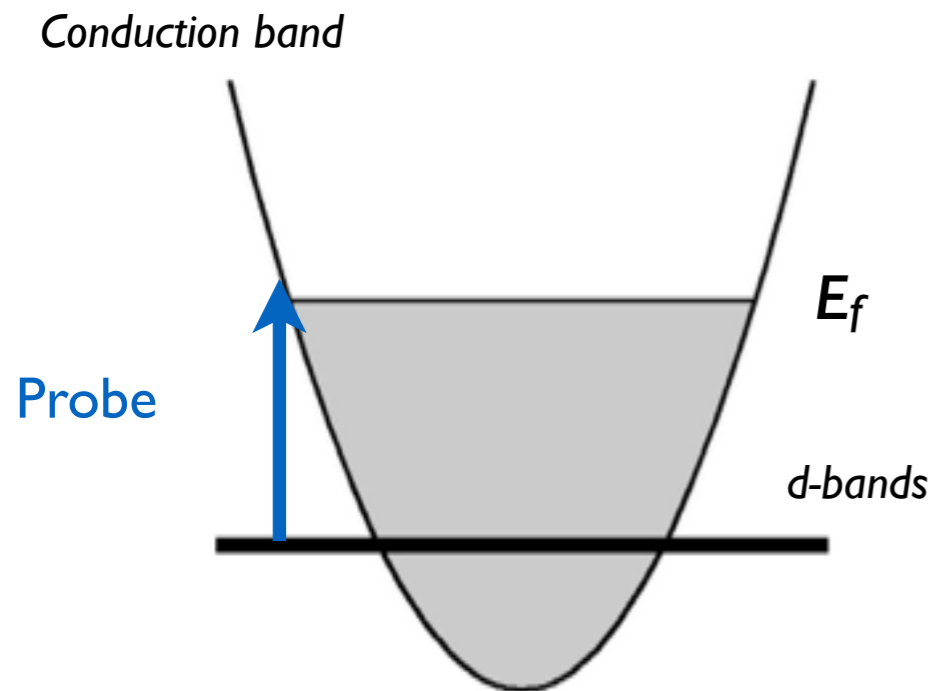
→ Athermal electronic distribution



→ Internal thermalization of electron gas is mediated by electron-electron interactions

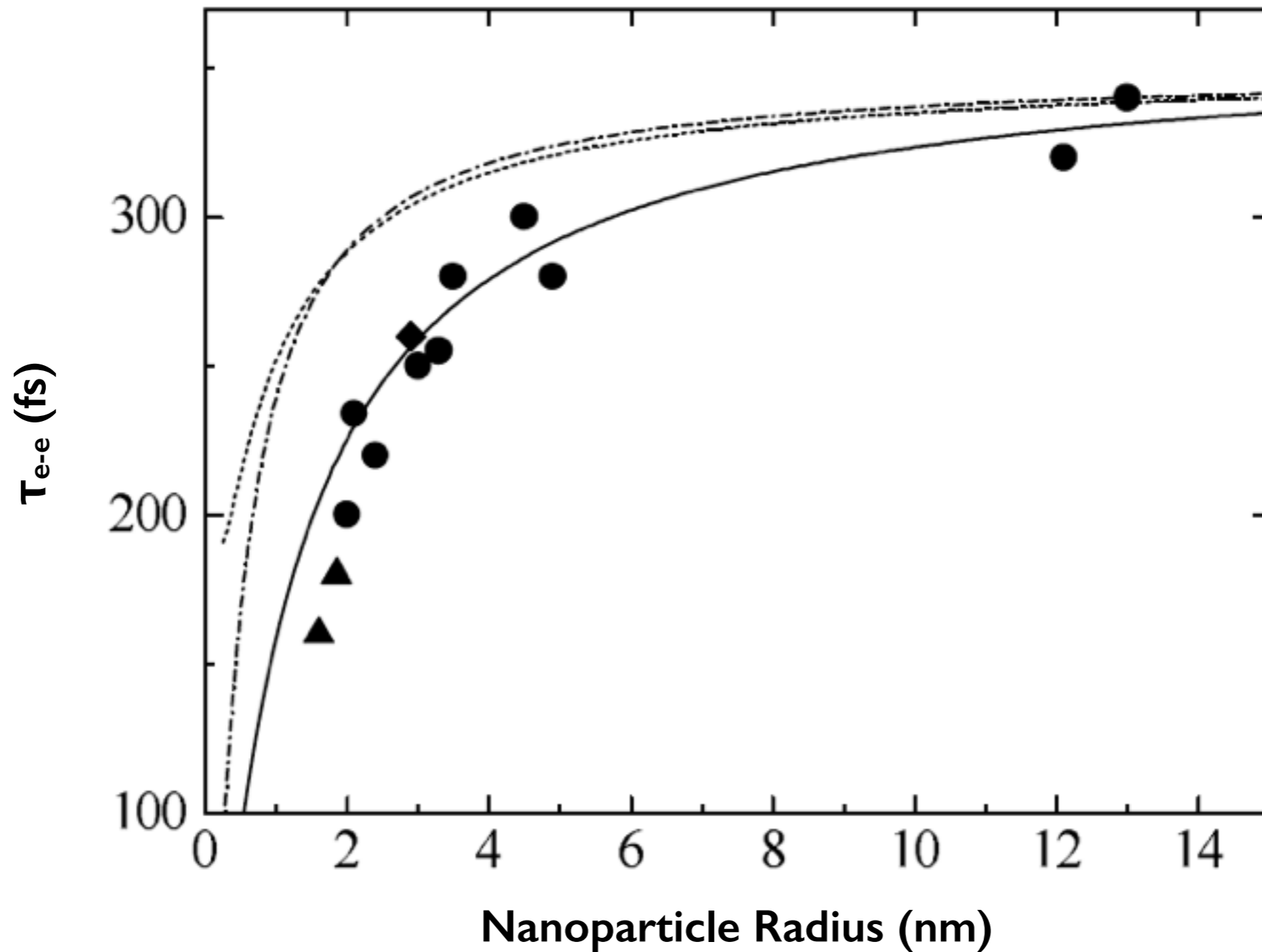
To selectively address electron internal thermalization

→ Probe resonant with interband transitions



→ Acceleration of electronic thermalization in small nanoparticles

# Electron-electron Thermalization in Noble Metal Nanoparticles



**Bulk Ag: 350 fs**  
**Bulk Au: 500 fs**

- Acceleration of electronic thermalization in small nanoparticles
- Less efficient screening of Coulomb interaction close to surfaces

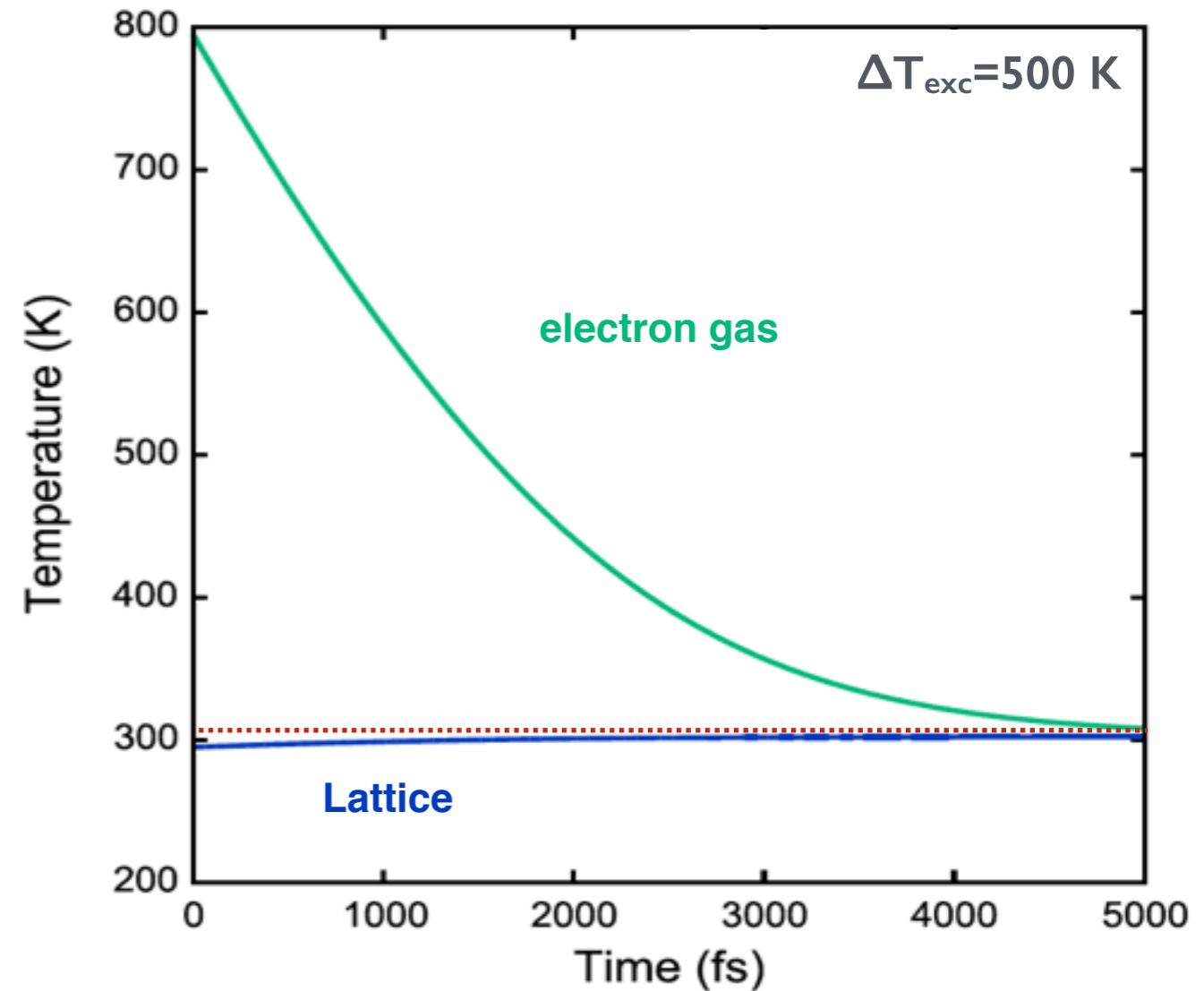
# The Two-Temperature Model

After a few hundreds fs, the electron gas is thermalized but hotter than lattice

The **Two-Temperature Model** assumes that electron gas and Lattice are separately thermalized

$$C_e \frac{dT_e}{dt} = \gamma T_e \frac{dT_e}{dt} = -G(T_e - T_L)$$
$$C_L \frac{dT_L}{dt} = G(T_e - T_L)$$

↑  
electron-phonon  
coupling constant





# The Two-Temperature Model

After a few hundreds fs, the electron gas is **thermalized** but **hotter** than lattice

The **Two-Temperature Model** assumes that electron gas and Lattice are **separately thermalized**

$$C_e \frac{dT_e}{dt} = \gamma T_e \frac{dT_e}{dt} = -G(T_e - T_L)$$
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↑  
electron-phonon  
coupling constant

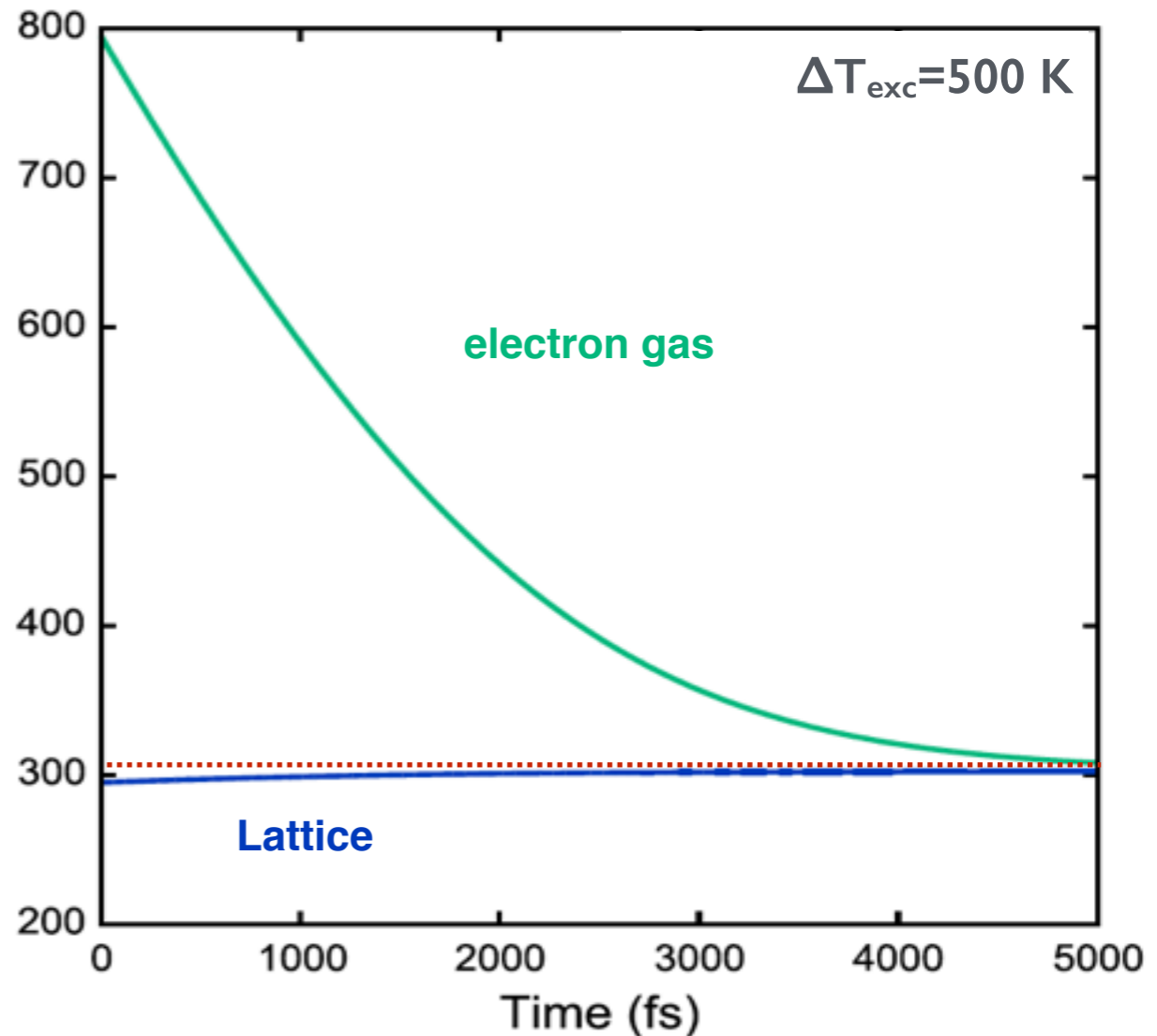
Weak perturbation:  $\Delta T_{exc} = T_e(0) - T_L \ll T_L$

Monoexponential decrease of :

- Electronic temperature  $T_e$
- Excess electronic energy  $\Delta u_e$ :

$$\Delta u_e(t) \approx C_e(T_o)(T_{exc} - T_L) e^{-t/\tau_{e-ph}}$$

**Electron-Lattice Thermalization characteristic Time:**



$$\tau_{e-ph} \approx \frac{C_e(T_o)}{G}$$

# Electron-Phonon Thermalization in Noble Metal Nanoparticles

Probe not resonant with interband transitions

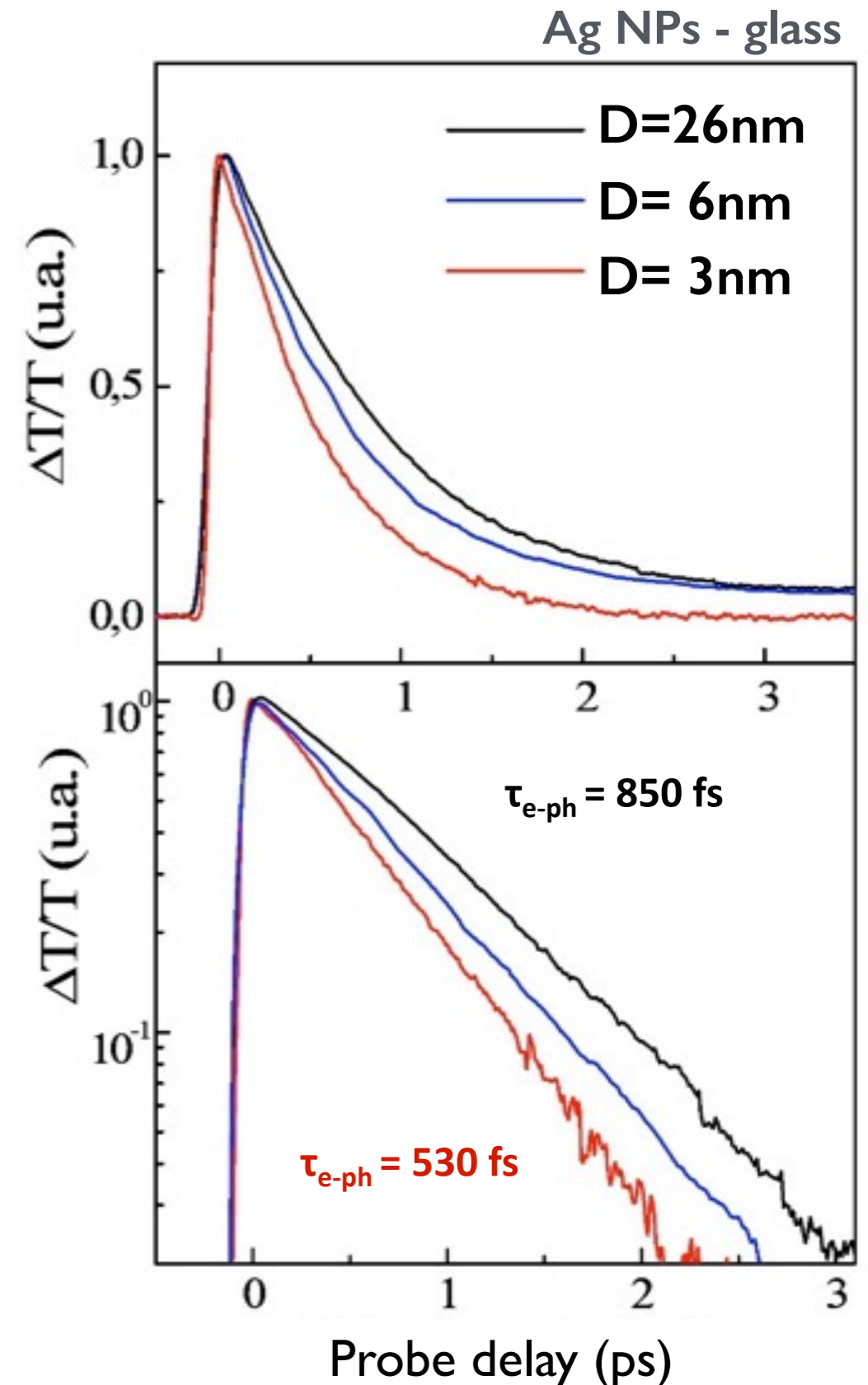
$$(\omega_{pr} \ll \Omega_{ib})$$

$$\Delta T/T \propto \Delta u_e$$

→ Energy stored in electron gas

Systematic studies as a function of size

→ Decrease of  $\tau_{e-ph}$  with nanoparticle size



See also: Studies by Hartland, Aeschlimann, Bigot....

# Electron-lattice characteristic coupling time: Size dependence

Systematic investigation: size, environment...

$\tau_{e-ph}$  independent from:

- environment
- Fabrication process

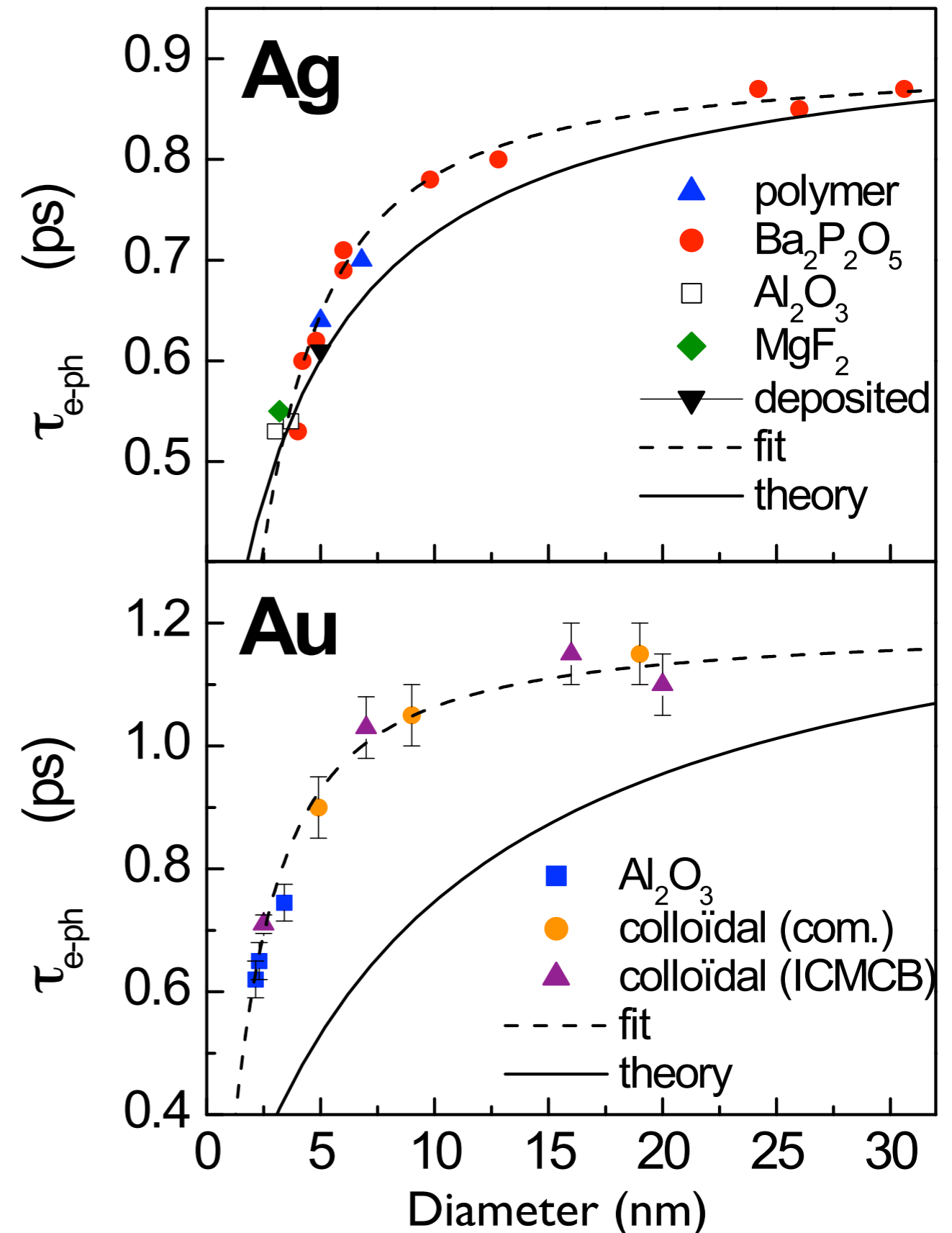
→ intrinsic effect

$\tau_{e-ph}$  decreases for  $D < 10$  nm :

→ Increase of electron-phonon coupling for smaller nanoparticles

→ Reduced screening of Coulomb interaction in the vicinity of surfaces

**Bulk Ag: 850 fs - Bulk Au: 1.15 ps**



# Transition from low perturbation regime to strong perturbation

Electron gas specific heat capacity depends on temperature

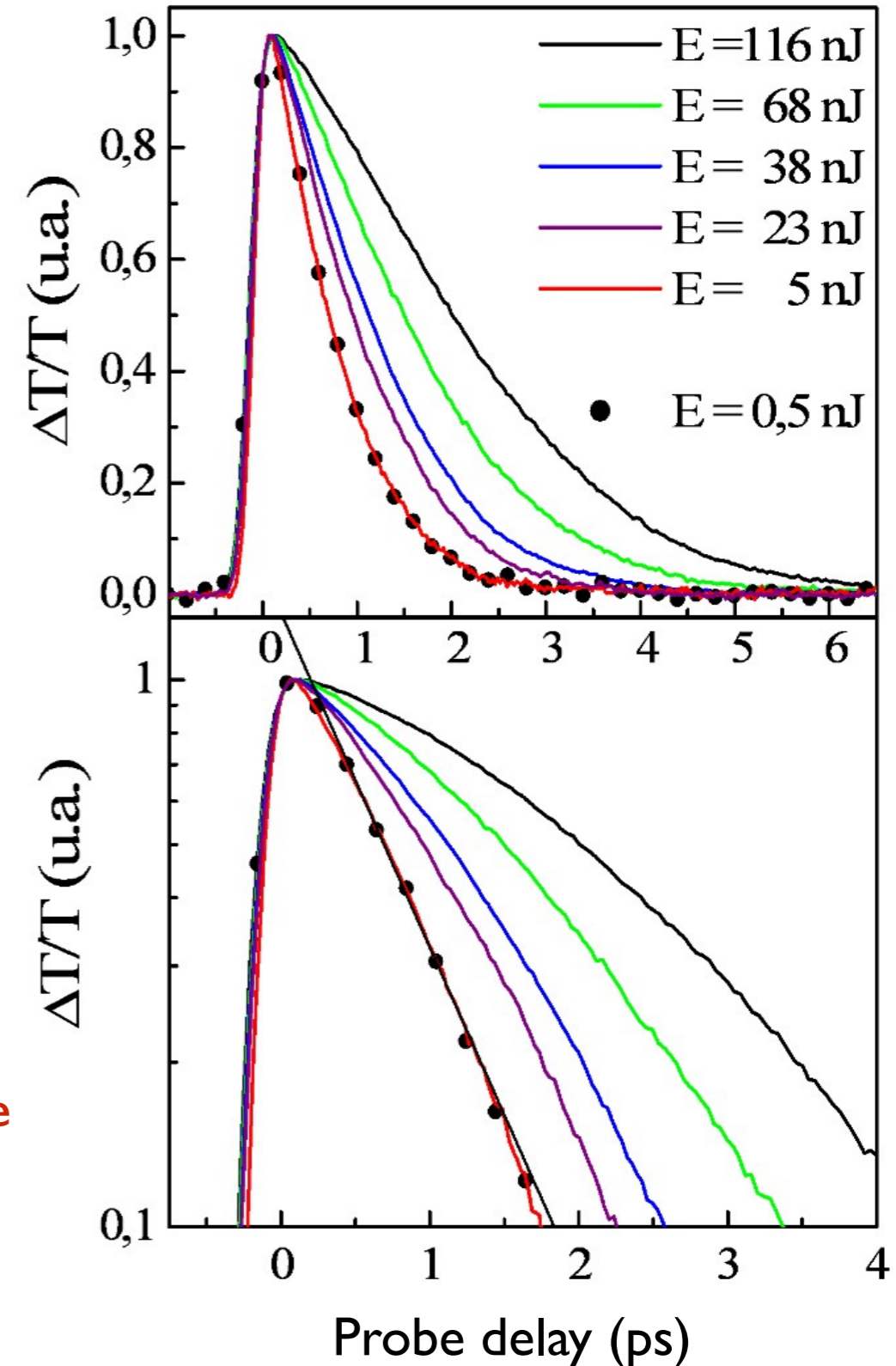
$$C_e = \gamma T_e$$

→ No monoexponential decrease for higher pump fluences

→ Increase of measured Electron-Lattice thermalization Time

→ No more intrinsic effect

→ Caution when measuring electron-lattice thermalization time



# Nonequilibrium Electron Dynamics in Gold

Both **electron-electron** and **electron-phonon** interactions can be taken into account using **Boltzman's equation**

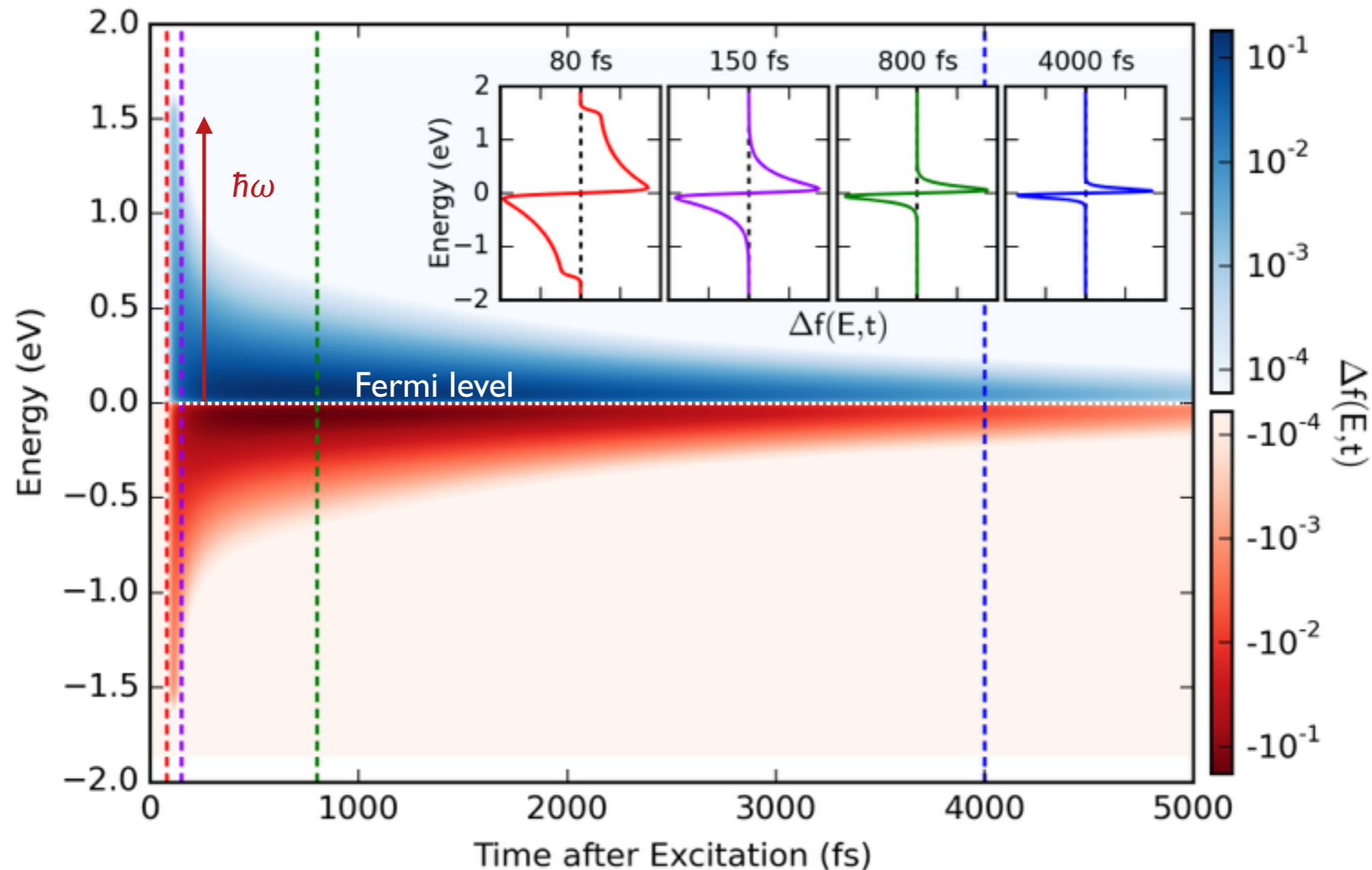
$$\frac{df(E, t)}{dt} = \left. \frac{df(E, t)}{dt} \right|_{e-e} + \left. \frac{df(E, t)}{dt} \right|_{e-ph} + F(E, t)$$

Electron/electron

Electron/phonon

Sun et al. Phys. Rev. B 50, 15337, **1994**

Del Fatti et al. Phys. Rev. B 61, 16956, **2000**



20 fs  
 $\hbar\omega = 1.55$  eV  
 $\Delta T = 500$  K

Alternatively, the non equilibrium dynamics can be described by a **Three-Temperature Model**

Zavelani-Rossi et al,  
 ACS Photonics, 2 (4), 521, **2015**

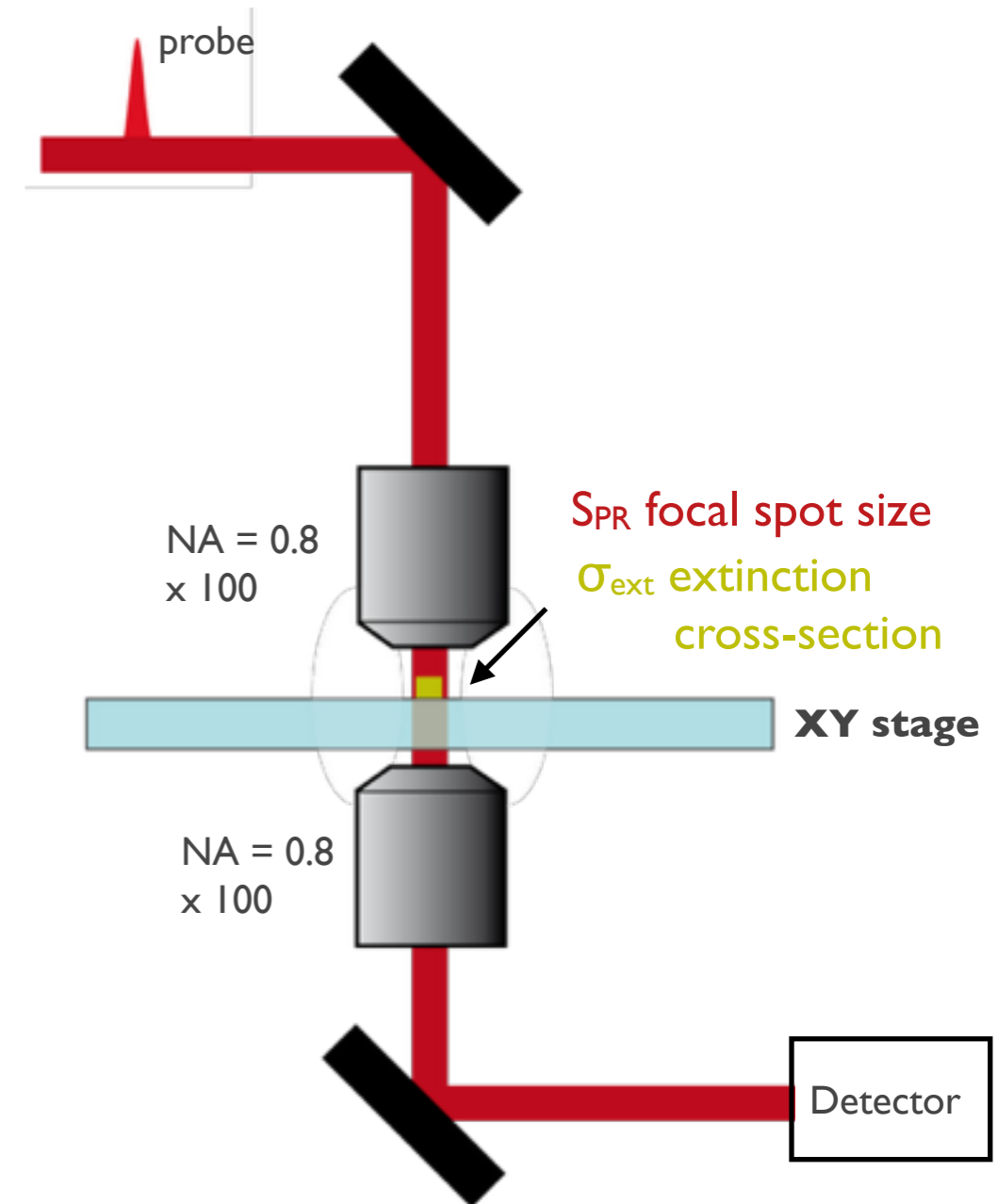
# Time-Resolved Studies on individual Nano-Objects

To address a **single** metal nanoparticle : **dilute** samples

→ 1 nanoparticle in probe focal spot  $S_{PR}$

$$T \approx \left(1 - \frac{\sigma_{ext}}{S_{pr}}\right) \times T_0$$

← Transmission of probe beam without metal particle



# Time-Resolved Studies on individual Nano-Objects

To address a **single** metal nanoparticle : **dilute** samples

→ 1 nanoparticle in probe focal spot  $S_{PR}$

$$T \approx \left(1 - \frac{\sigma_{ext}}{S_{pr}}\right) \times T_0$$

← Transmission of probe beam without metal particle

**Pump-induced transmission change :**

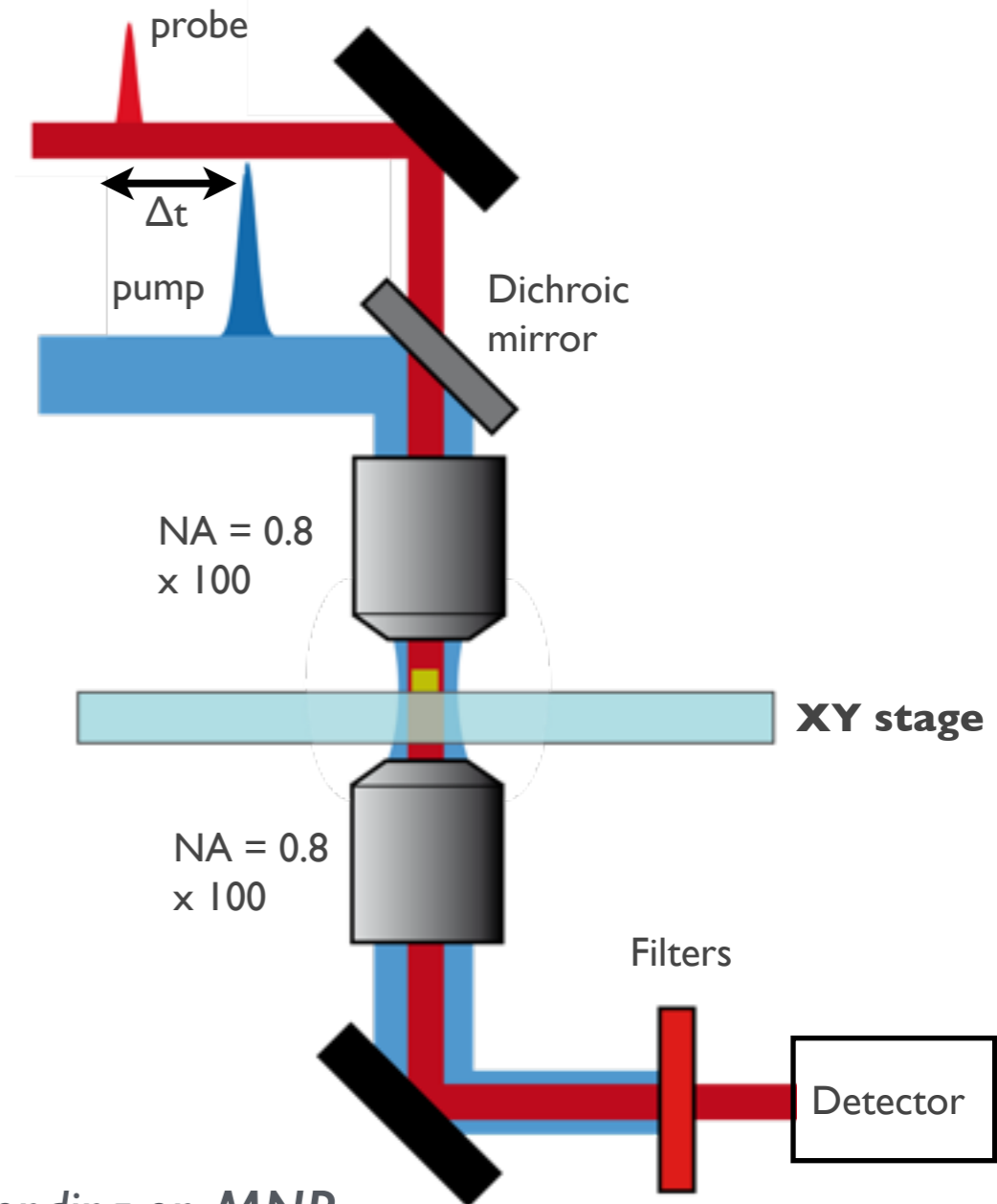
$$\frac{\Delta T}{T} \approx - \left(\frac{\Delta \sigma_{ext}}{\sigma_{ext}}\right) \left(\frac{\sigma_{ext}}{S_{pr}}\right)$$

*Relative modification of the extinction cross section induced by the pump pulse*

*Typ. :  $10^{-3}$  -  $10^{-4}$  for low perturbation*

*Geometrical factor depending on MNP & focusing*

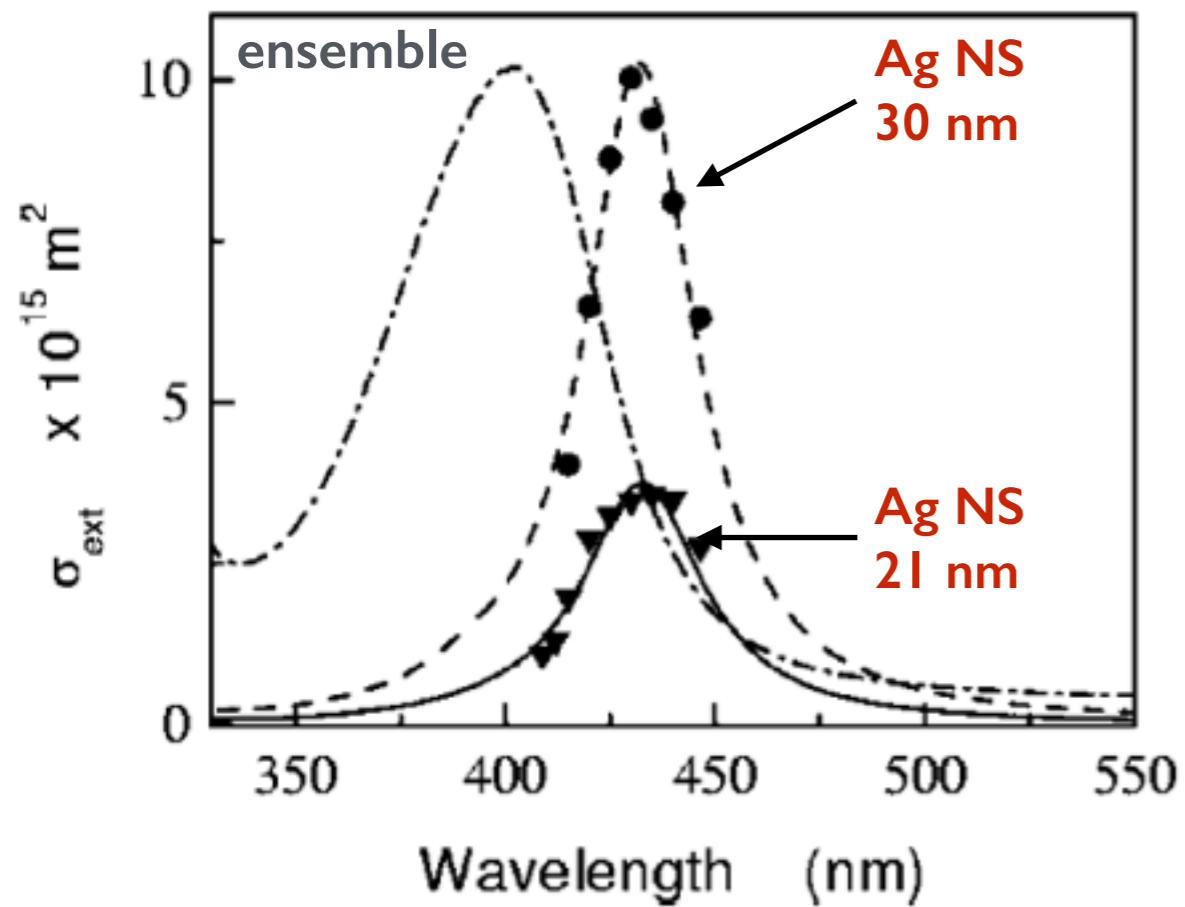
*Ex:  $NA = 0.8$ , Au NP 20 nm →  $10^{-3}$*



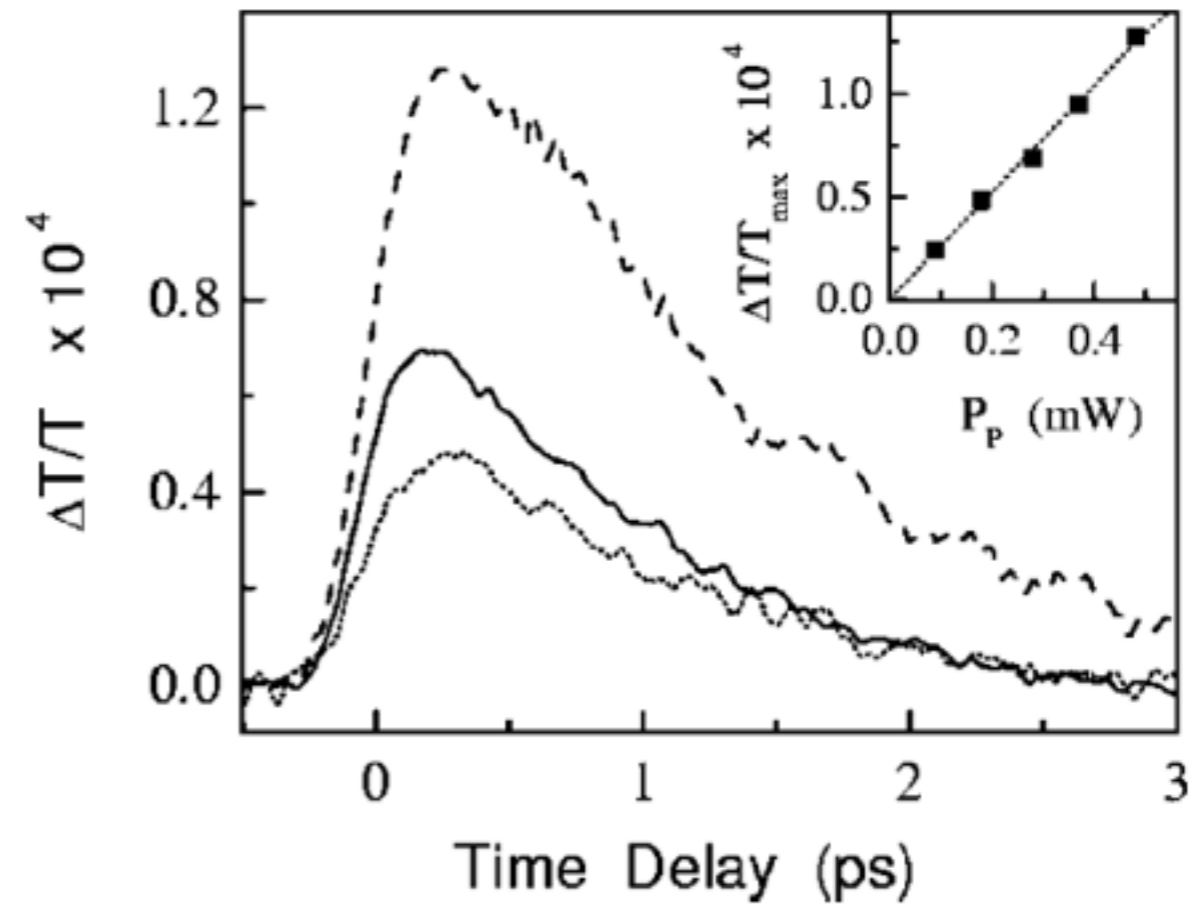
**Pump-probe on a individual nano-object** → Dilute samples  
 → Tight focusing + high S/N ratio ( $10^{-6}$  -  $10^{-7}$ )

## Studies on individual 20 nm Ag nanospheres

### Spatial Modulation Spectroscopy



### Transient absorption spectroscopy

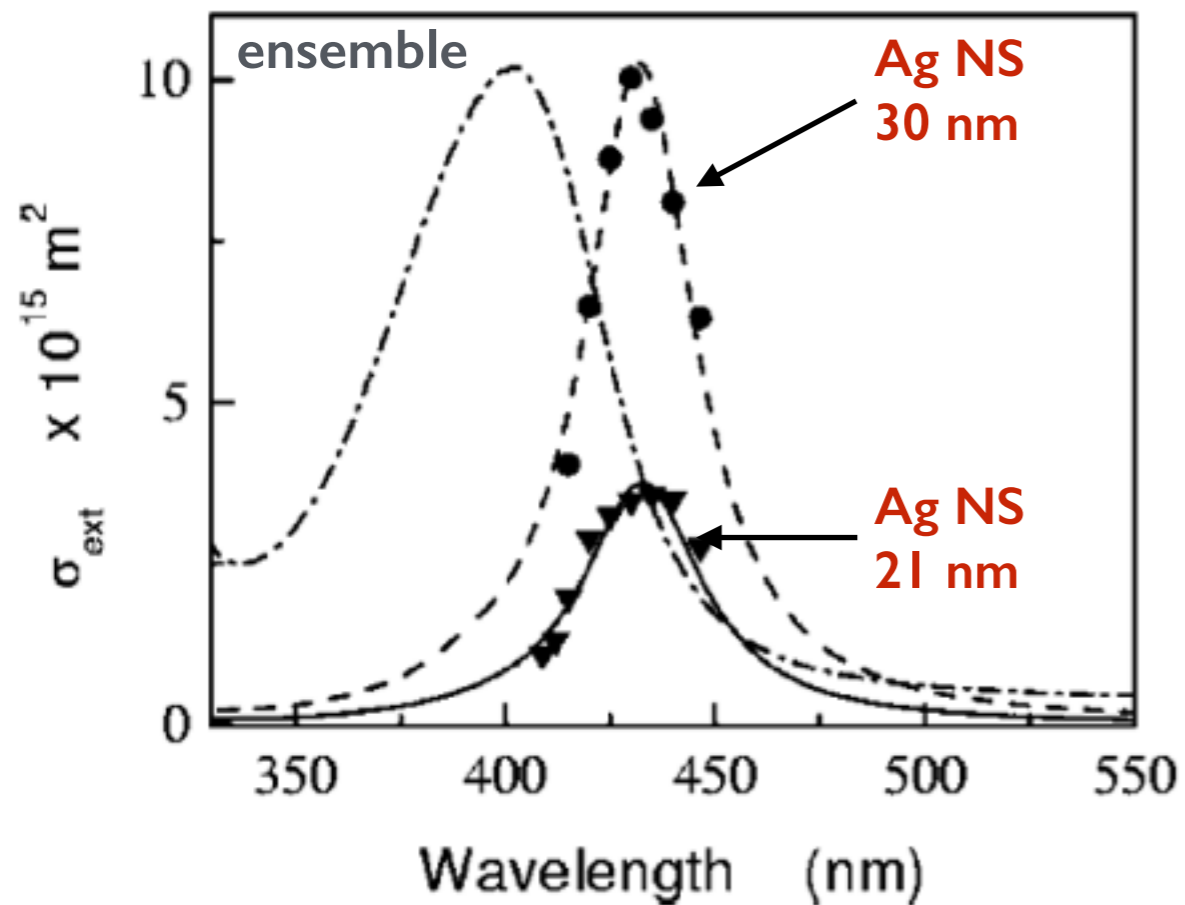


→ Linear extinction spectrum + Ultrafast response

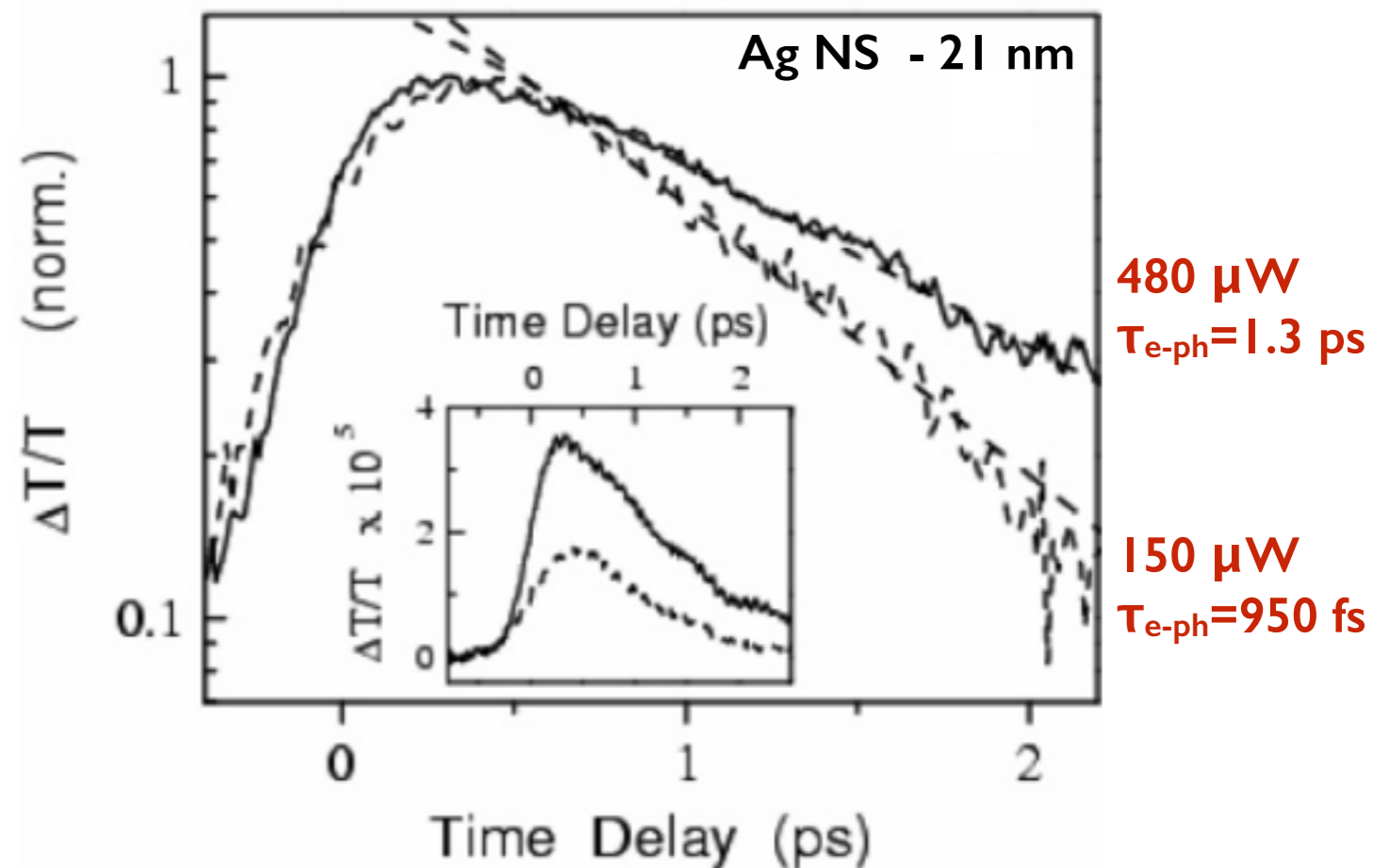


## Studies on individual 20 nm Ag nanospheres

### Spatial Modulation Spectroscopy



### Transient absorption spectroscopy



→ Increase of electron-lattice thermalization time with excitation energy

→ Excellent agreement with Two-Temperature Model

## Two Photoluminescence in Gold Nanostructures

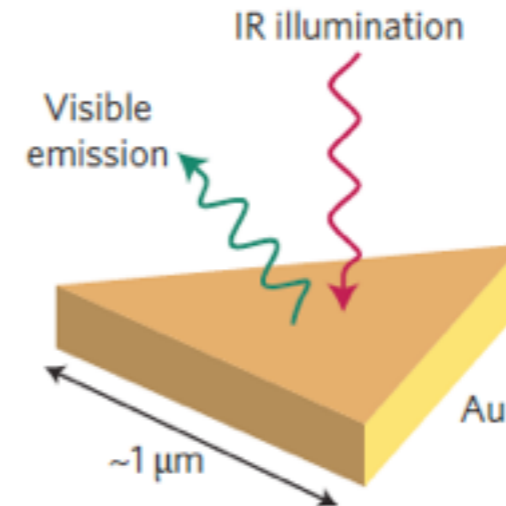
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# Two-Photon induced Photoluminescence from gold nanoparticles

## 2<sup>nd</sup> order incoherent non-linear emission mechanism

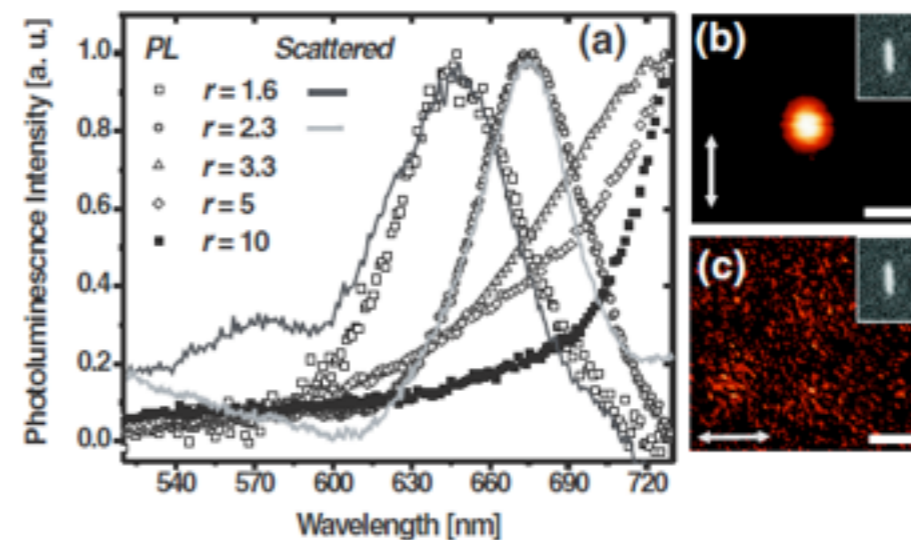
Beverluis et al, PRB, 68, 115433, (2003)

Biagioni et al, PRB, 80, 045411, (2009)

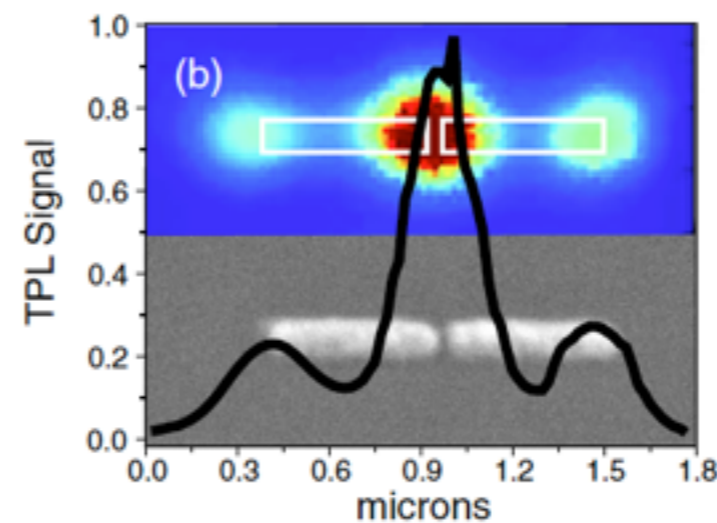


## ⇒ SP spectral characteristics

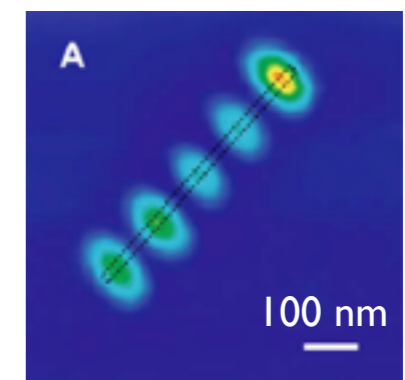
Bouhelier et al, PRL, 95, 267405, (2005)



## ⇒ SP spatial intensity distribution

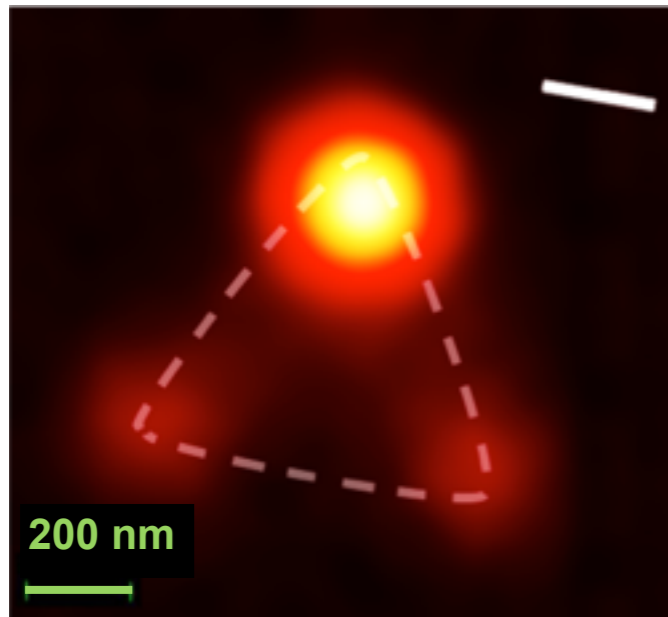
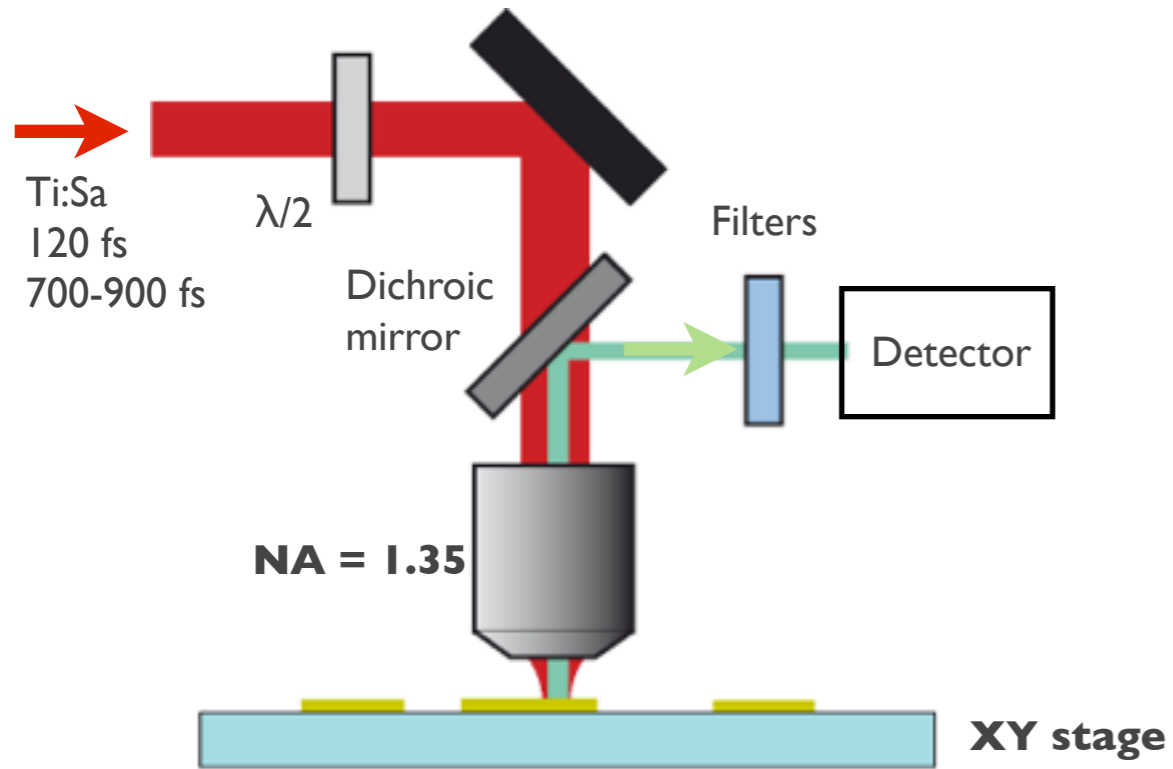


Ghenuche et al, PRL, 101, 116805, (2008)



Okamoto et al, Prog. Surf. Sci., 84, 199, (2009)

## Experiment

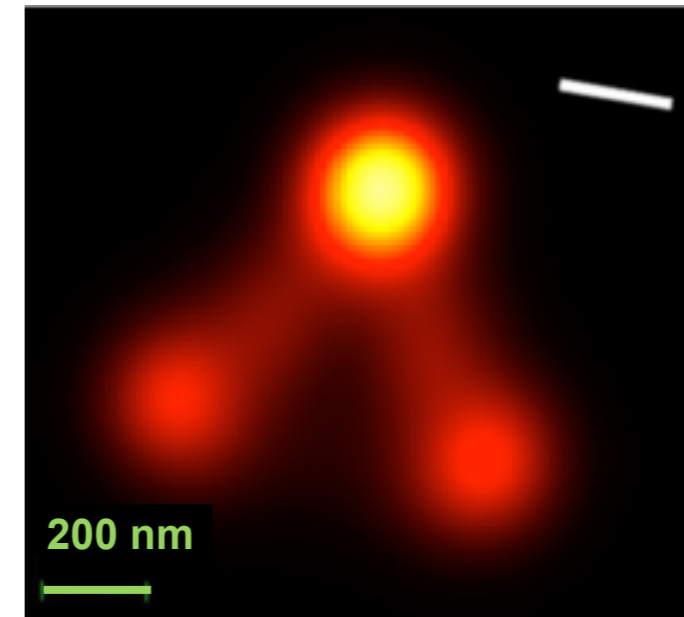


## Theory

TPL = Incoherent 2<sup>nd</sup> order non-linear process

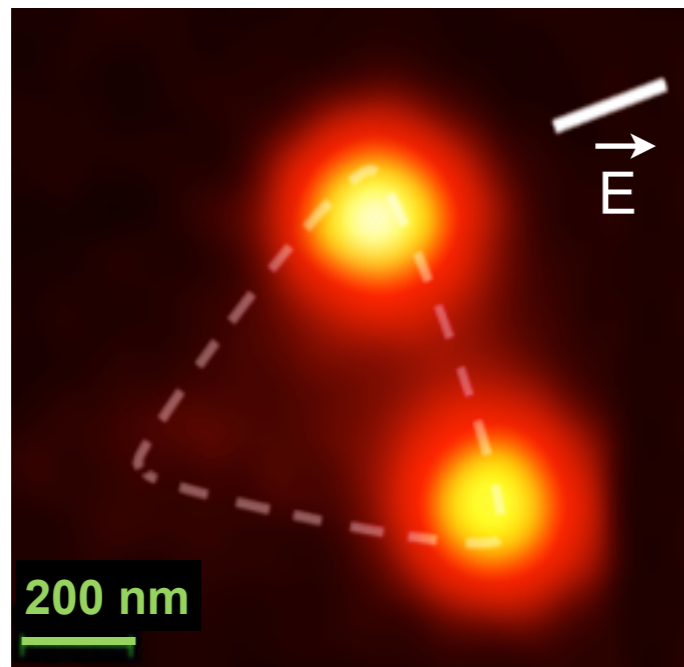
$$I_{\text{TPL}}(\mathbf{r}_0, \omega_{\text{exc}}) = \int_V |\mathbf{E}(\mathbf{r}, \omega_{\text{exc}})|^4 dV$$

Green Dyadic Function formalism

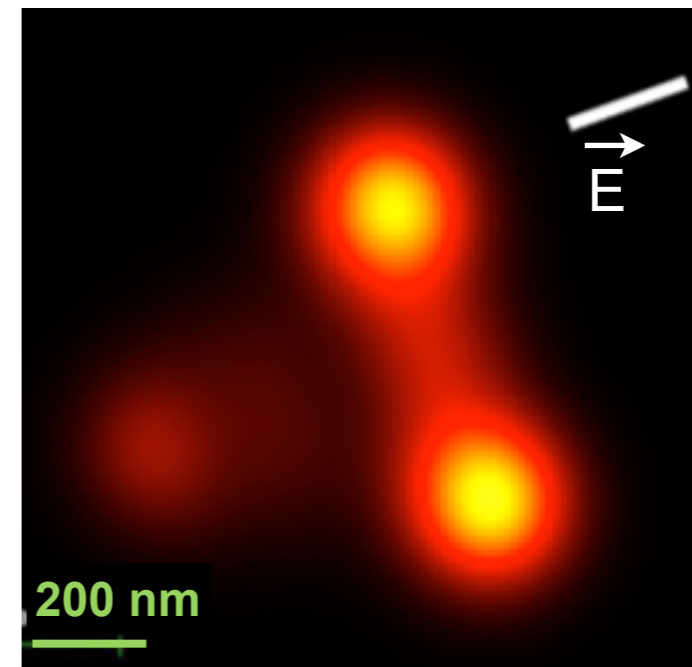


# Polarization-dependent intensity distribution

## Experiment

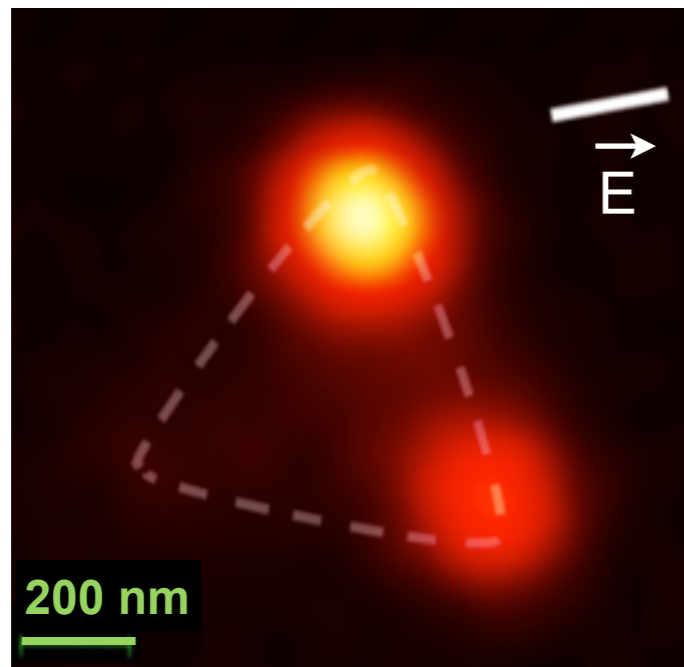


## Theory

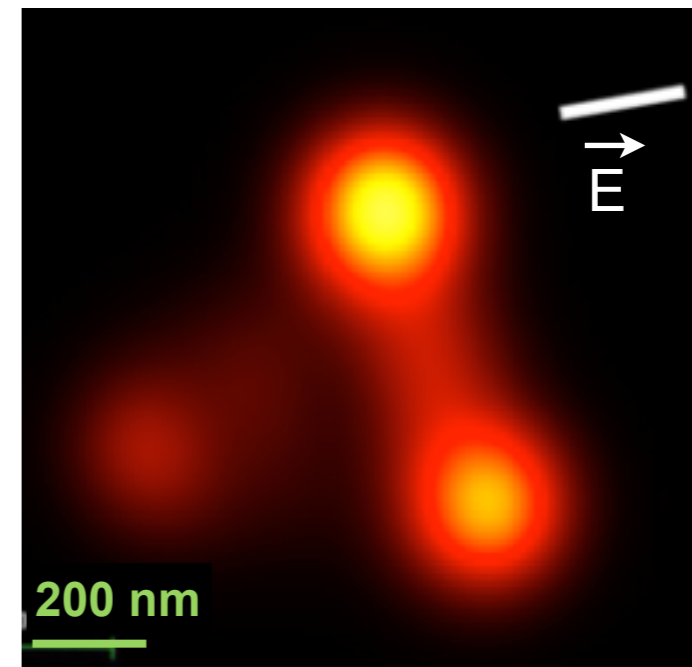


# Polarization-dependent intensity distribution

## Experiment

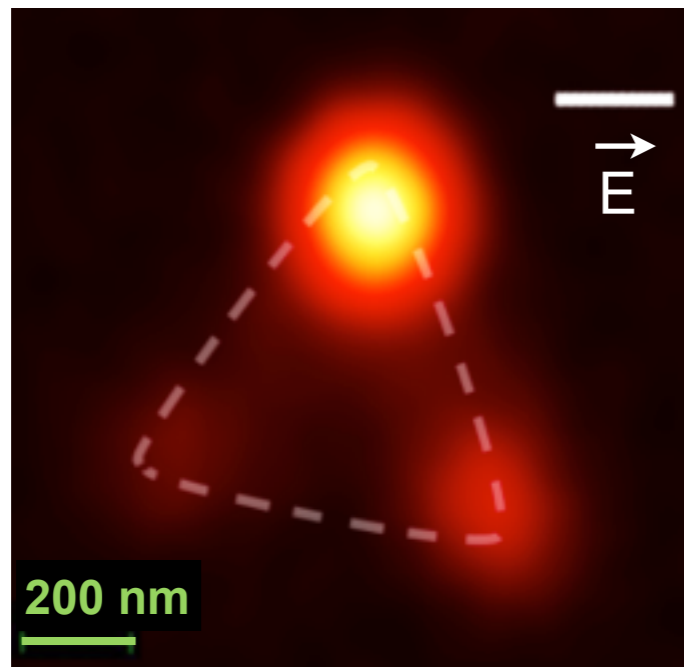


## Theory

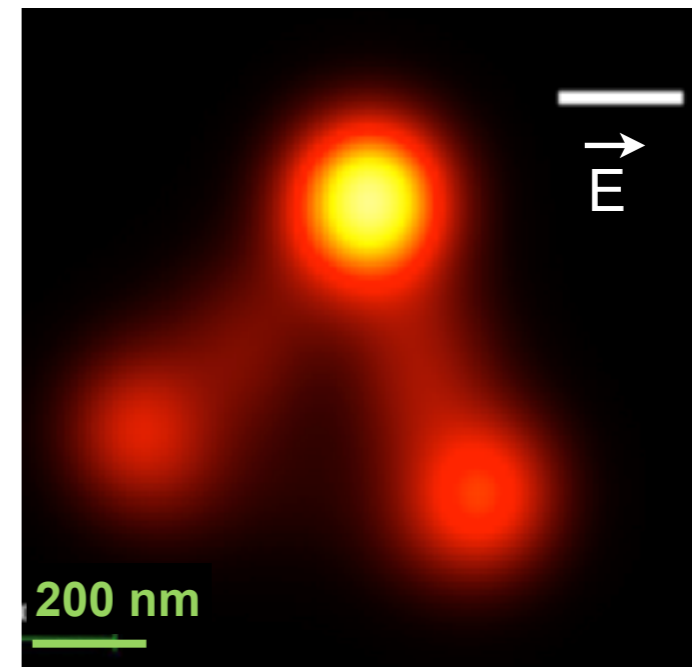


# Polarization-dependent intensity distribution

## Experiment

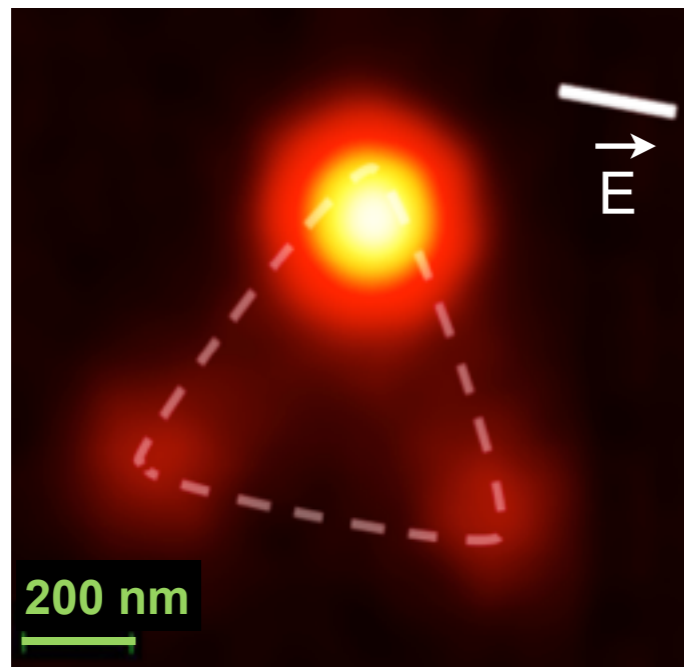


## Theory

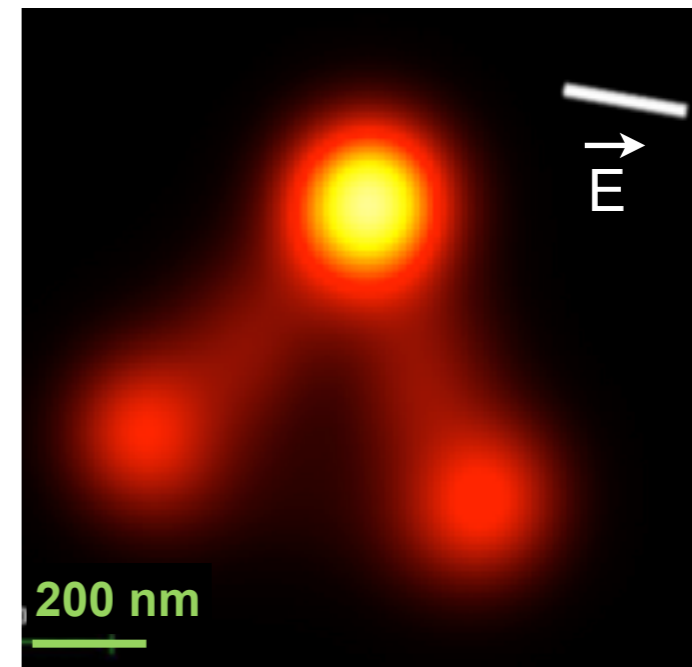


# Polarization-dependent intensity distribution

## Experiment



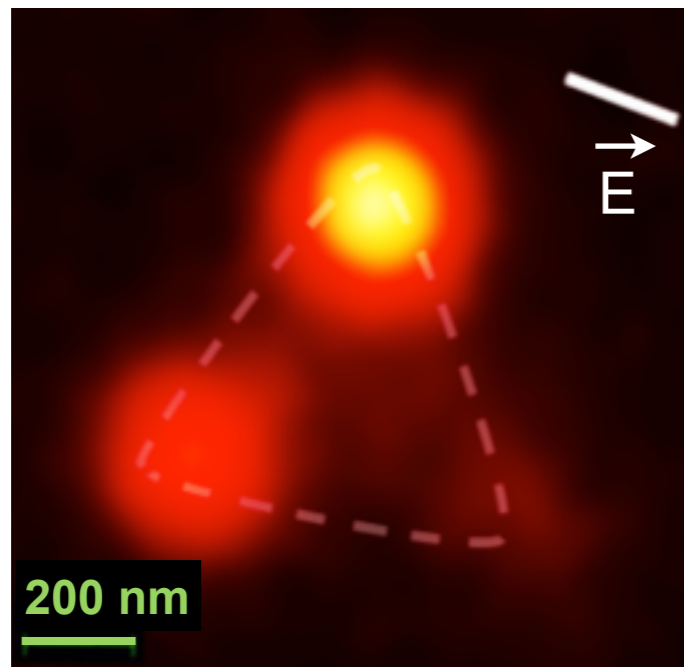
## Theory



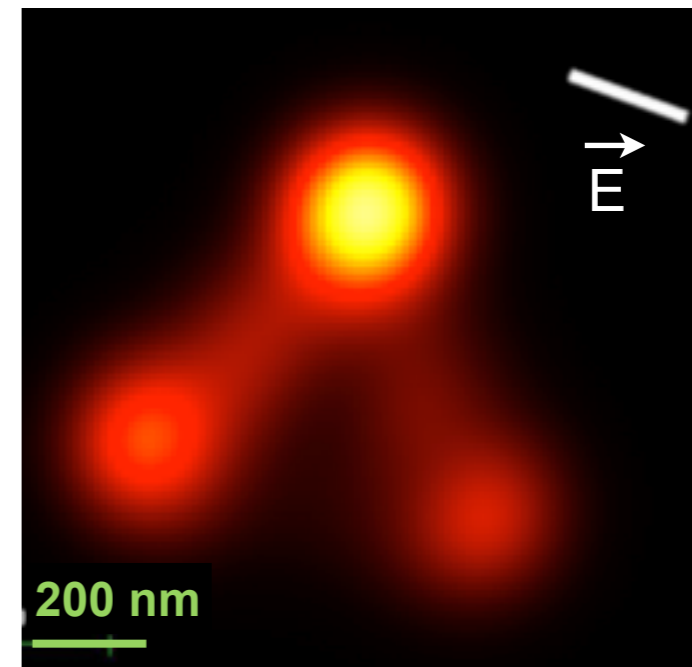


# Polarization-dependent intensity distribution

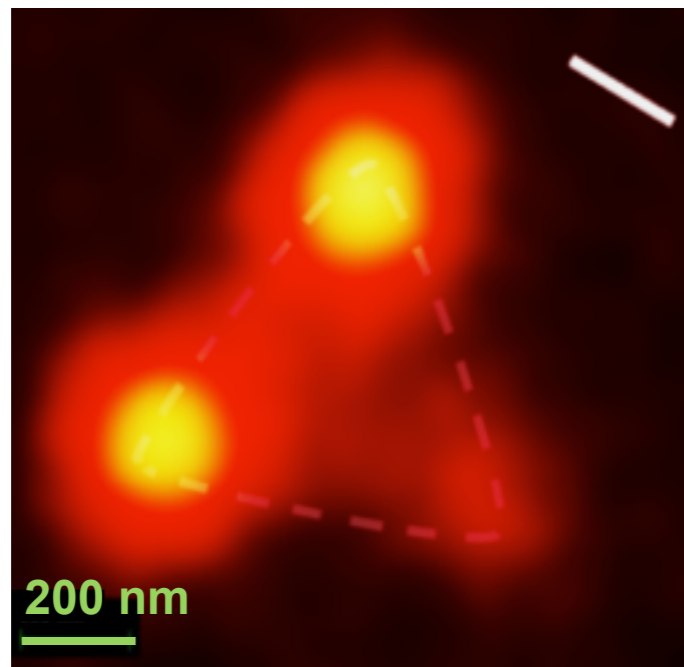
## Experiment



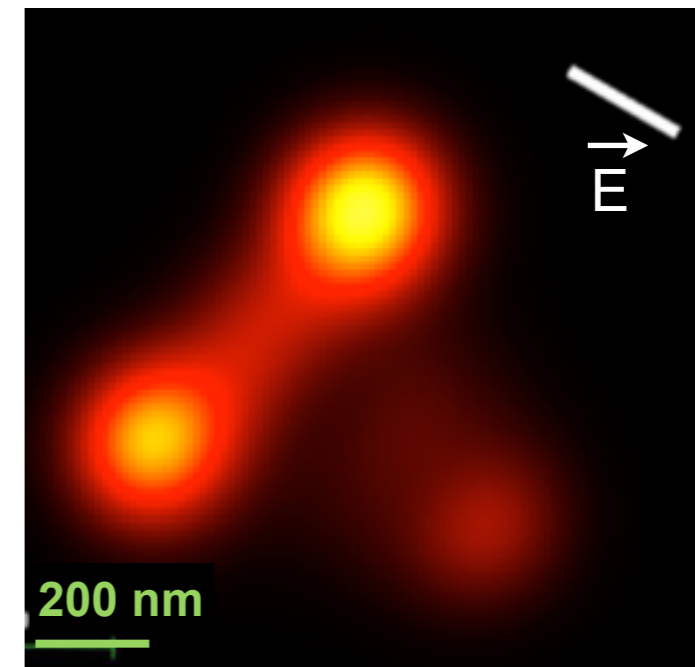
## Theory



## Experiment



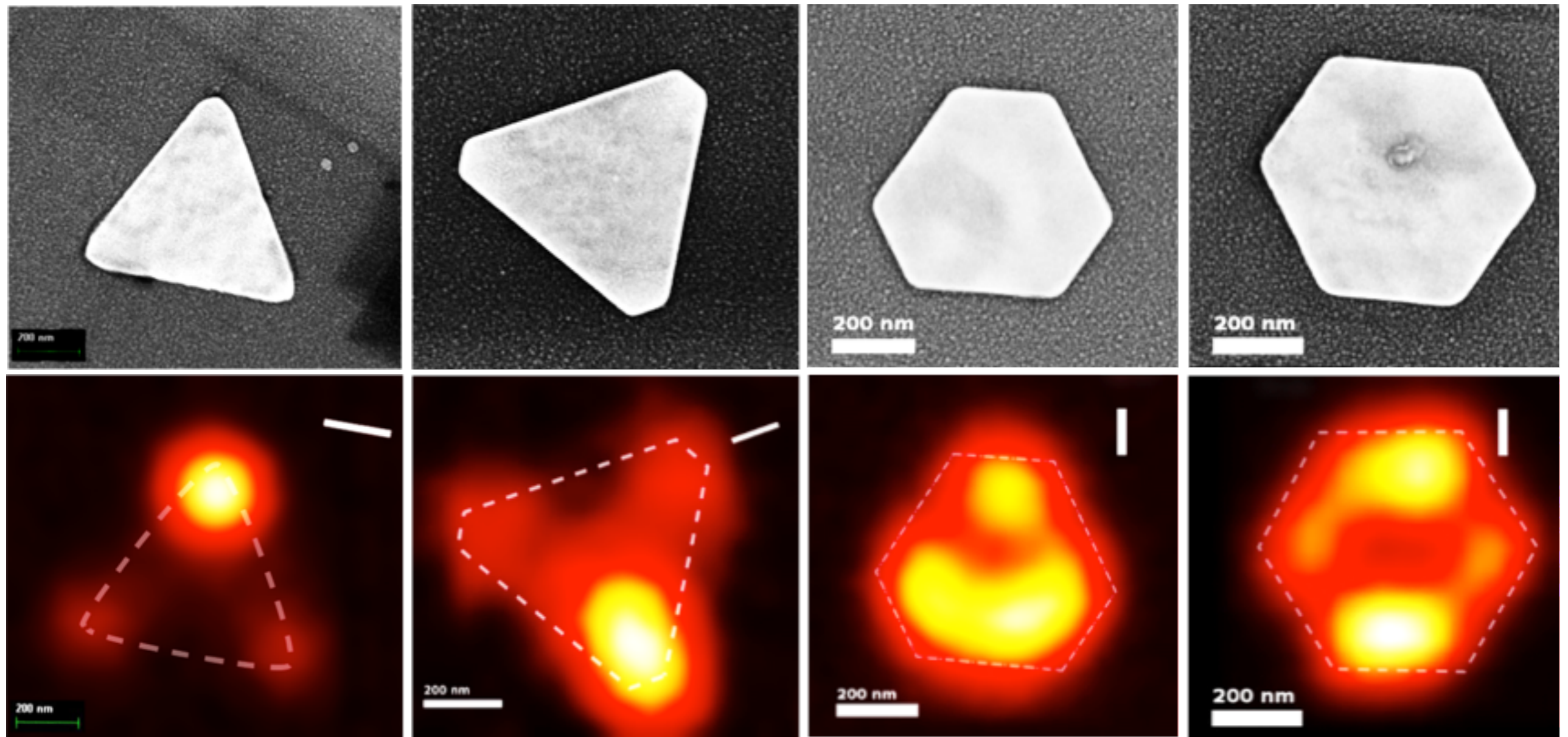
## Theory



Local E-field intensity distribution depends on polarization : optical addressing & control

Excellent agreement with GDF simulations

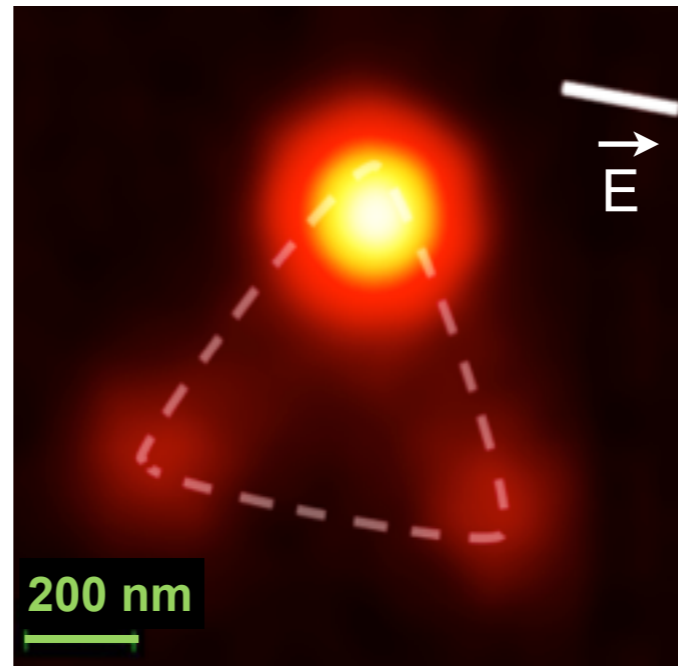
# Influence of the nanoparticle shape on the optical near-field intensity distribution



Fedou et al, PCCP, 15, 4205-4213, **2013**  
Viarbitskaya et al, APL 103, 131112-4, **2013**

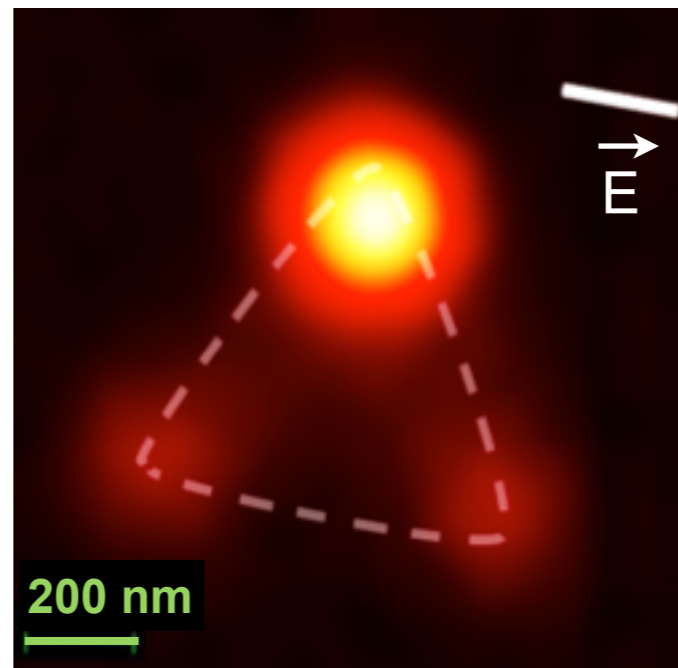
**Spatial resolution : ~ 250 nm**

TPL at 800 nm (1.55 eV)

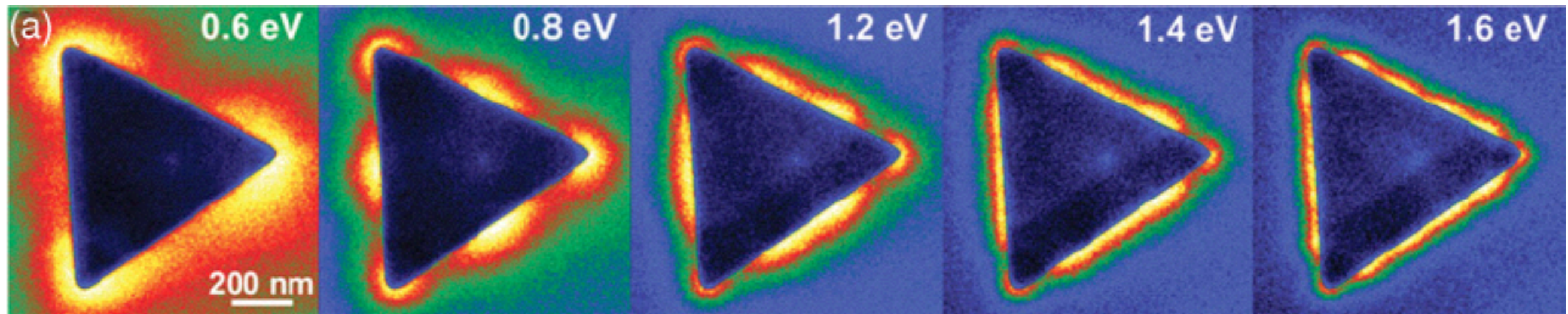


# TPL vs Electron Energy Loss Spectroscopy of Plasmonic Nanoprisms

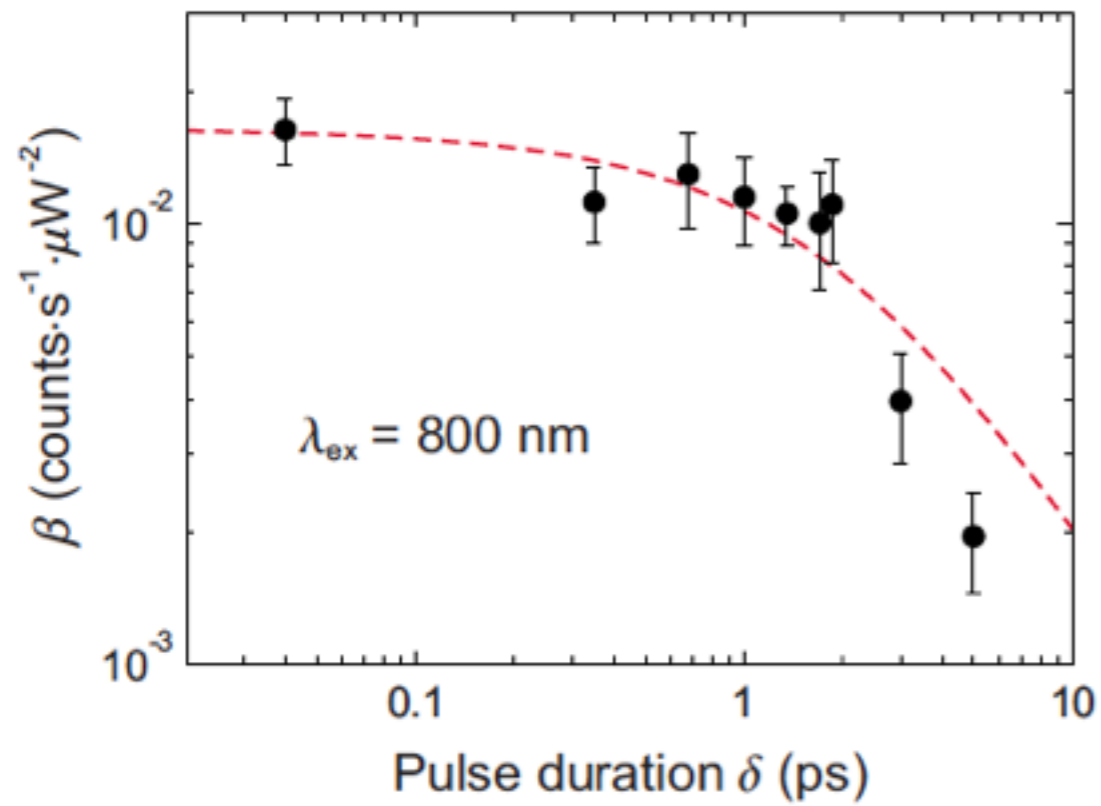
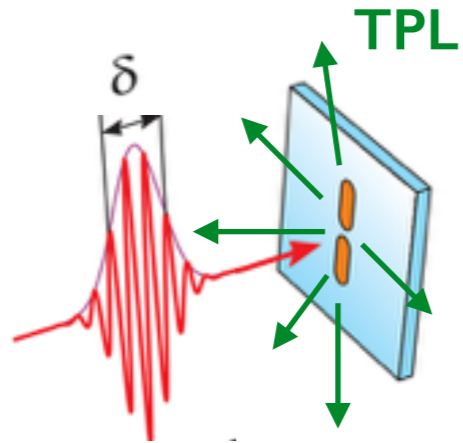
TPL at 800 nm (1.55 eV)



Energy Filtered TEM

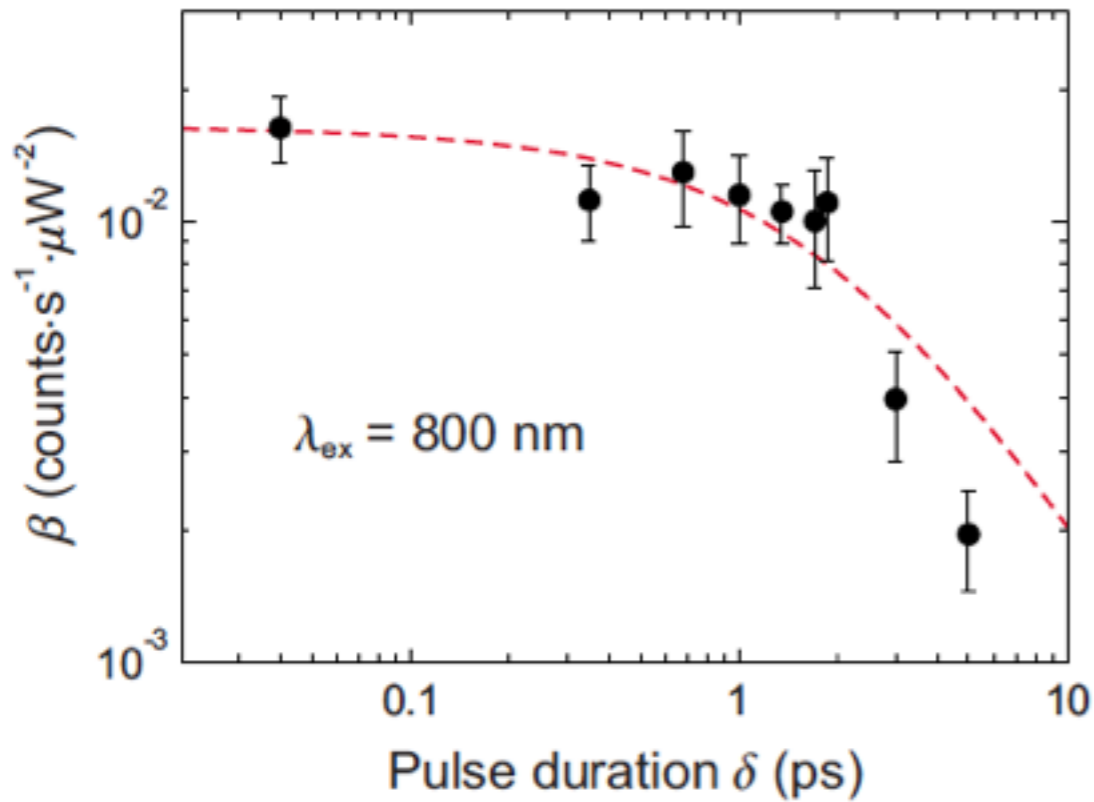
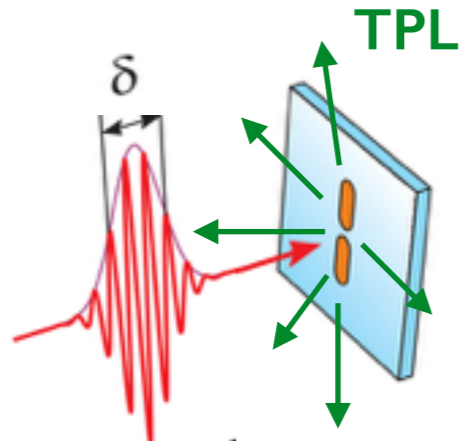


## TPL as a function of pulse duration

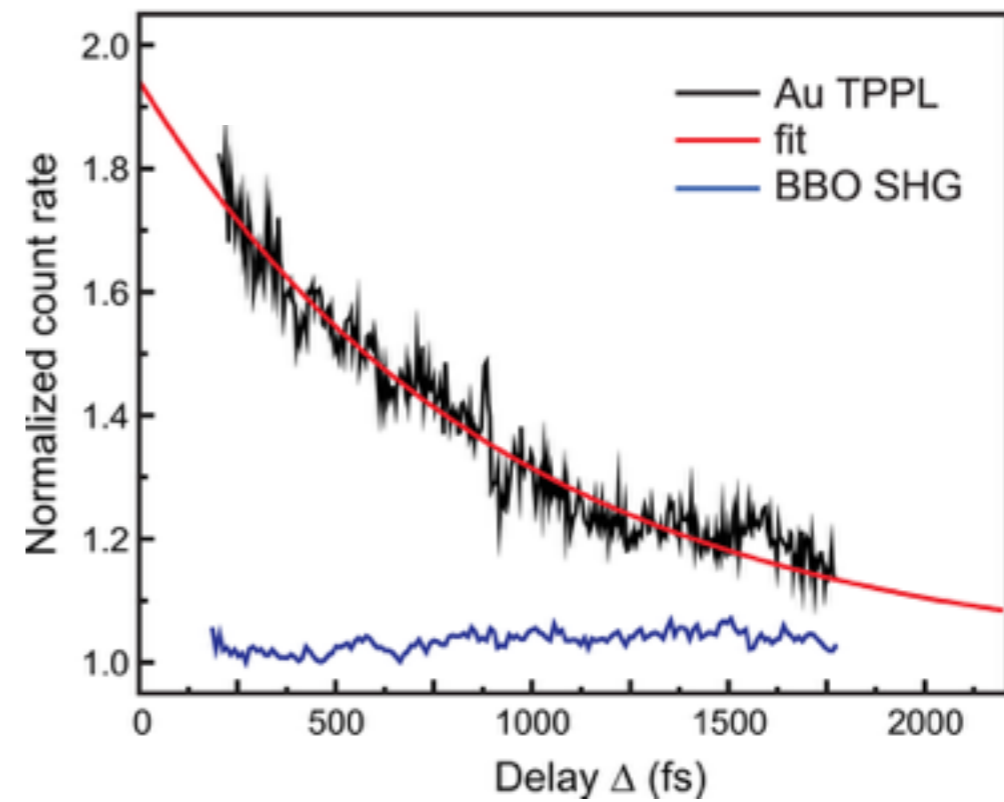
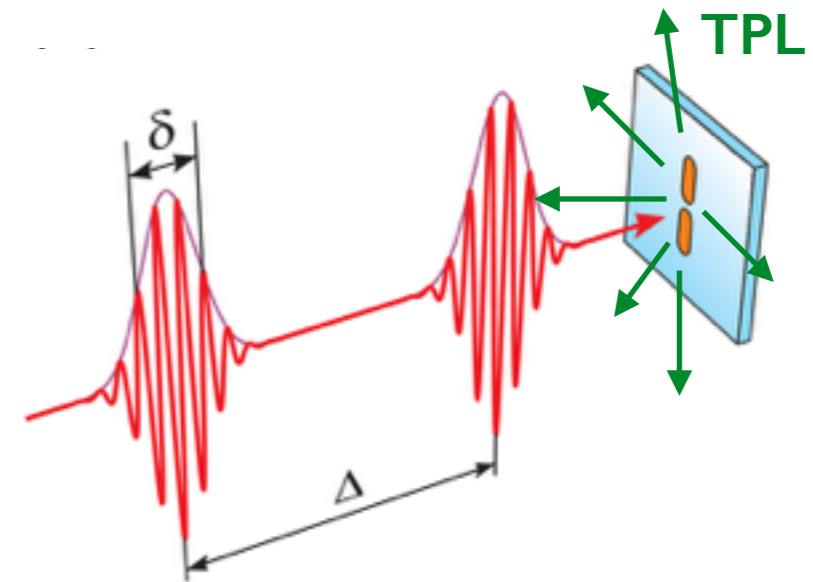


# Dynamics of Two-Photon induced Photoluminescence from gold

## TPL as a function of pulse duration



## Two-pulse correlation measurement

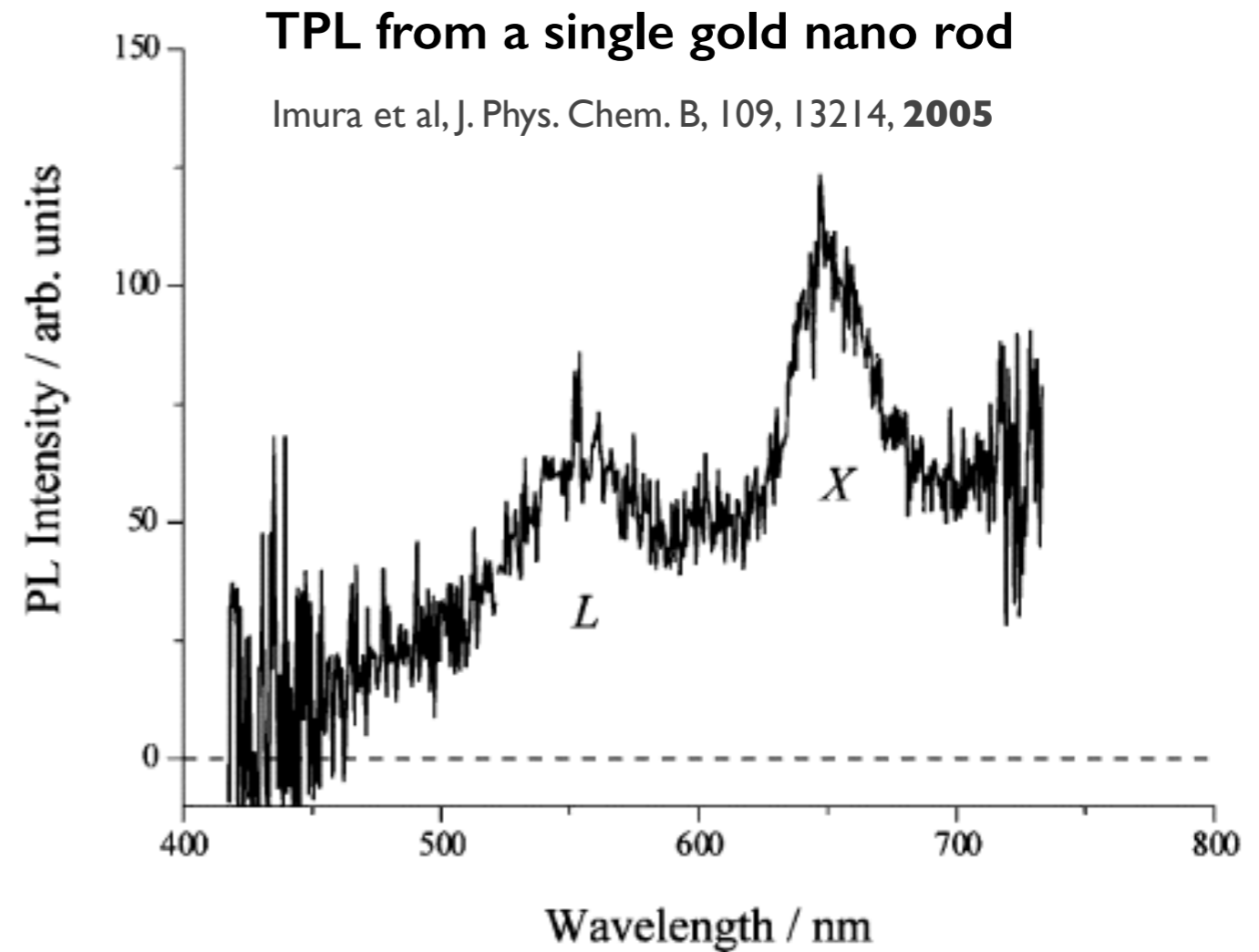
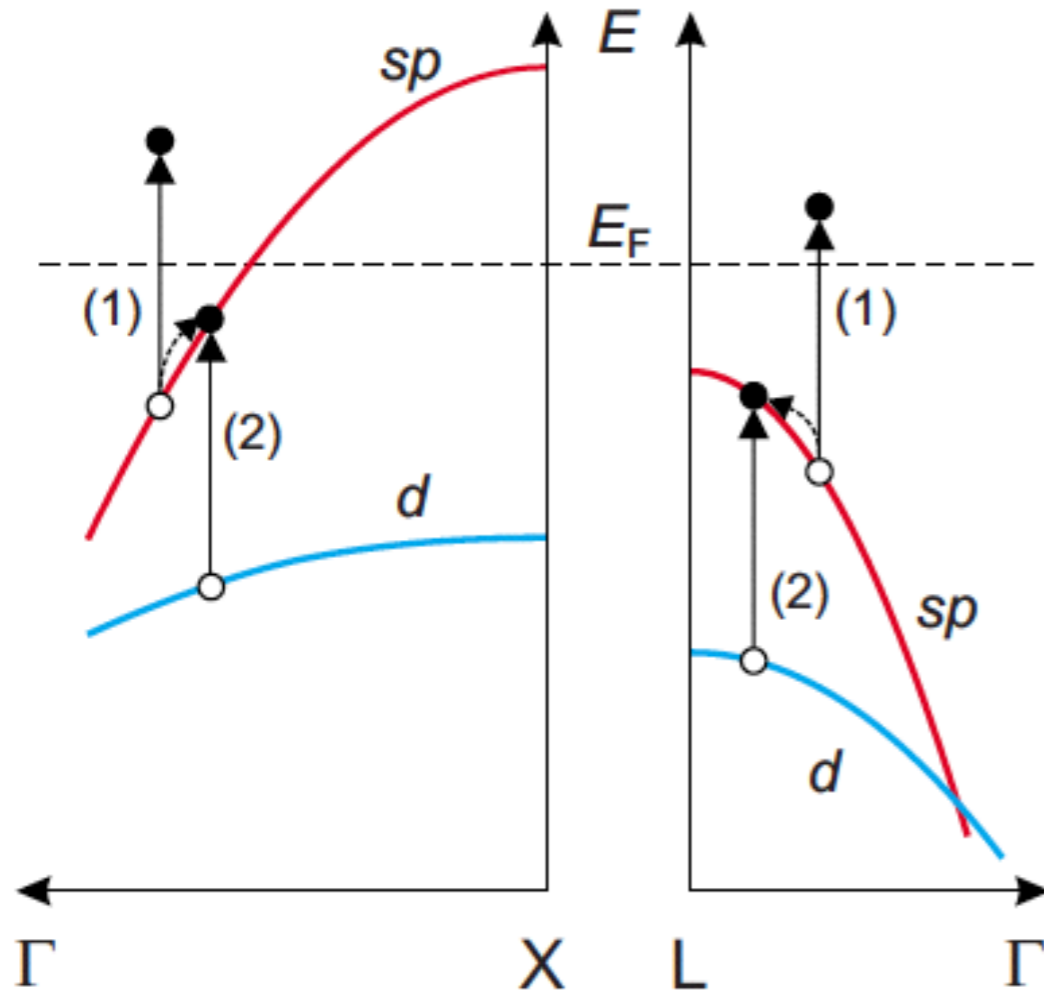


**TPL  $\neq$  SHG - Incoherent process !**

# Mechanism of Two-Photon induced Photoluminescence from gold

**SHG:** Two photon transition through a virtual state

**TPL:** Two sequential single-photon absorption steps mediated by a real electronic state



**Limiting step in TPL dynamics:**

→ Relaxation of the transient distribution excited in the  $sp$  conduction band by the first photon

→ **Picosecond Timescale !**



# Summary I

---

## Plasmon dephasing

- **Characteristic Timescale: 10-20 fs**
- **Accessible via Frequency- or Time-Resolved techniques**

## Electron gas thermalization

- **Timescale: 350 fs (bulk Ag) and 500 fs (bulk Au)**
- **Faster in smaller nano-objects (< 10 nm)**
- **Bulk-like for sizes > 20 nm**

## Electron-Lattice Thermalization

- **Timescale: 850 fs (bulk Ag) and 1.15 ps (bulk Au)**
- **Faster in smaller nano-objects (< 10 nm)**
- **Bulk-like for sizes > 20 nm**
- **The nanoparticle lattice is heated in a few picoseconds**

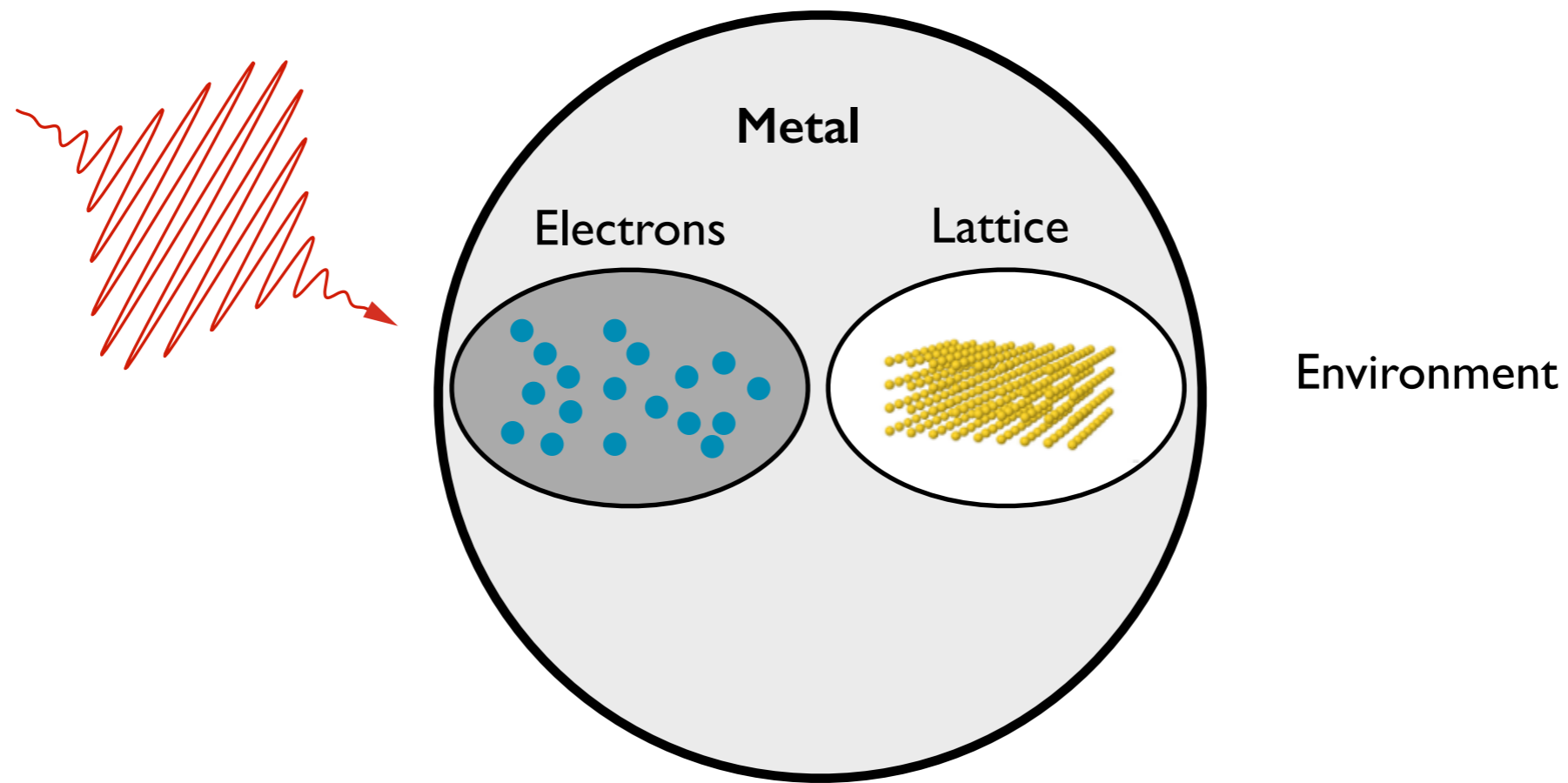
## Two-Photon Photoluminescence

- **TPL gives access to local electric field distribution**
- **2nd order incoherent process influenced by electronic relaxation**

# Acoustic Vibrations

---

# Ultrafast dynamics of metallic Nanostructures



0 fs

10 fs

100 fs

1 ps

10 ps

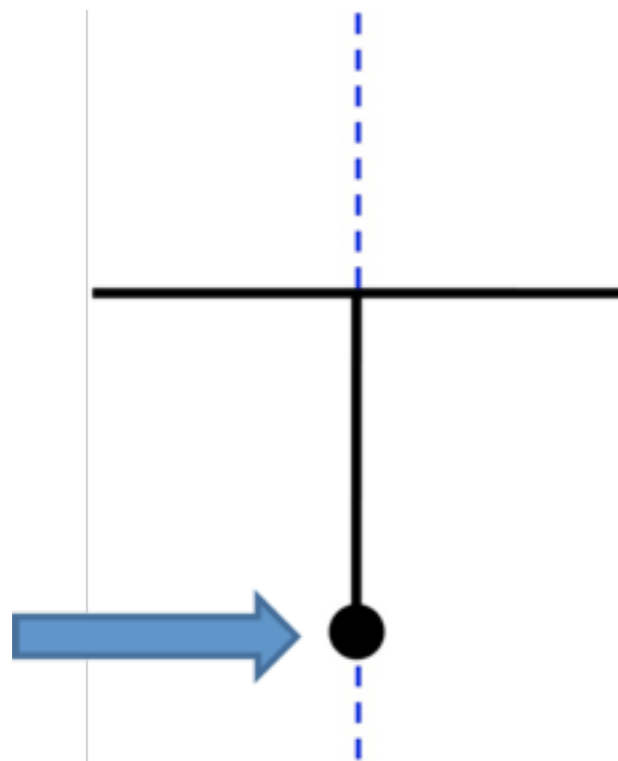
100 ps

Time

# Excitation of Acoustic Vibrations in Metallic Nanoparticles

Following absorption of pump pulse → **2 mechanisms** can launch acoustic vibrations

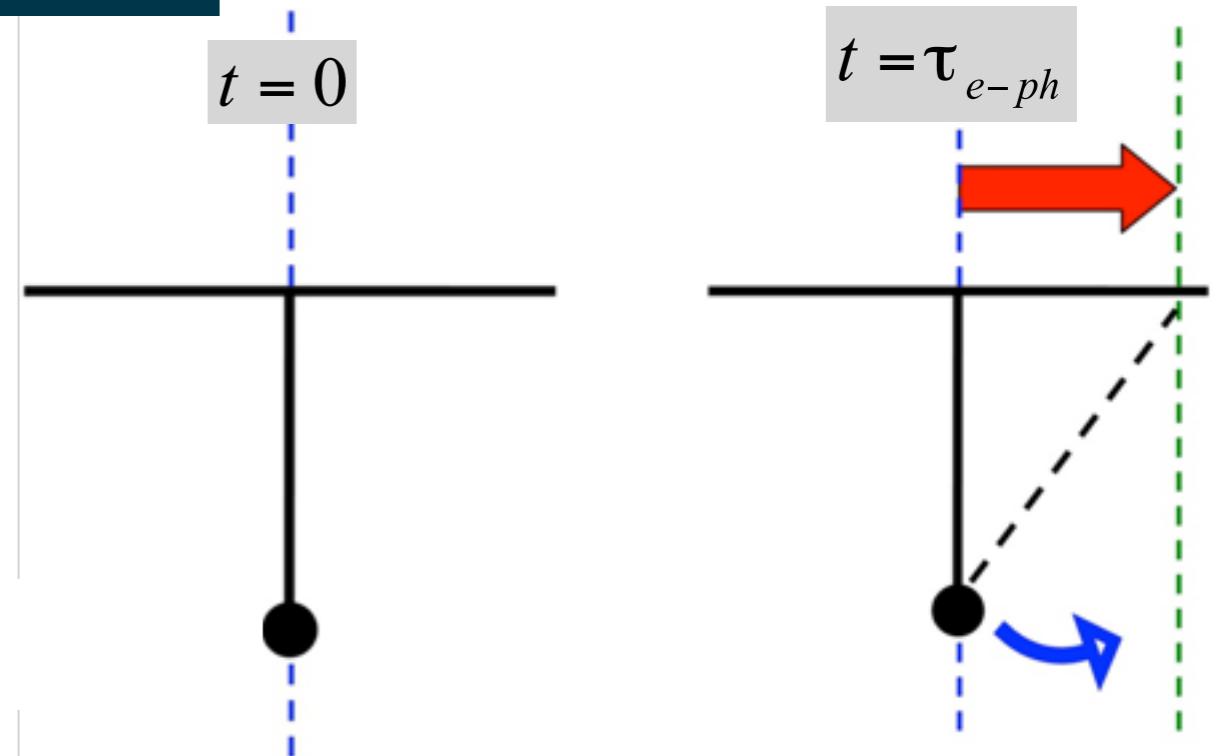
## Direct



electron gas pressure increase

→ Force exerted on lattice

## Indirect



Electron-Lattice thermalization :  $\tau_{e-ph} \approx 1 \text{ ps}$

Vibration period  $\sim 10\text{-}100 \text{ ps}$

$\tau_{e-ph} \ll T_{vib} \Rightarrow \text{MNP out of mechanical equilibrium}$

**ISOTROPIC mechanisms → HIGH SYMMETRY acoustic vibrations modes**

# Detection of the acoustic vibrations of plasmonic NPs

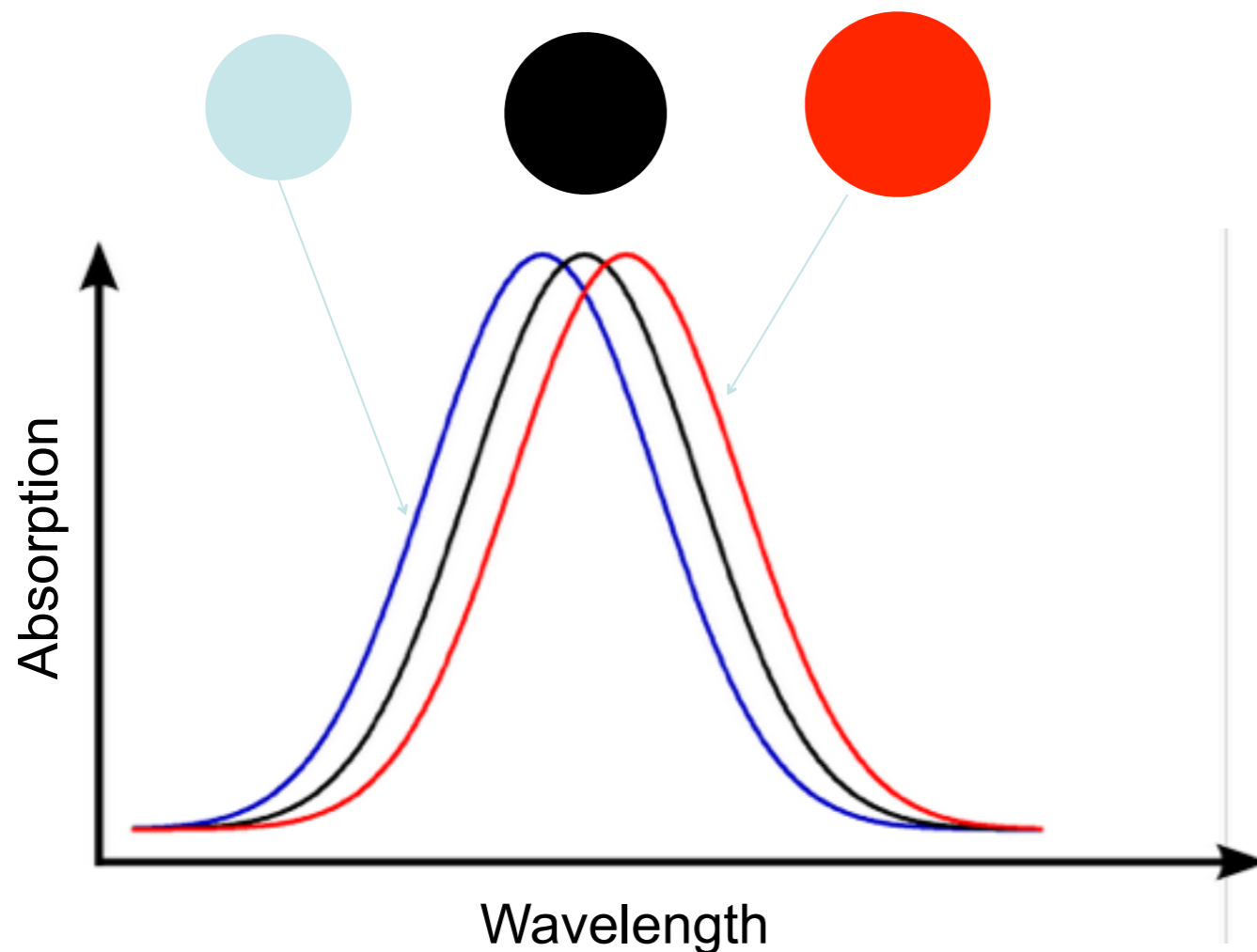
Excitation of an acoustic vibration mode → **atoms moving periodically**

→ Modulation of the **lattice constant and volume**

→ Modulation of the **electron density, dielectric constant and plasma frequency**

**Surface Plasmon Resonance of a metallic nanosphere:**

$$\Omega_{RPS} = \frac{\omega_p}{\sqrt{\epsilon_1^{ib}(\Omega_R) + 2\epsilon_m}}$$



# Detection of the acoustic vibrations of plasmonic NPs

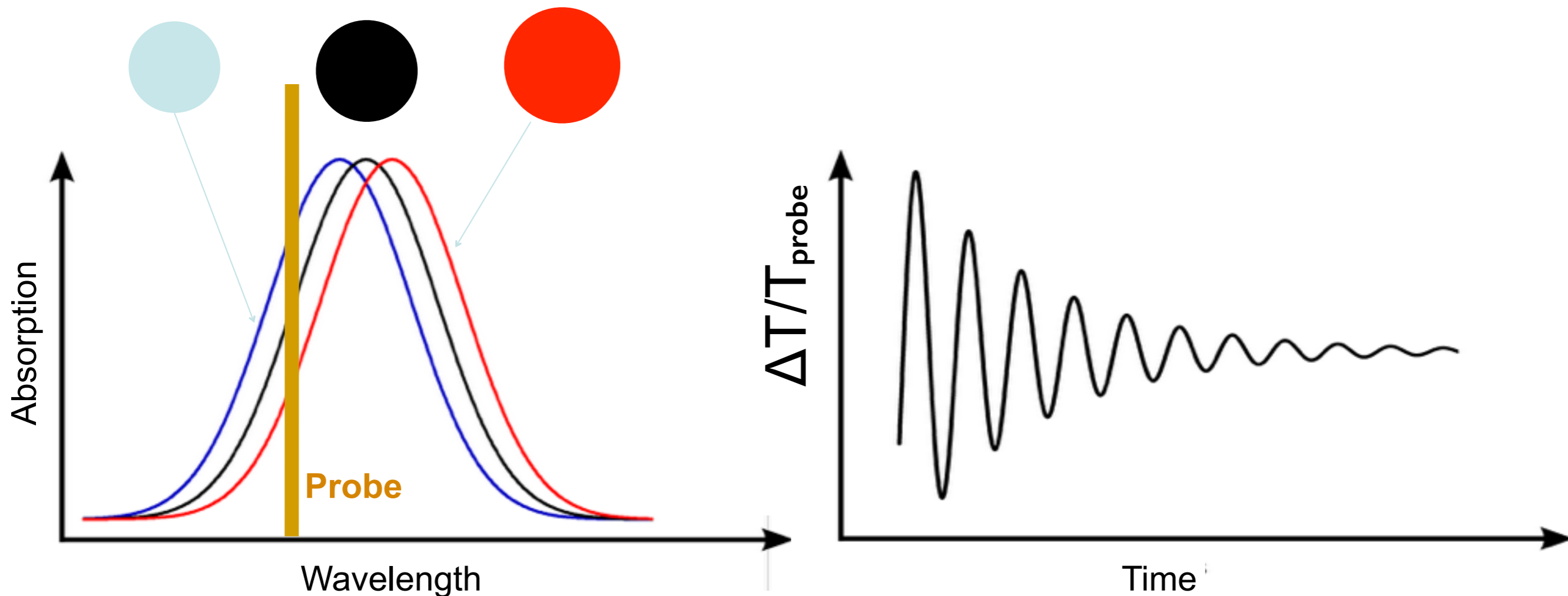
Excitation of an acoustic vibration mode → atoms moving periodically

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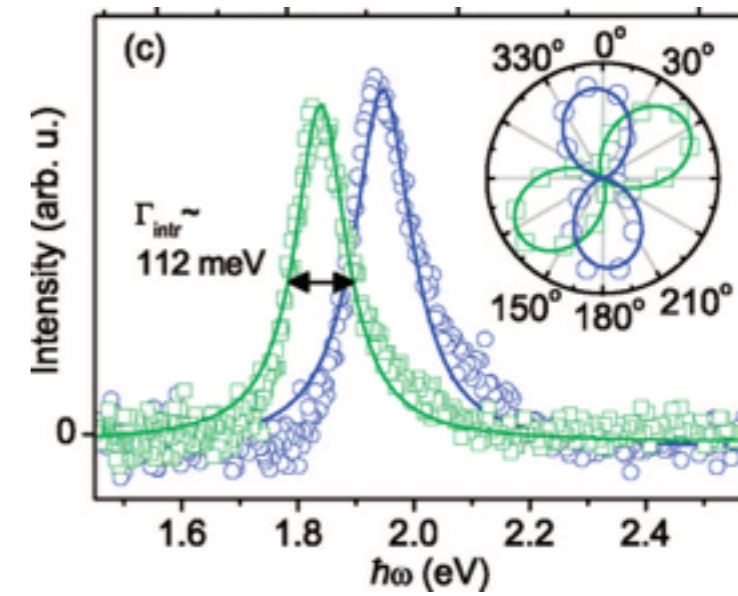
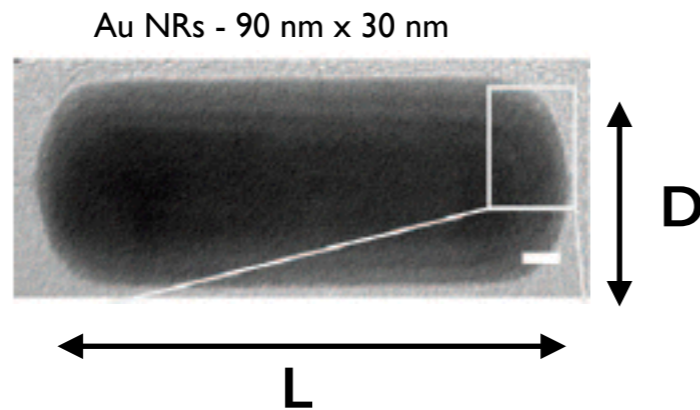
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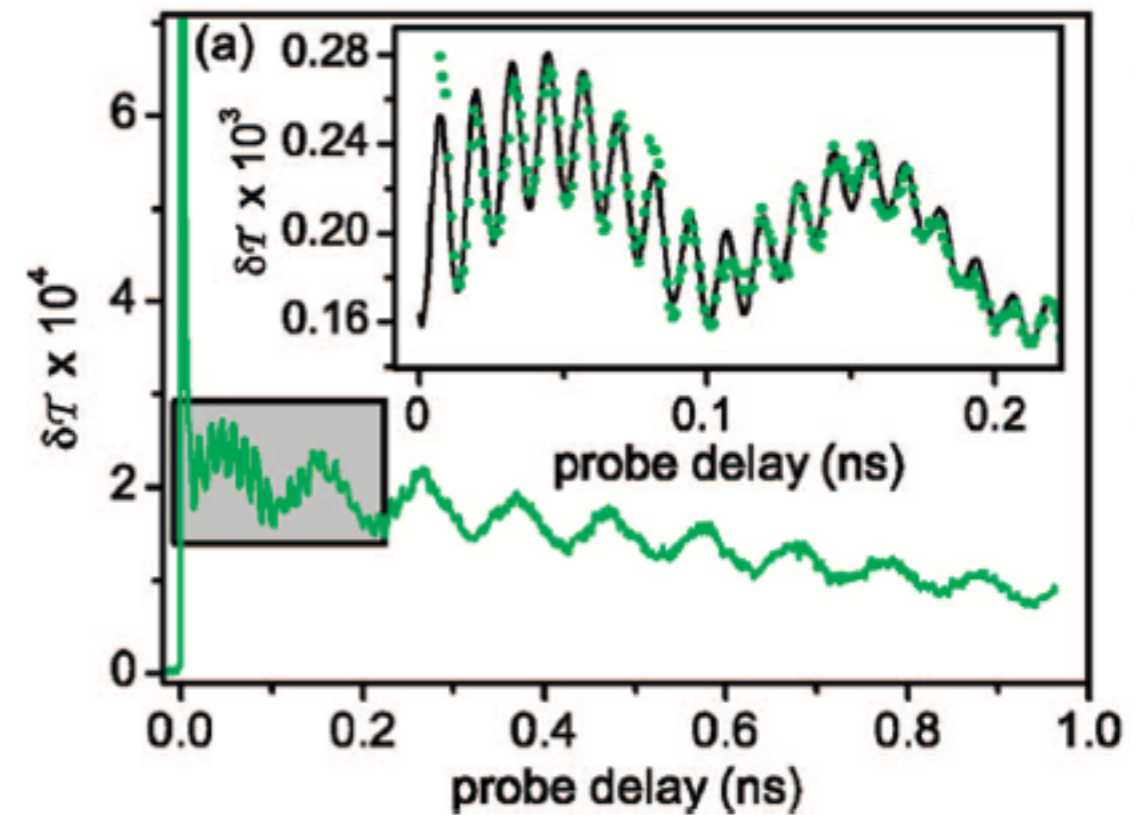
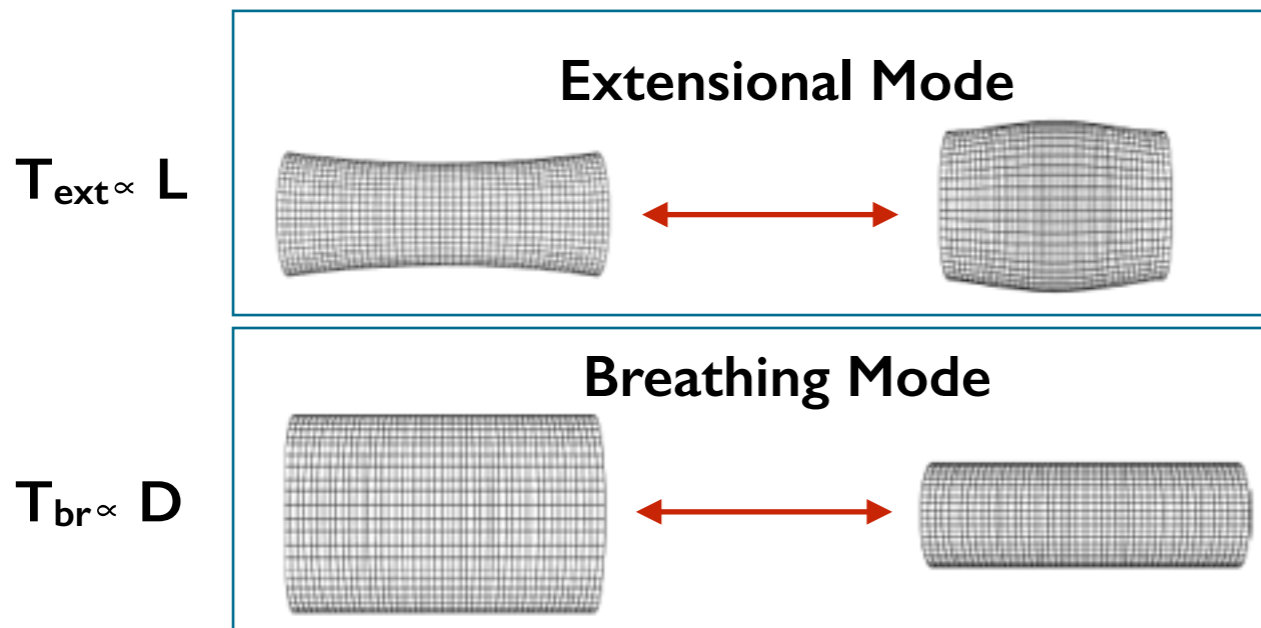
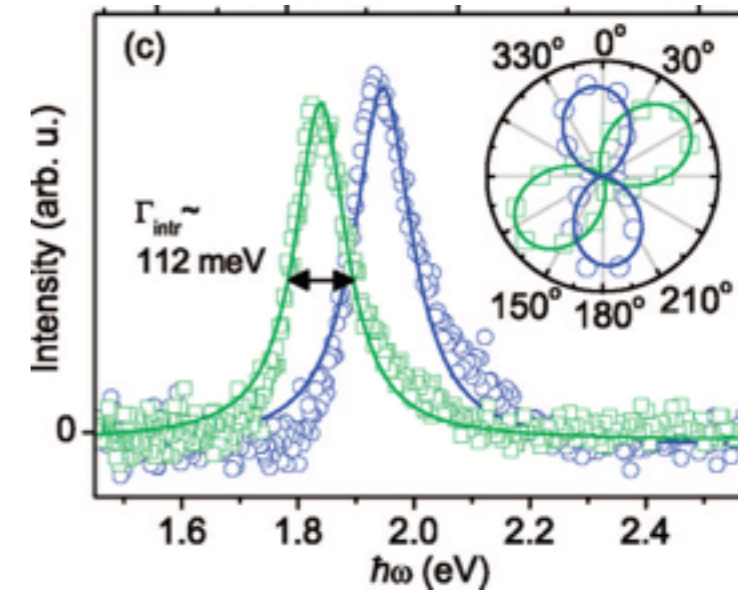
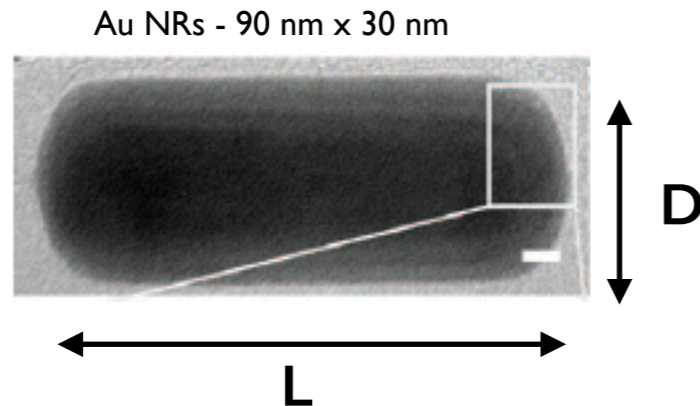
# Acoustic Oscillations and Elastic Moduli of Single Gold Nanorods

First measurements of single gold nanorods with well-characterized dimensions and structure



# Acoustic Oscillations and Elastic Moduli of Single Gold Nanorods

First measurements of single gold nanorods with well-characterized dimensions and structure

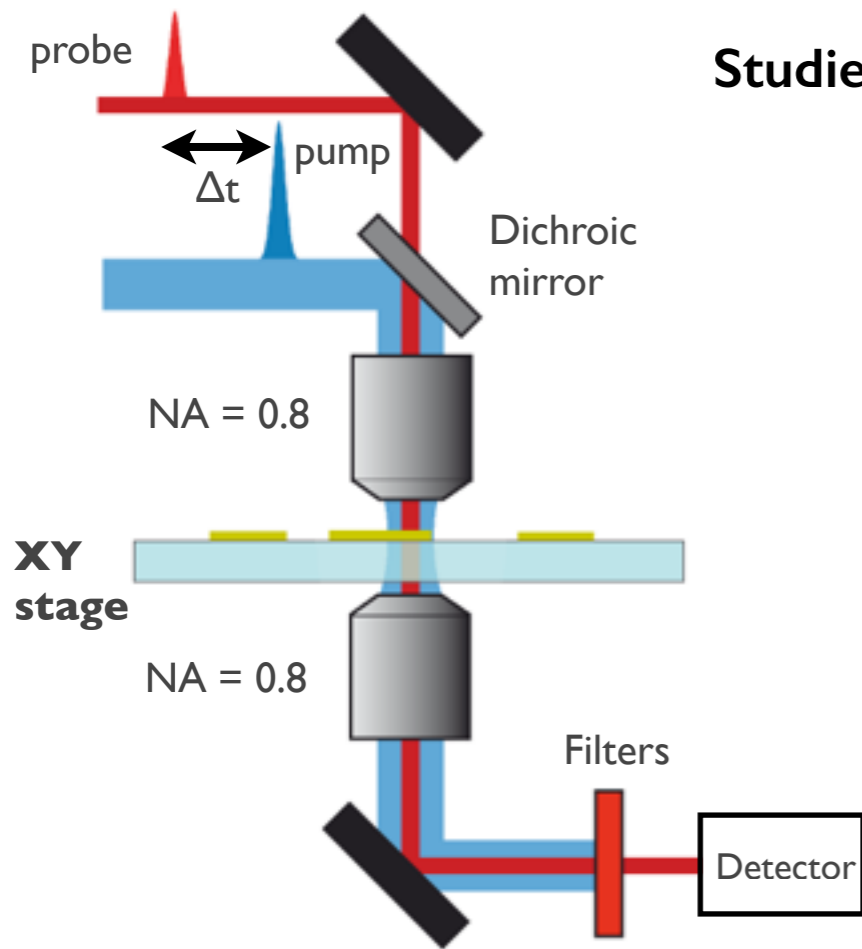


- Breathing and Extensional mode detected
- Frequencies in agreement with continuum mechanics
- Single particle elastic moduli agree well with bulk values

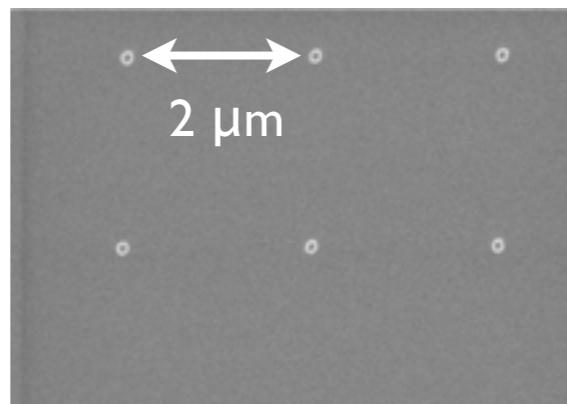


# Damping of the Acoustic Vibrations of Individual Gold Nanorings

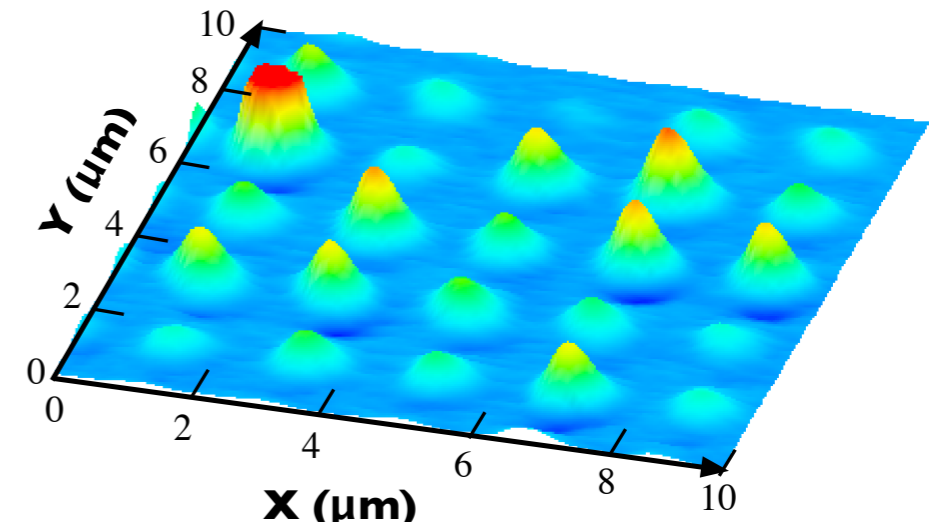
Studies on individual nano-objects → no more inhomogeneous damping



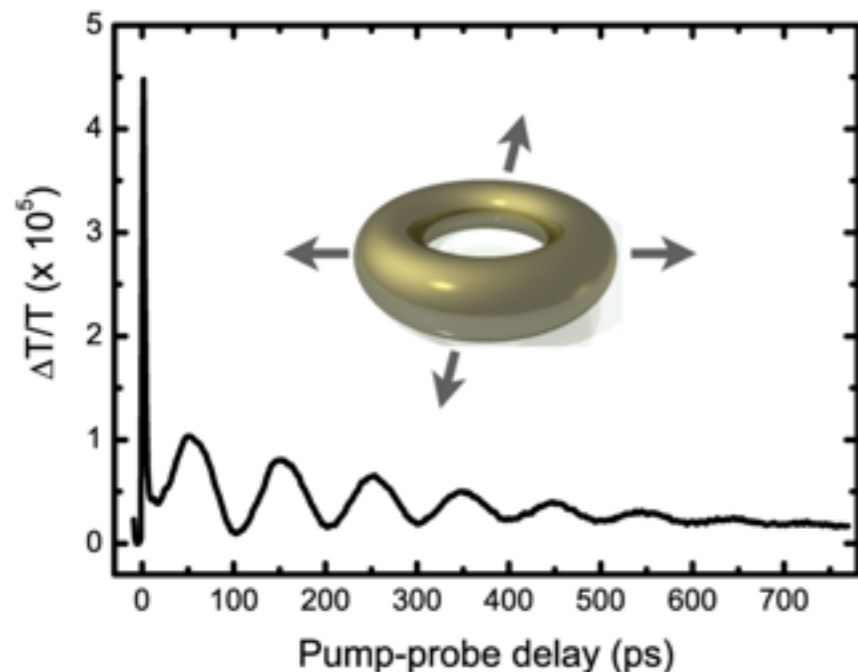
Au rings - D=100nm



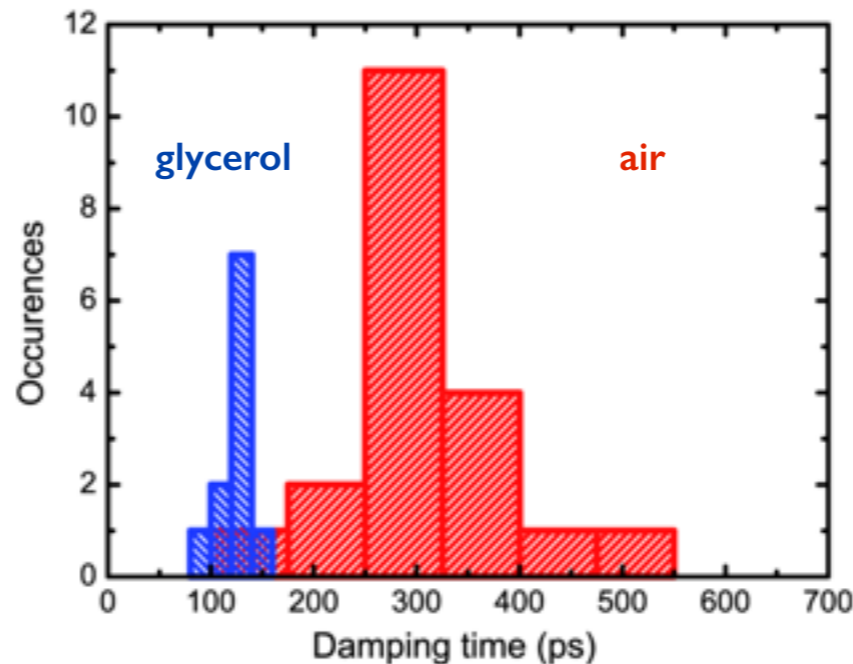
$\Delta T/T(x,y)$  map at zero pump-probe delay



$\Delta T/T(t)$  on an individual nanoparticle

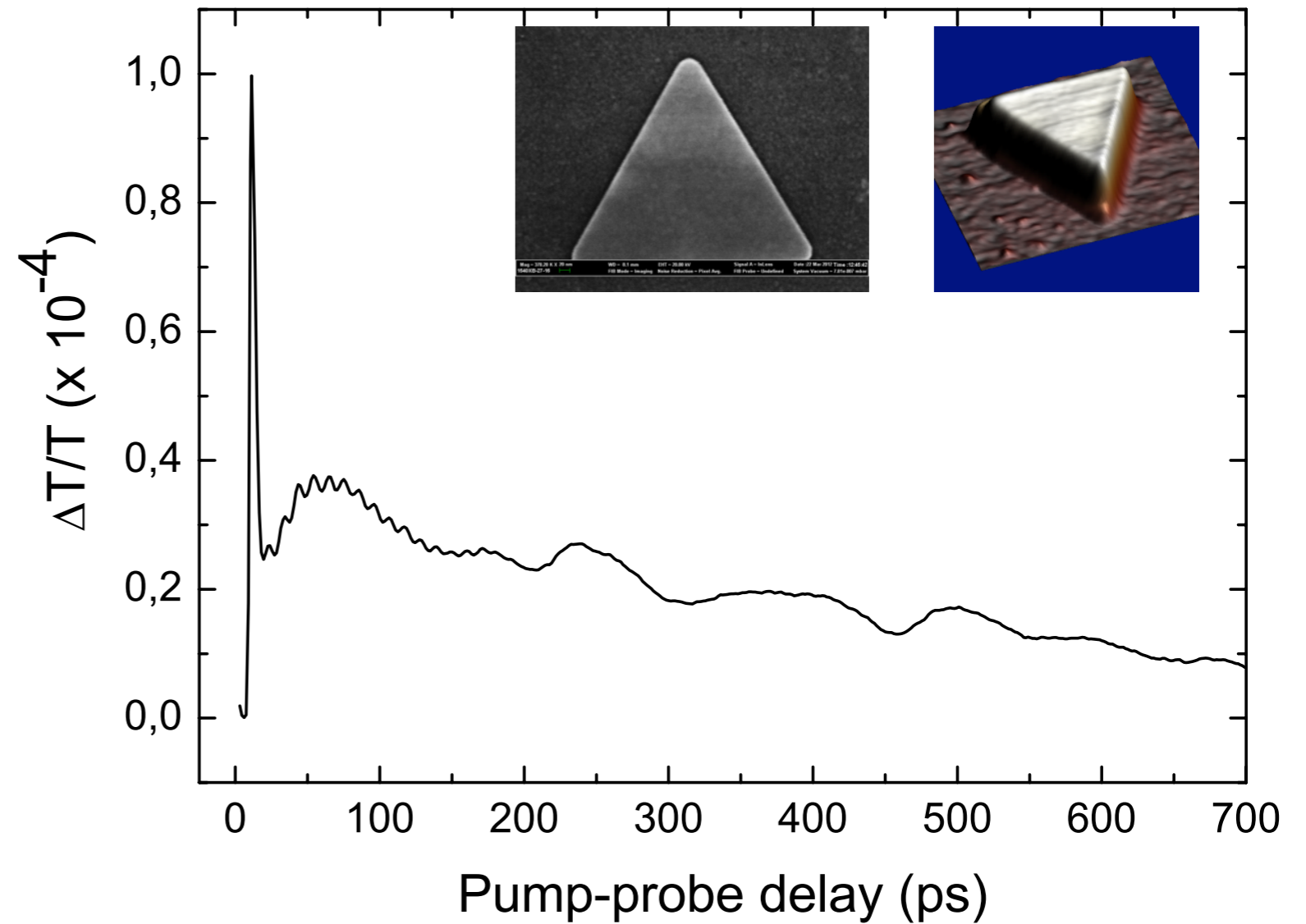
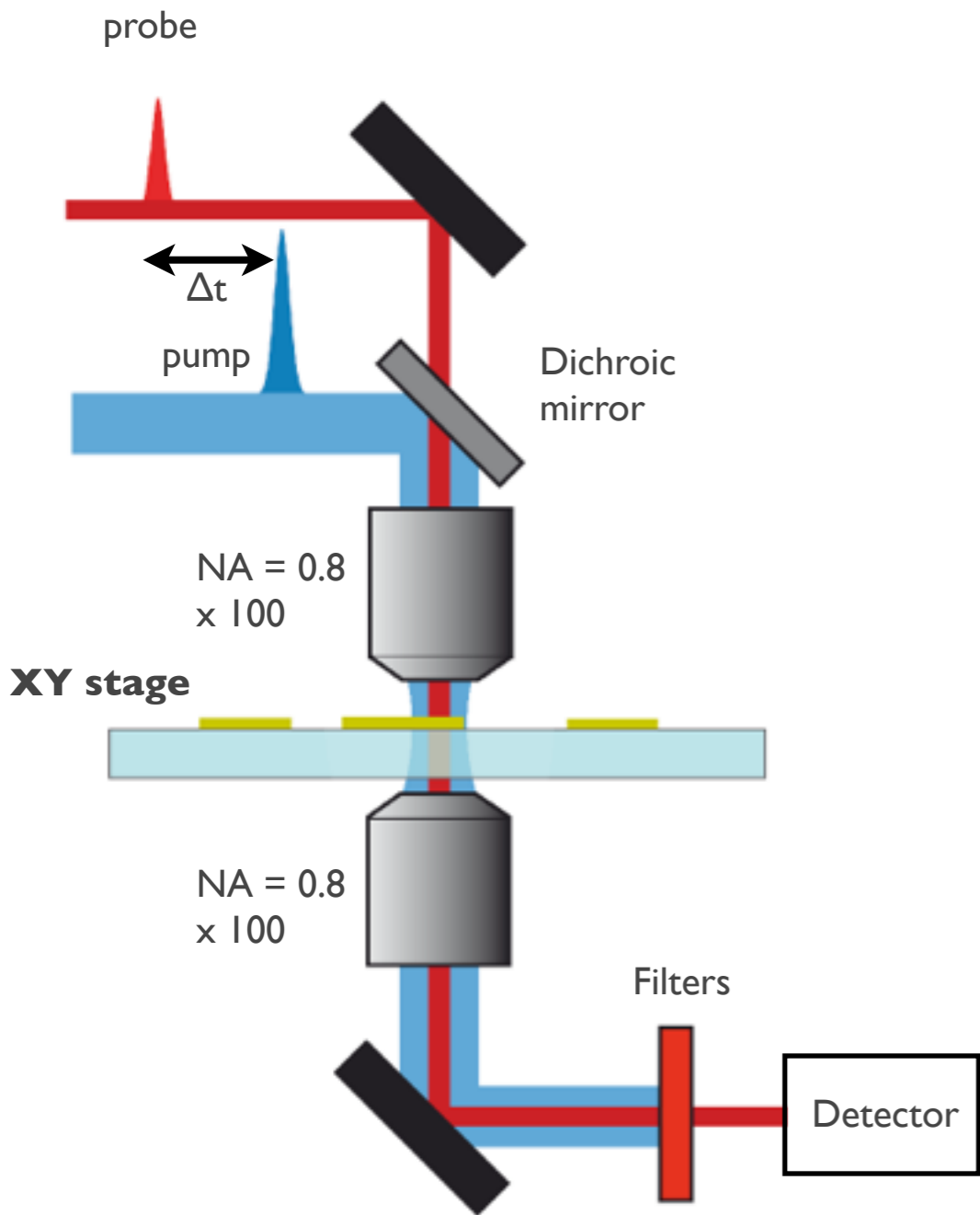


Damping time on single particles



- Influence of environment
- Large dispersion of damping time
- Coupling to substrate

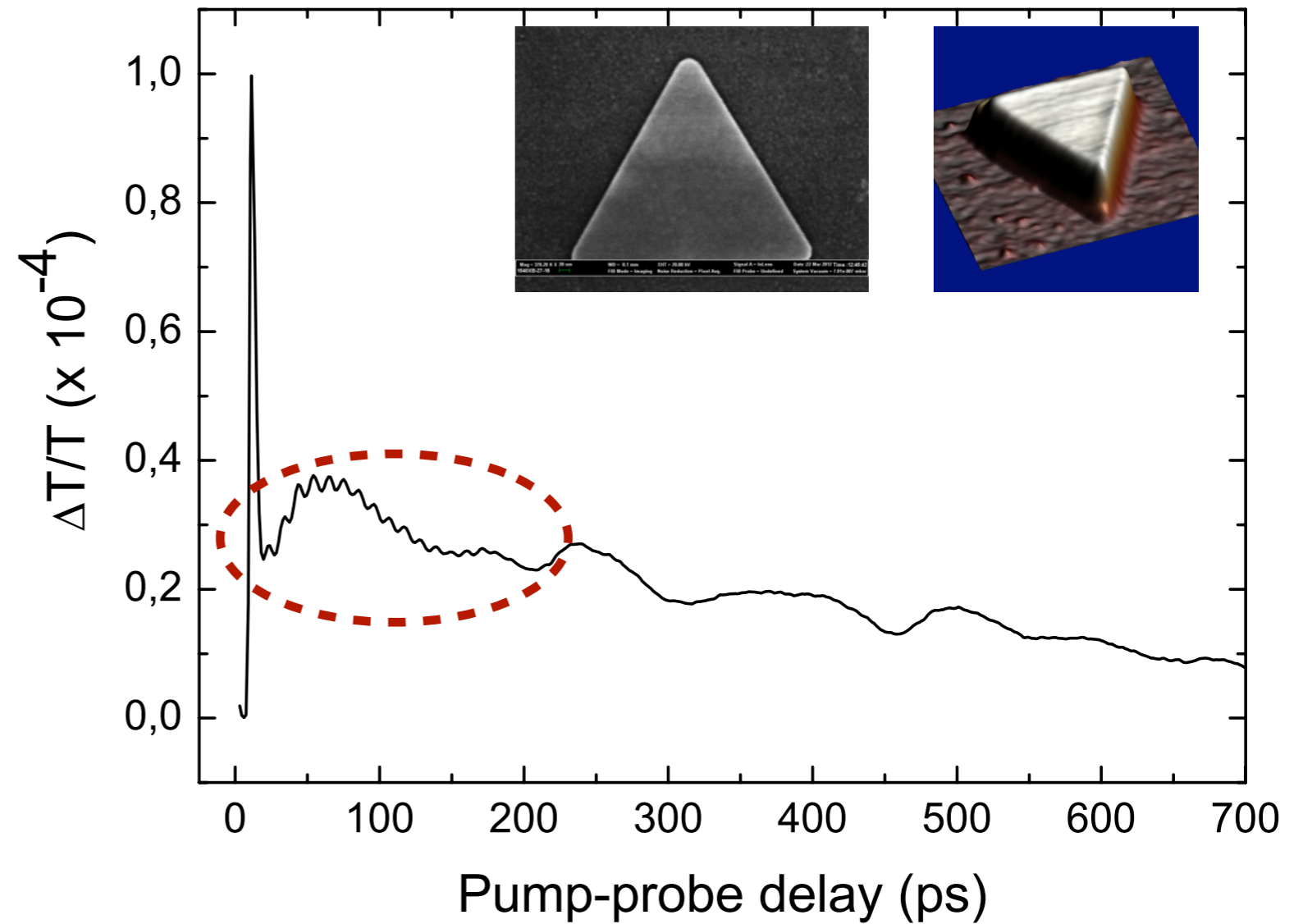
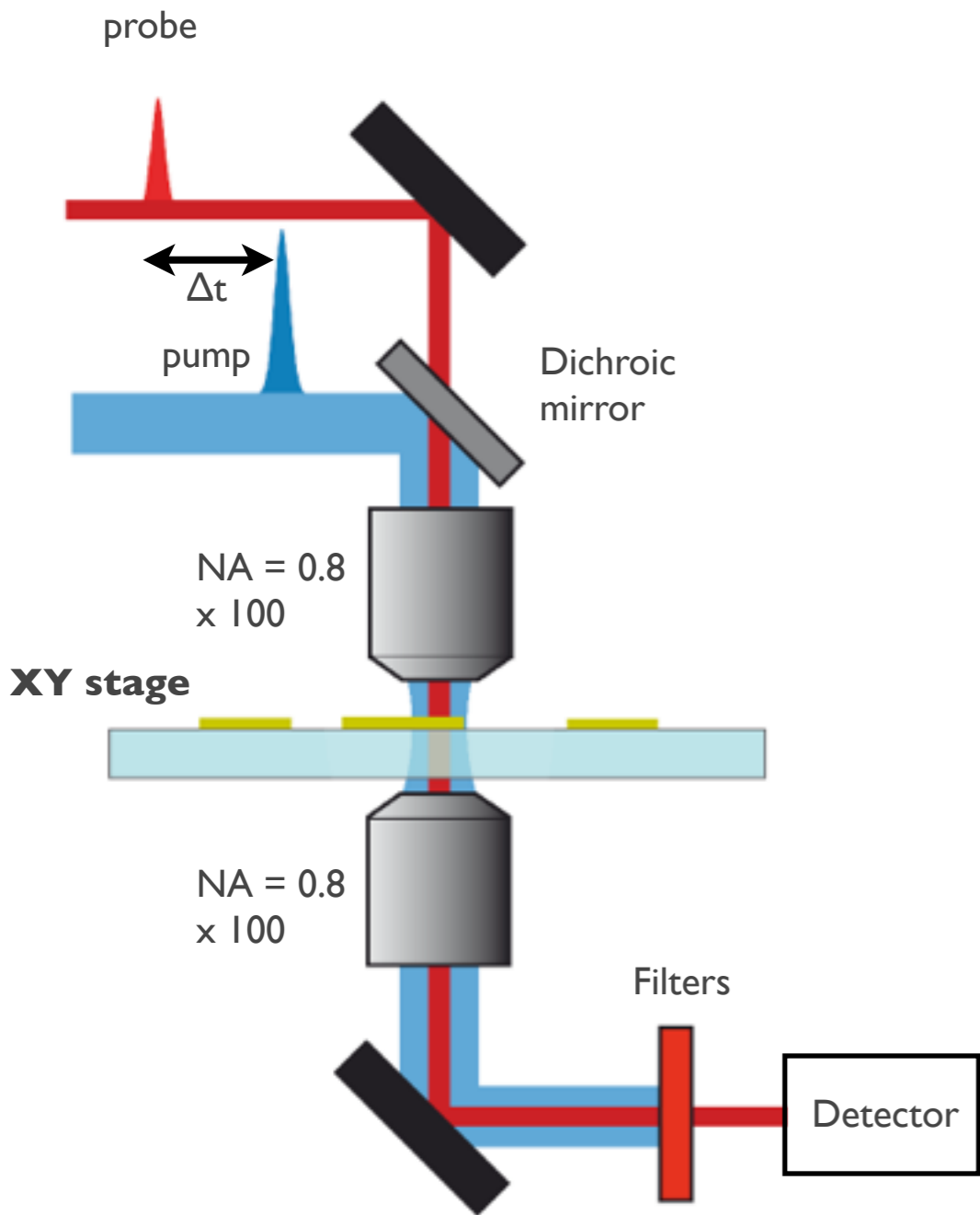
# Transient absorption spectroscopy of large crystalline gold nanoparticles



**Detection limit :  $\Delta T/T \sim 10^{-7}$**

**$\Rightarrow$  Several acoustic vibration modes visible**

# Transient absorption spectroscopy of large crystalline gold nanoparticles



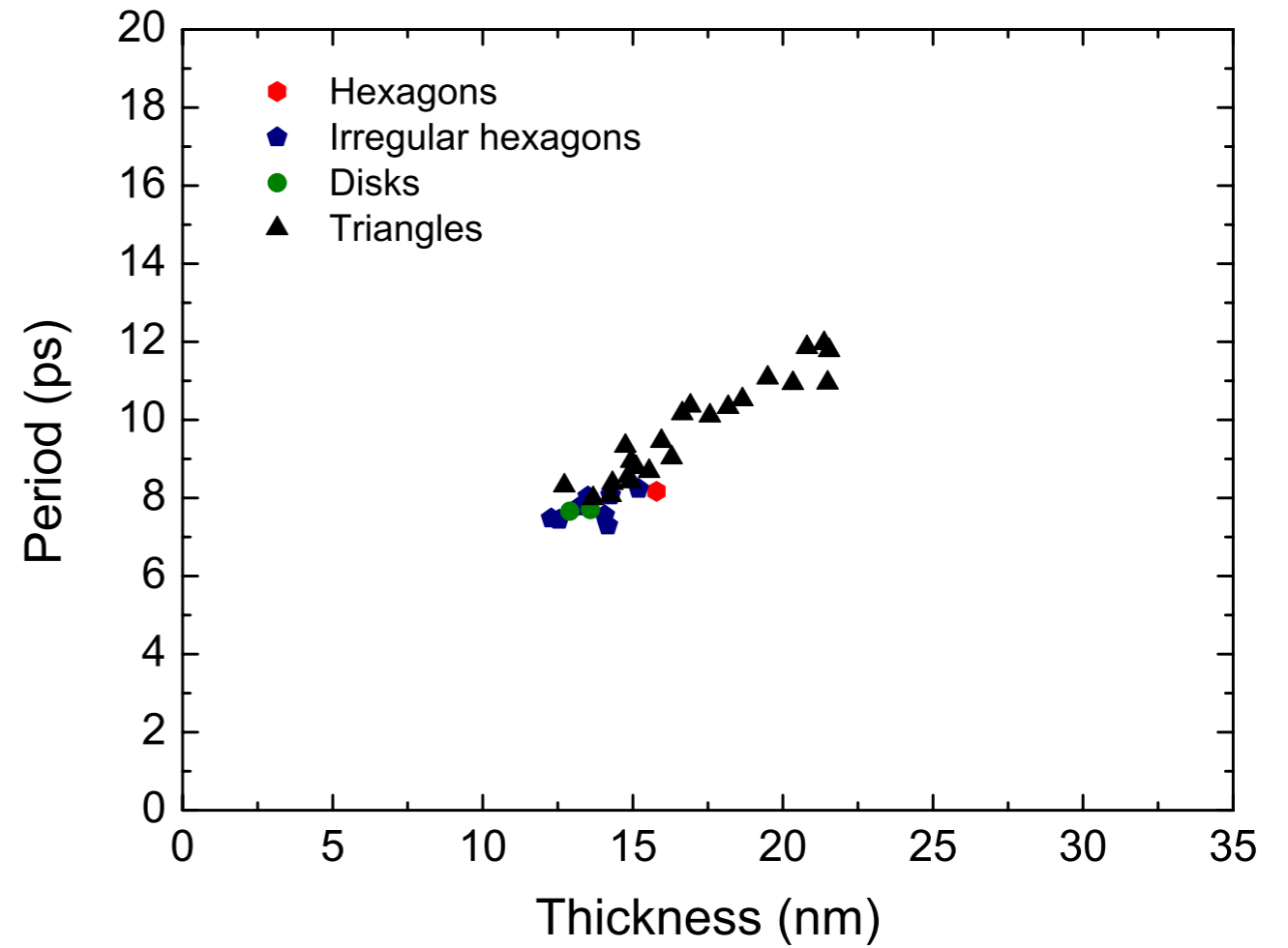
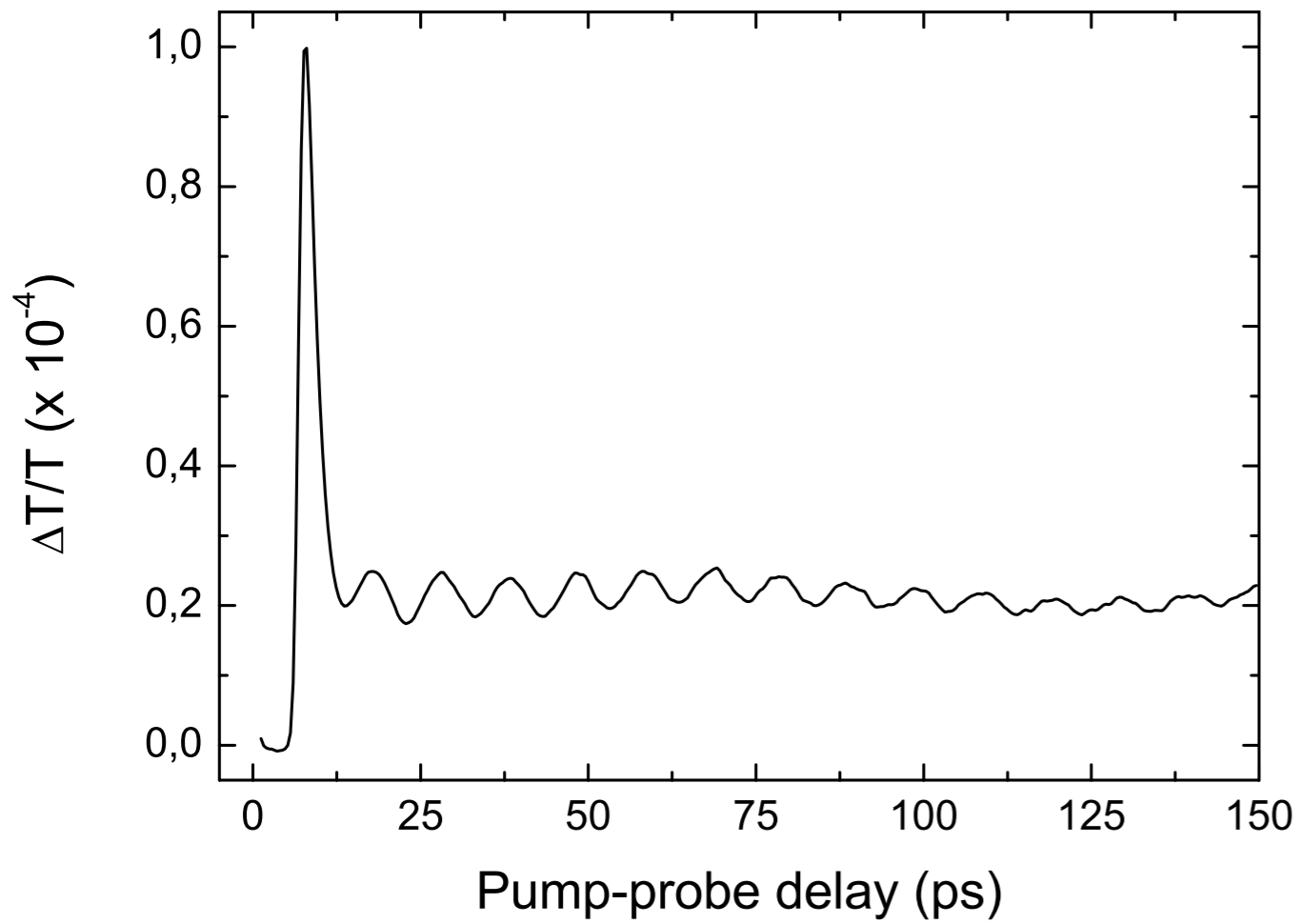
Detection limit :  $\Delta T/T \sim 10^{-7}$

⇒ Several acoustic vibration modes visible

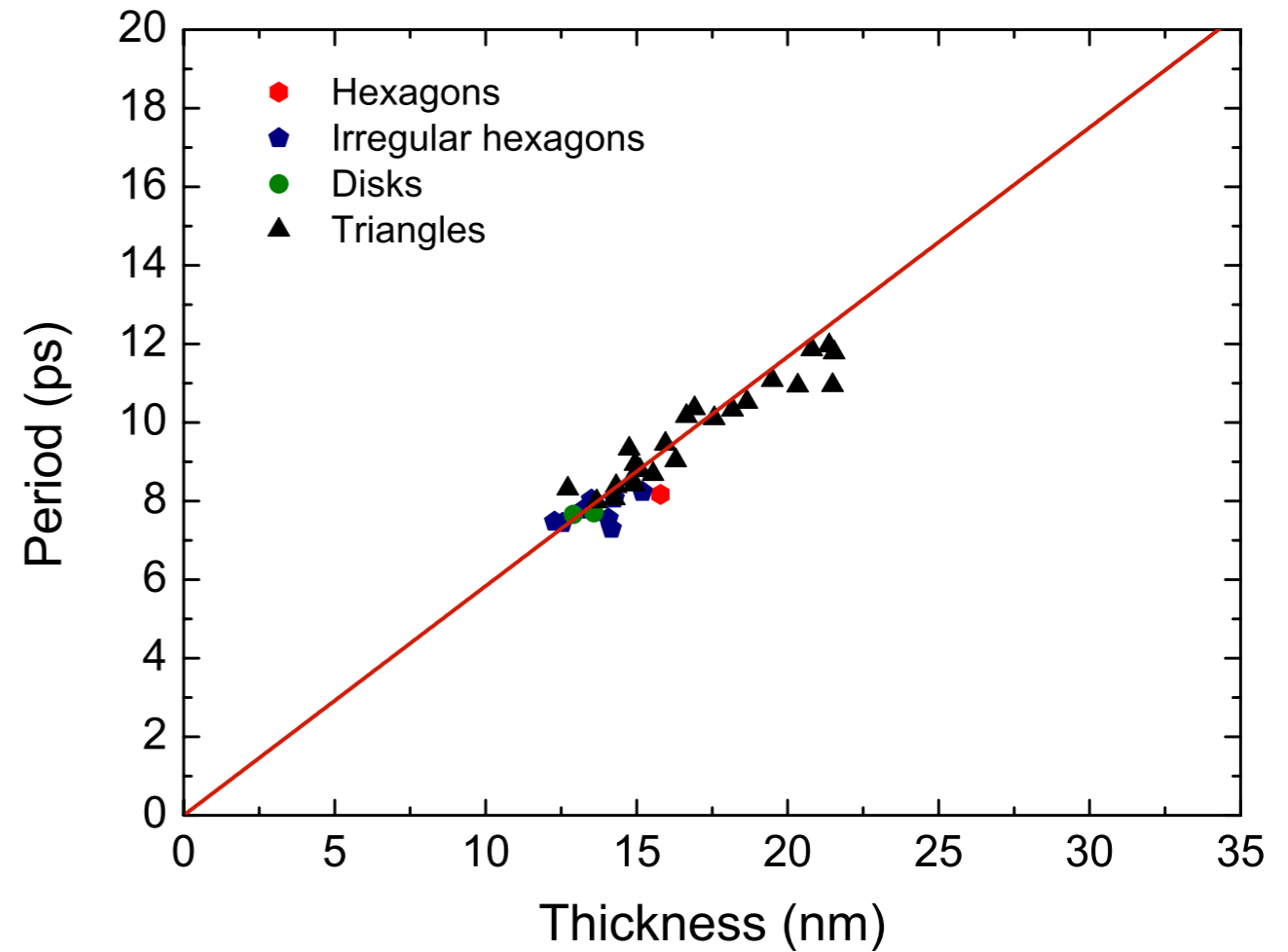
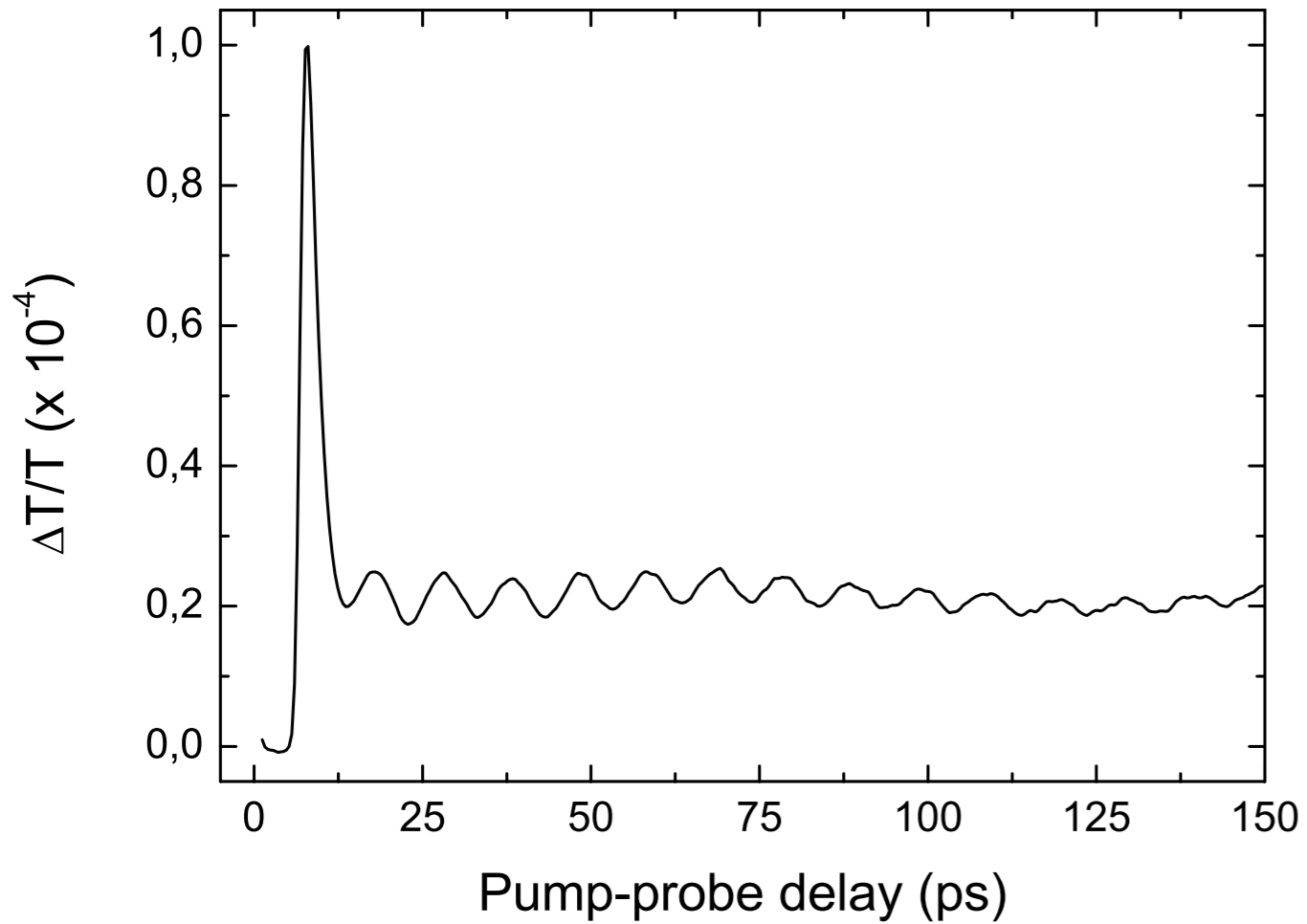
⇒ Focus on the high frequency mode

# Thickness vibration mode

Systematic experiments on 40 different MNPs

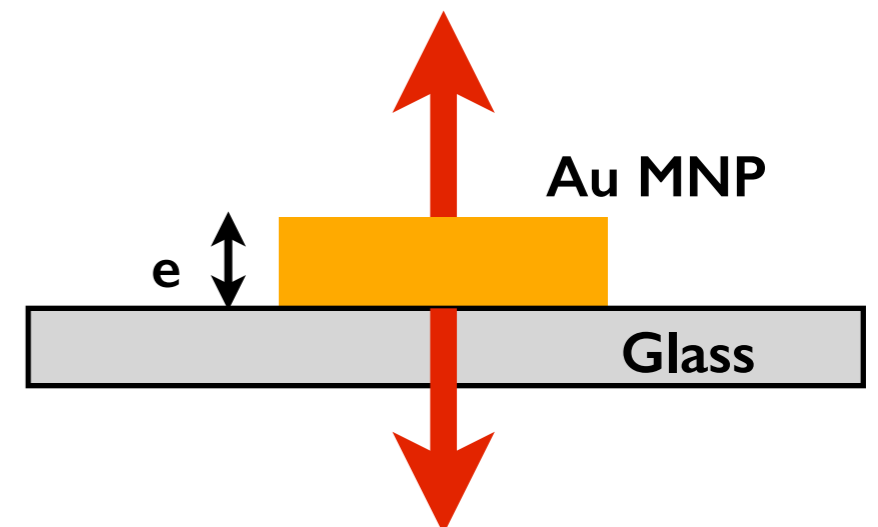


Systematic experiments on 40 different MNPs

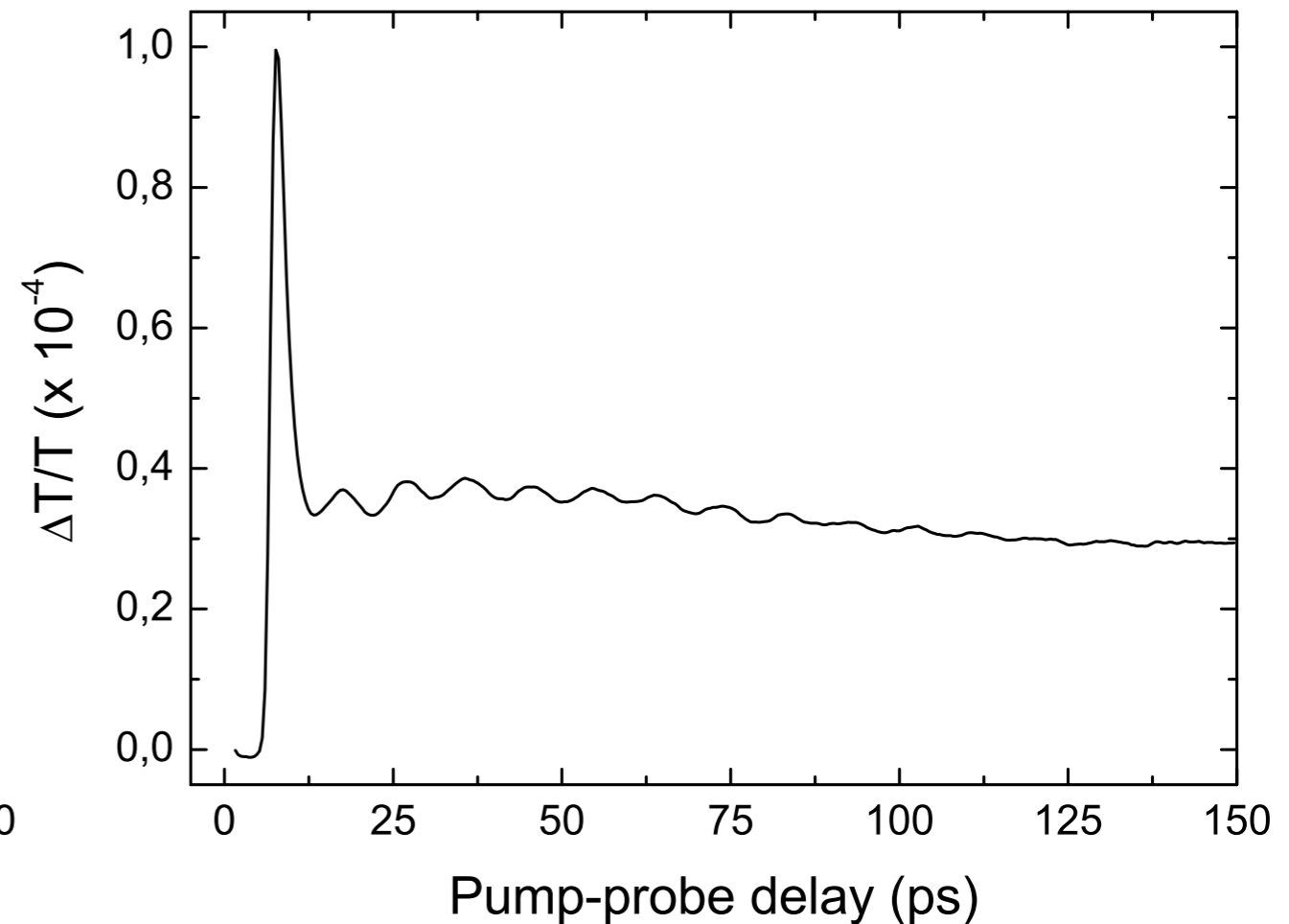
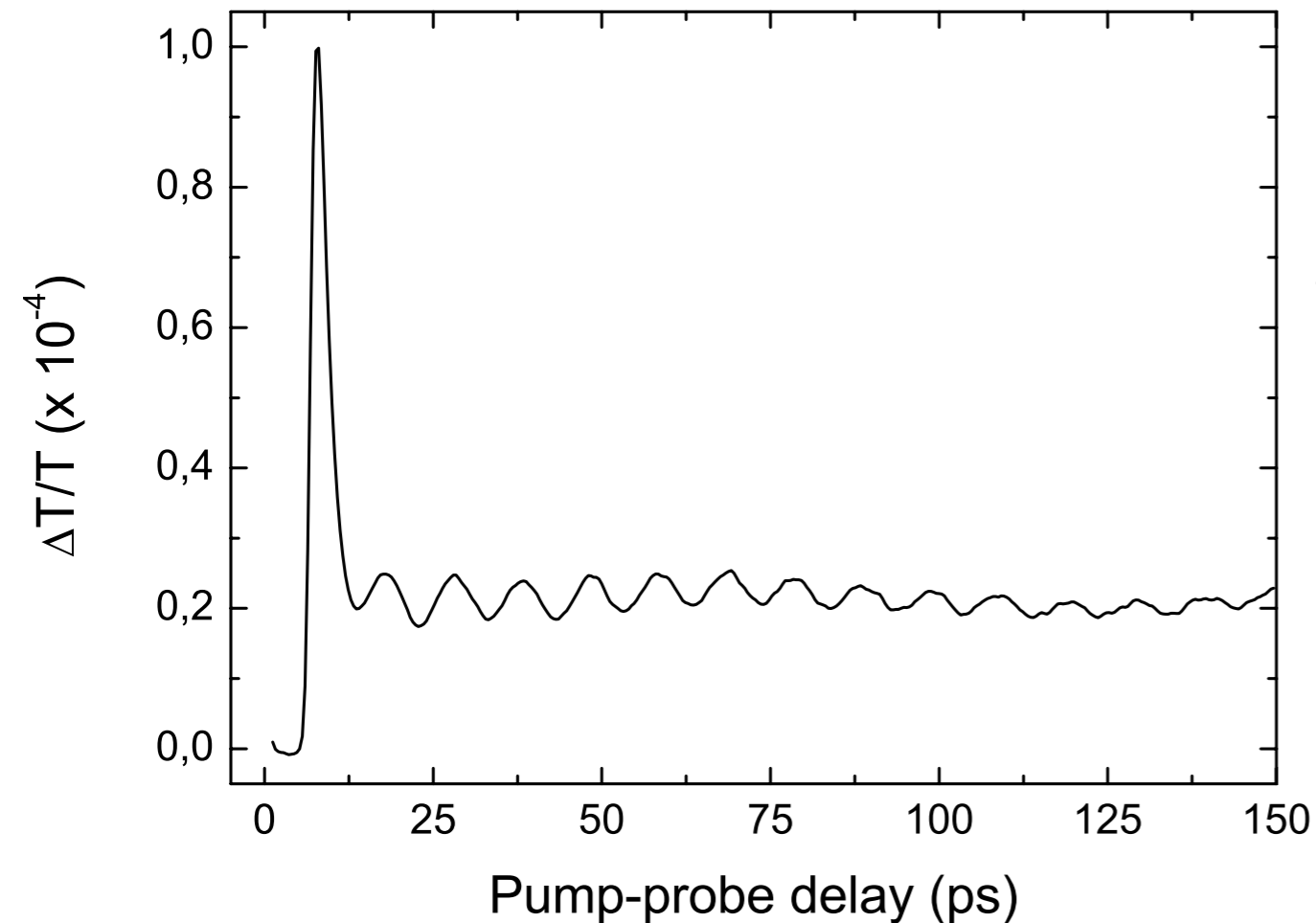


Thickness vibrations of a free plate :

$$T = \frac{2e}{v_{l2}}$$



# Damping time of the thickness vibrations



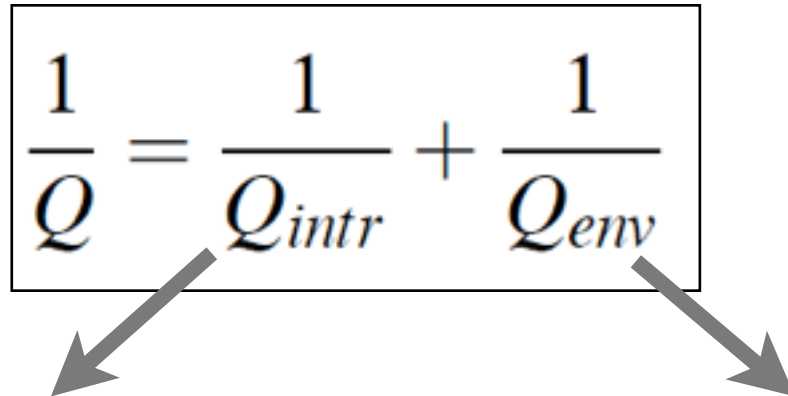
**Damping very different from one particle to the other**

Numerical fitting by damped cosine :  $Ae^{-\gamma t} \cos\left(\frac{2\pi t}{T} + \varphi\right)$

⇒ Damping rate & damping time :  $\gamma = \frac{1}{\tau}$

⇒ To compare oscillators with different frequencies : **Quality factor**  $Q = \pi\nu\tau$

# Energy dissipation to environment : a basic model

$$\frac{1}{Q} = \frac{1}{Q_{intr}} + \frac{1}{Q_{env}}$$


## Intrinsic damping :

anharmonicity - crystalline defects .....

**Au nanorods (25x60 nm) : f = 80 GHz -  $\langle Q_{intr} \rangle = 84$**

**Au nanospheres (80 nm) : f = 40 GHz -  $\langle Q_{intr} \rangle = 40$**

Ruijgrok et al, Nanoletters., 12, 1063–1069 (2012)

## Coupling to environment :

Sound radiation

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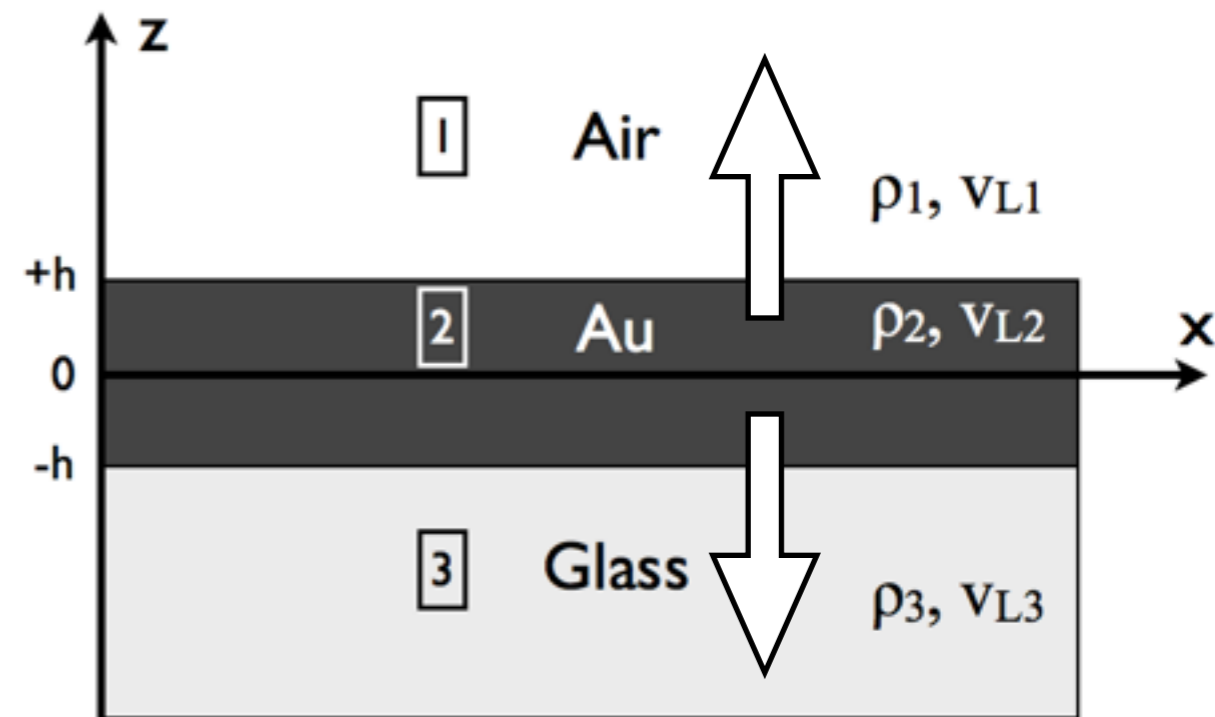
## Sound radiation from flat metal particles :

Simple 3-layer model

Unidimensional sound propagation

Boundary conditions at each interface

Complex frequencies :  $\tilde{\omega} = \omega + i\gamma_{env}$

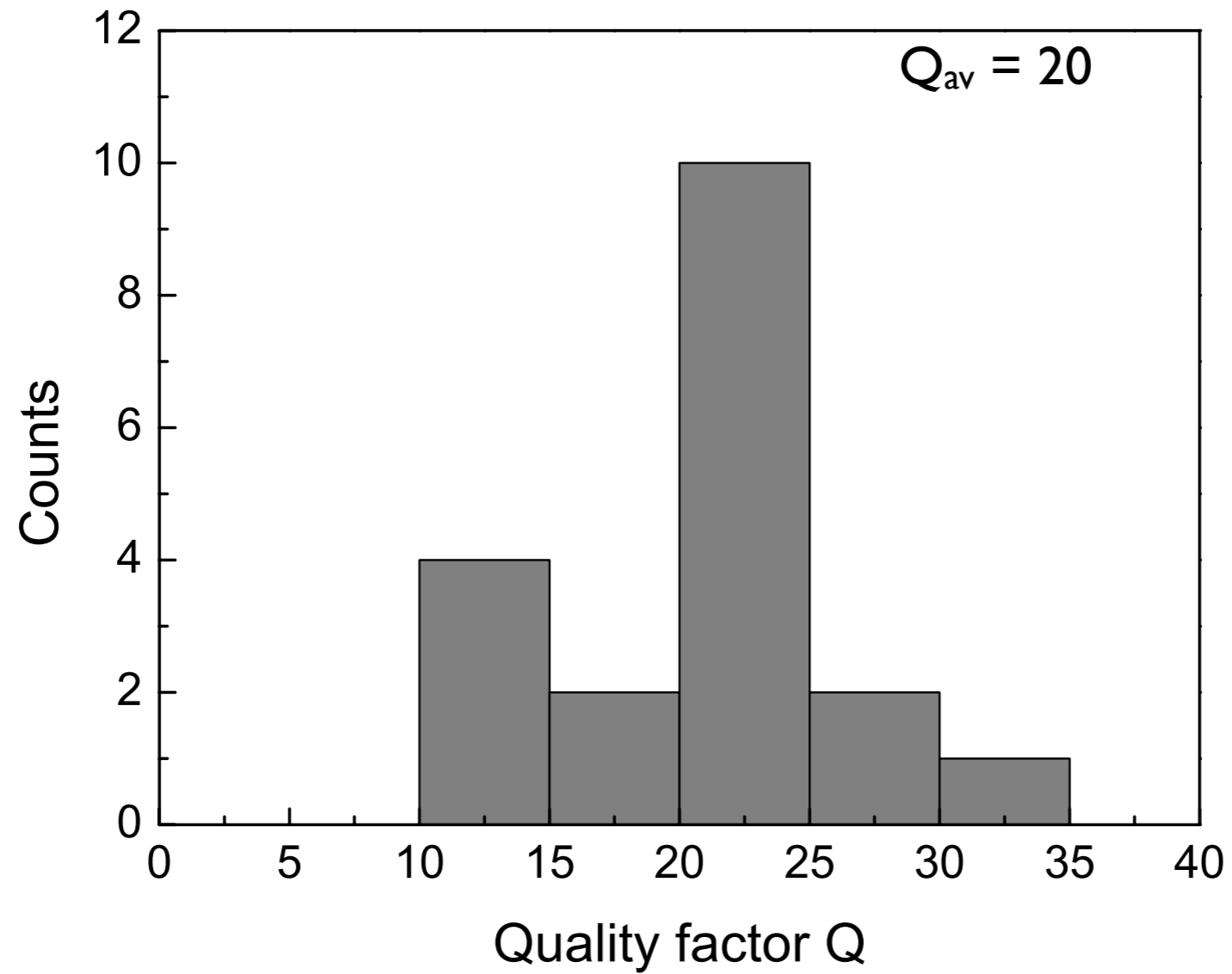


Quality factor for air/Au/SiO<sub>2</sub> :

$$Q_{env} \approx 7$$

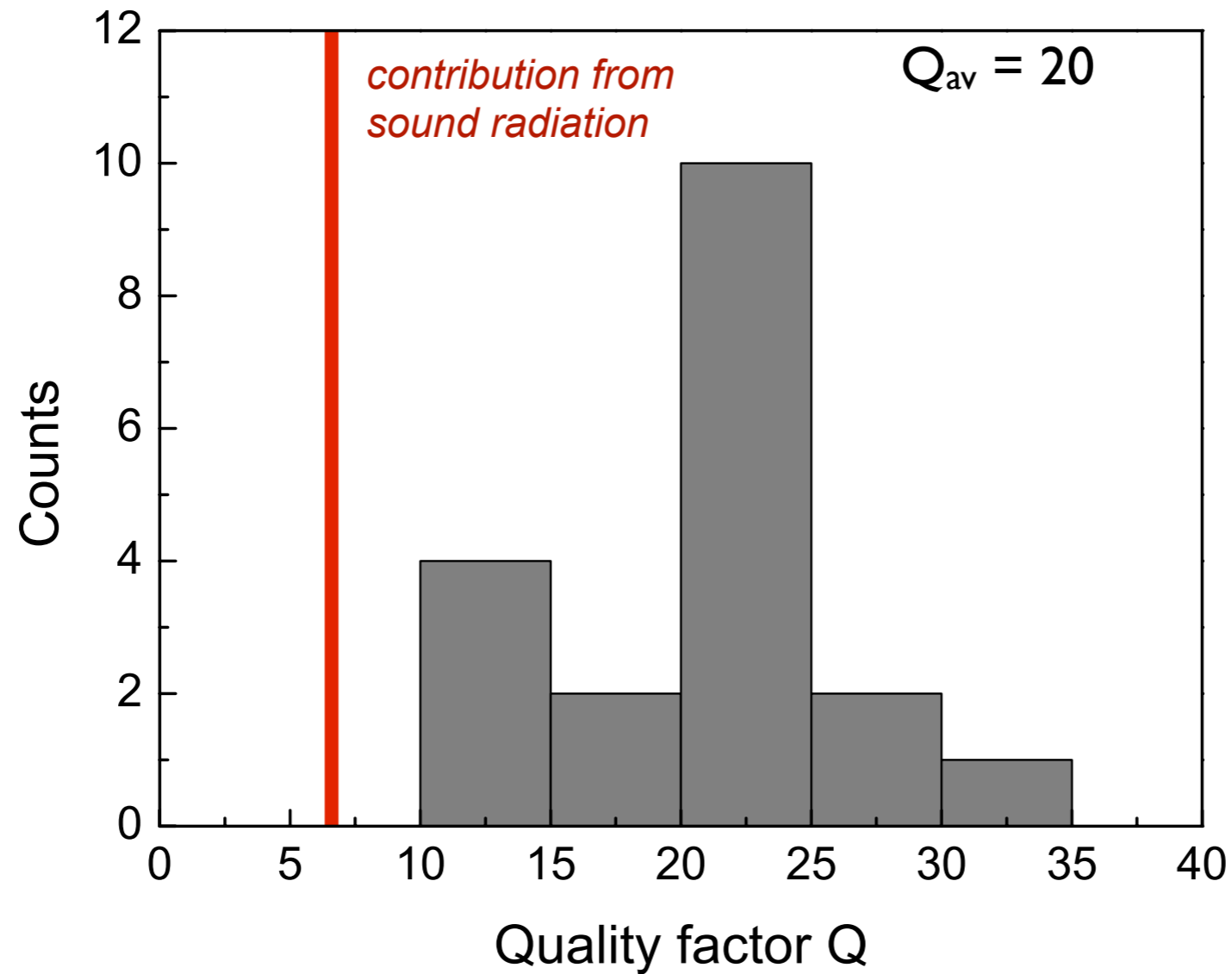


# Experimental distribution of quality factors



**Strong dispersion of measured  $Q$**

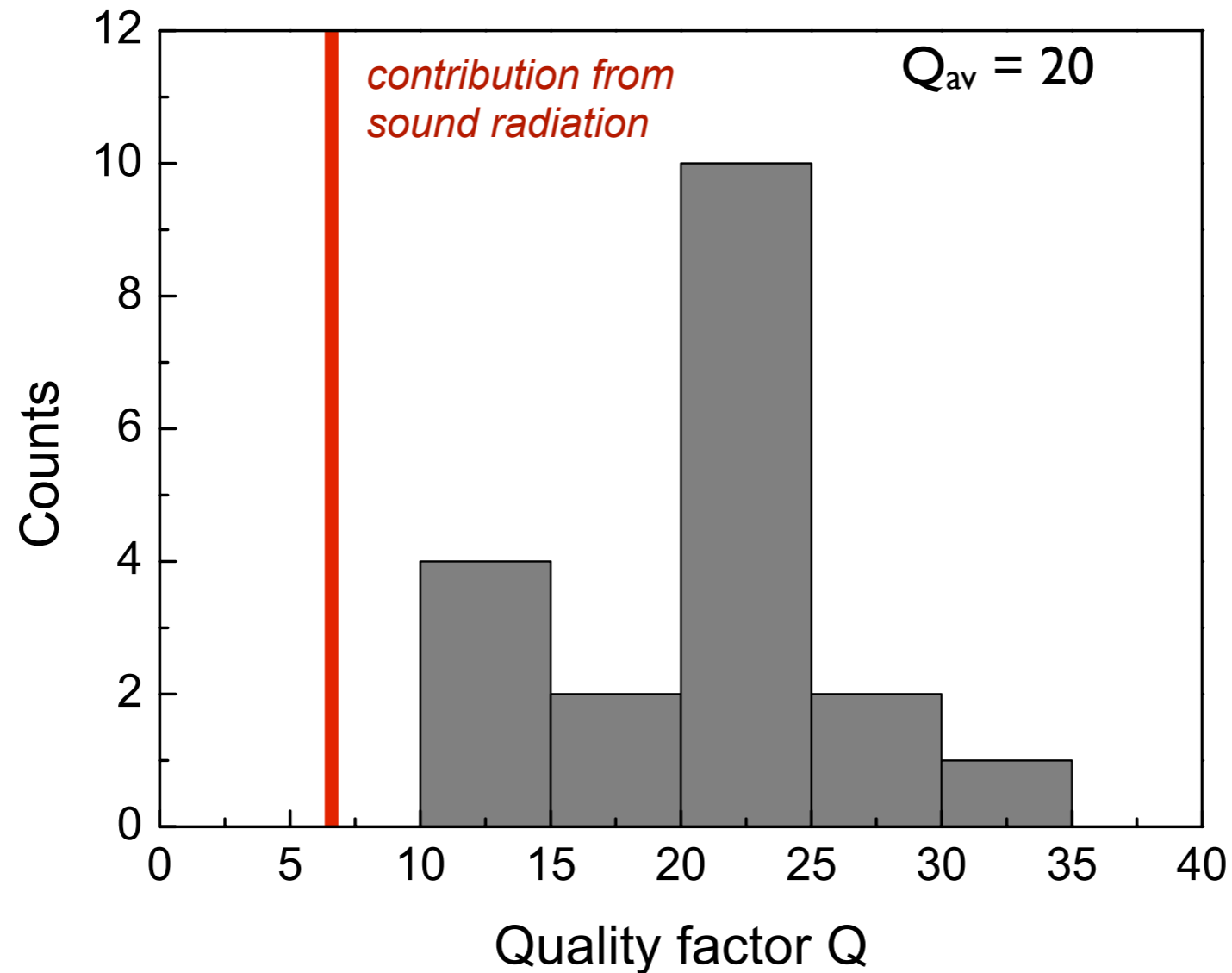
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Quality factor always higher than predicted w/o intrinsic contribution

# Experimental distribution of quality factors



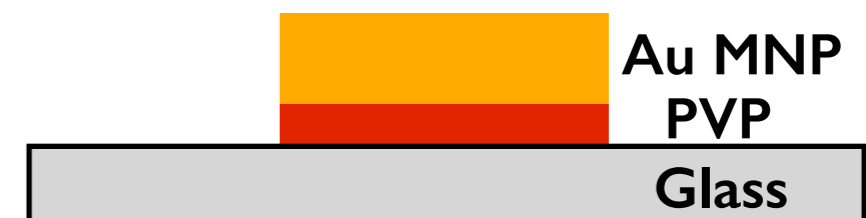
Strong dispersion of measured Q

Quality factor always higher than predicted w/o intrinsic contribution

**Mechanical decoupling MNP/substrate**

**Residual interfacial PVP layer**

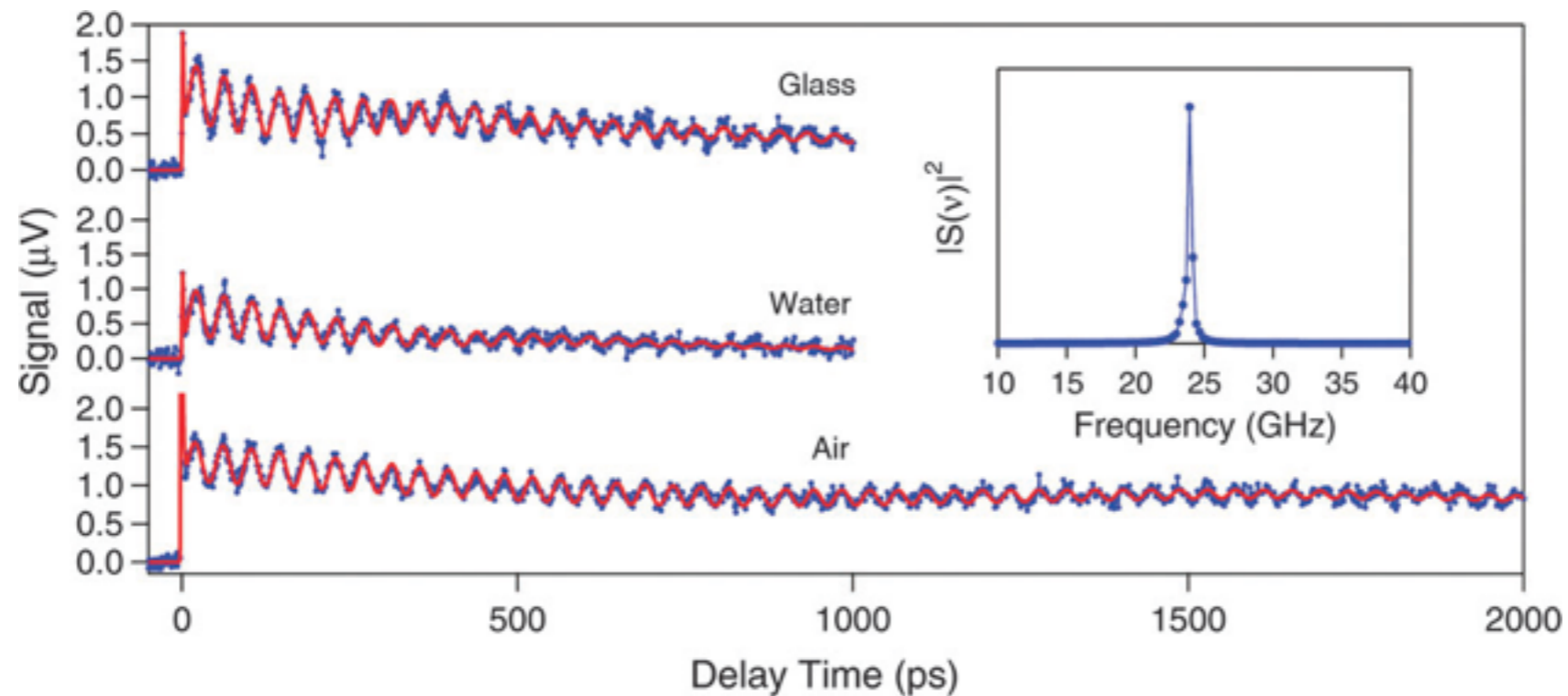
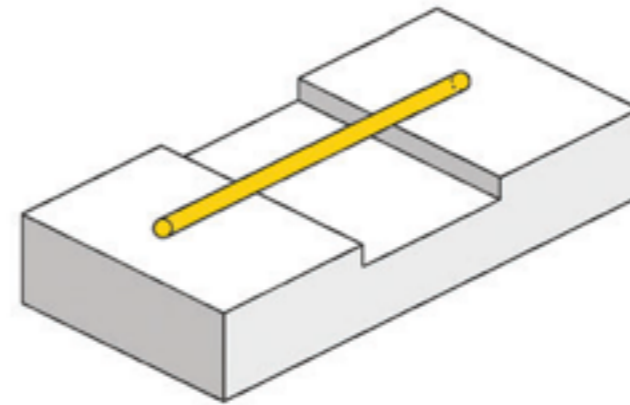
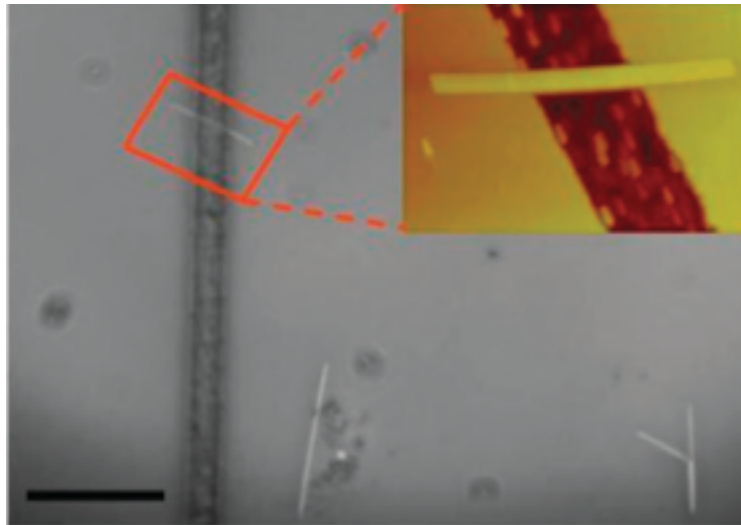
**Intrinsic contribution ?**



# Measuring the intrinsic contribution to Damping

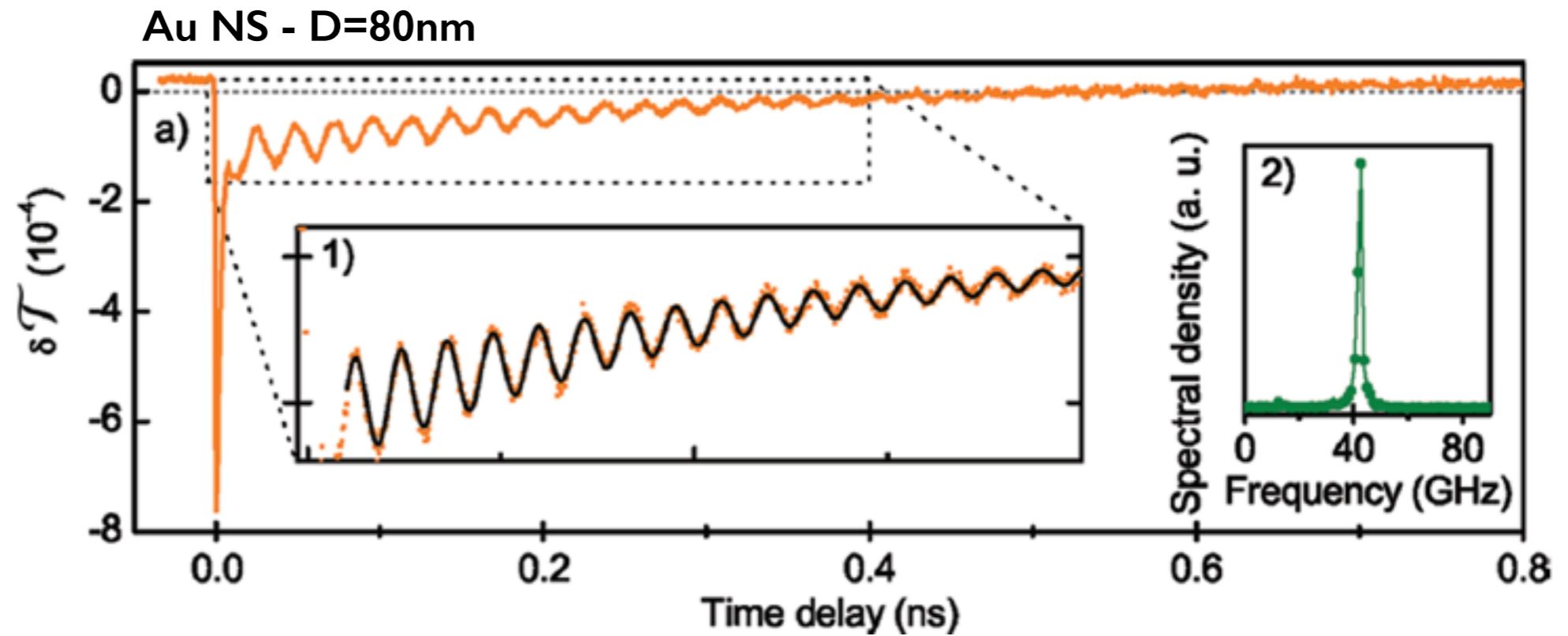
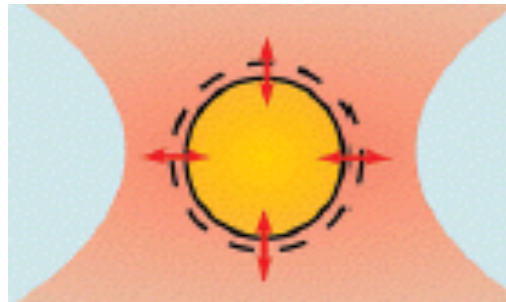
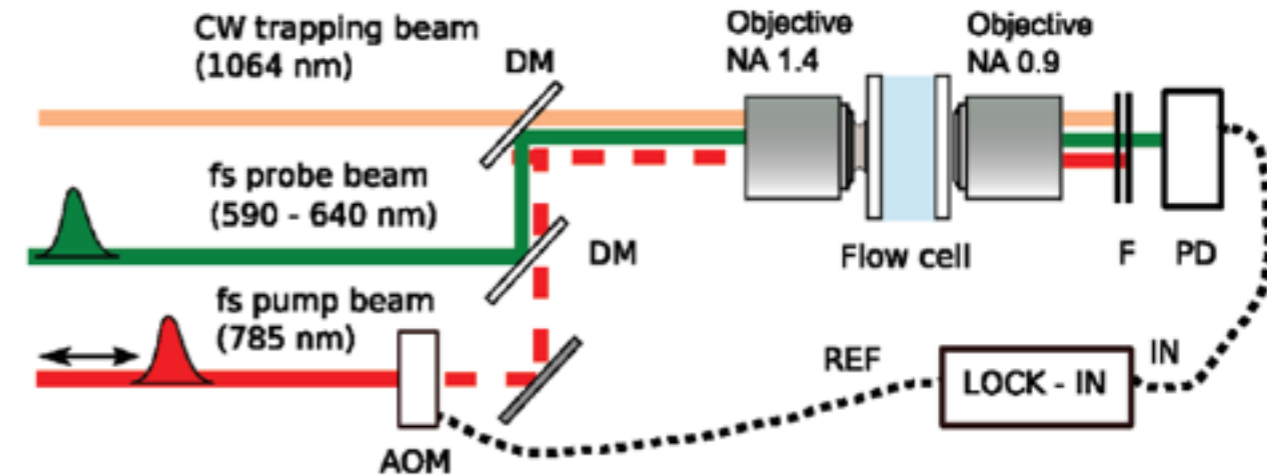
Substrates have an influence on the damping of the acoustic vibrations of MNPs

→ Need to get rid of substrate to address intrinsic damping mechanisms



# Damping of Acoustic Vibrations of Optically Trapped Single Gold Nanoparticles

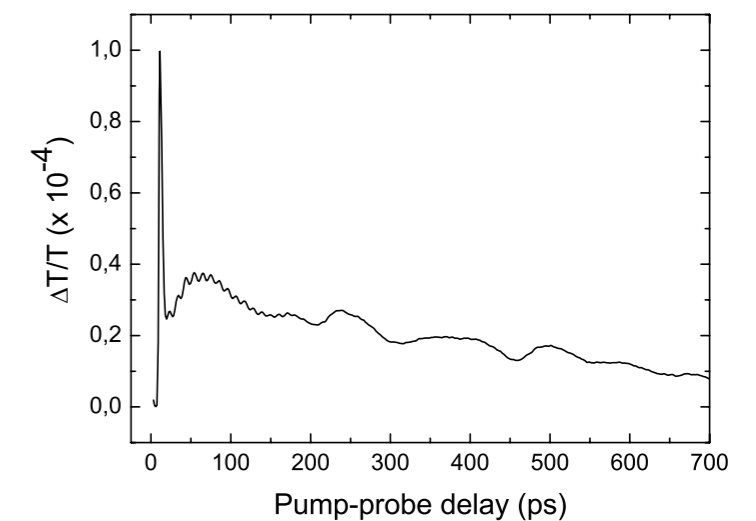
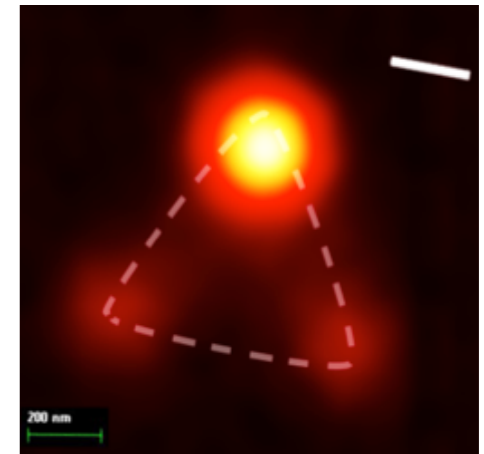
## Ultrafast pump-probe spectroscopy + Optical trapping



- Particle-to-particle variation in damping times
- Vibrational damping not only by dissipation into the liquid, but also by intrinsic mechanisms
- Experiments on gold nanorods suggest that crystal structure is important

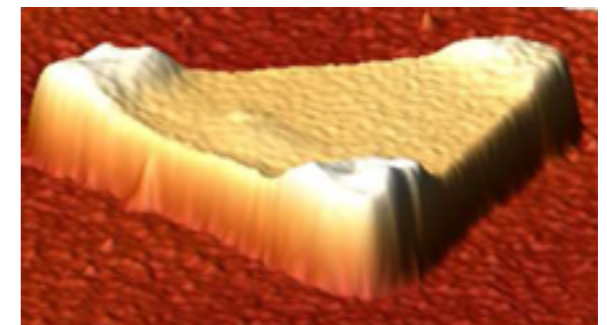
## Ultrafast dynamics of metallic nano-objects:

- Complex sequence of relaxation processes
- Timescales from a few fs to several hundreds ps



## Enhancement of optical response by Surface Plasmons:

- Ultrafast Time-Resolved Studies on individual nano-objects
- Selective investigation of the different processes
- Size effects evidenced on electronic and vibrational dynamics



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